

# Neural Distributed Data Compression and Communication

*New solutions to old problems in information theory.*

Ezgi Ozyilkan

PhD Defense  
Dec 18, 2025

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Joint work with:

- Jona Ballé (NYU), Fabrizio Carpi (→Samsung) and Elza Erkip (NYU)

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– *Sandvine's Global Internet Phenomena Report, Jan. 2023*

Representative internet video



Source: Vimeo

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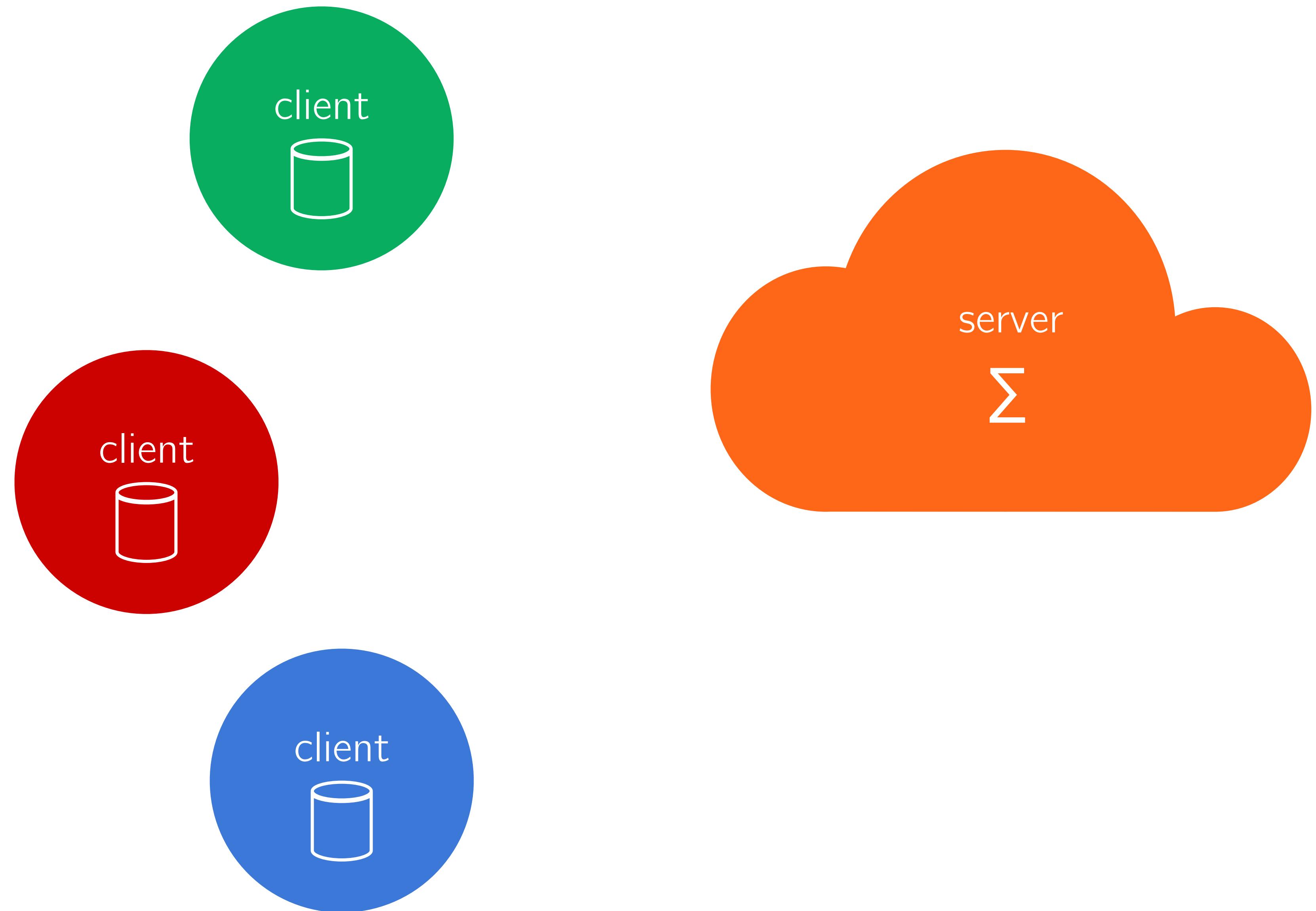


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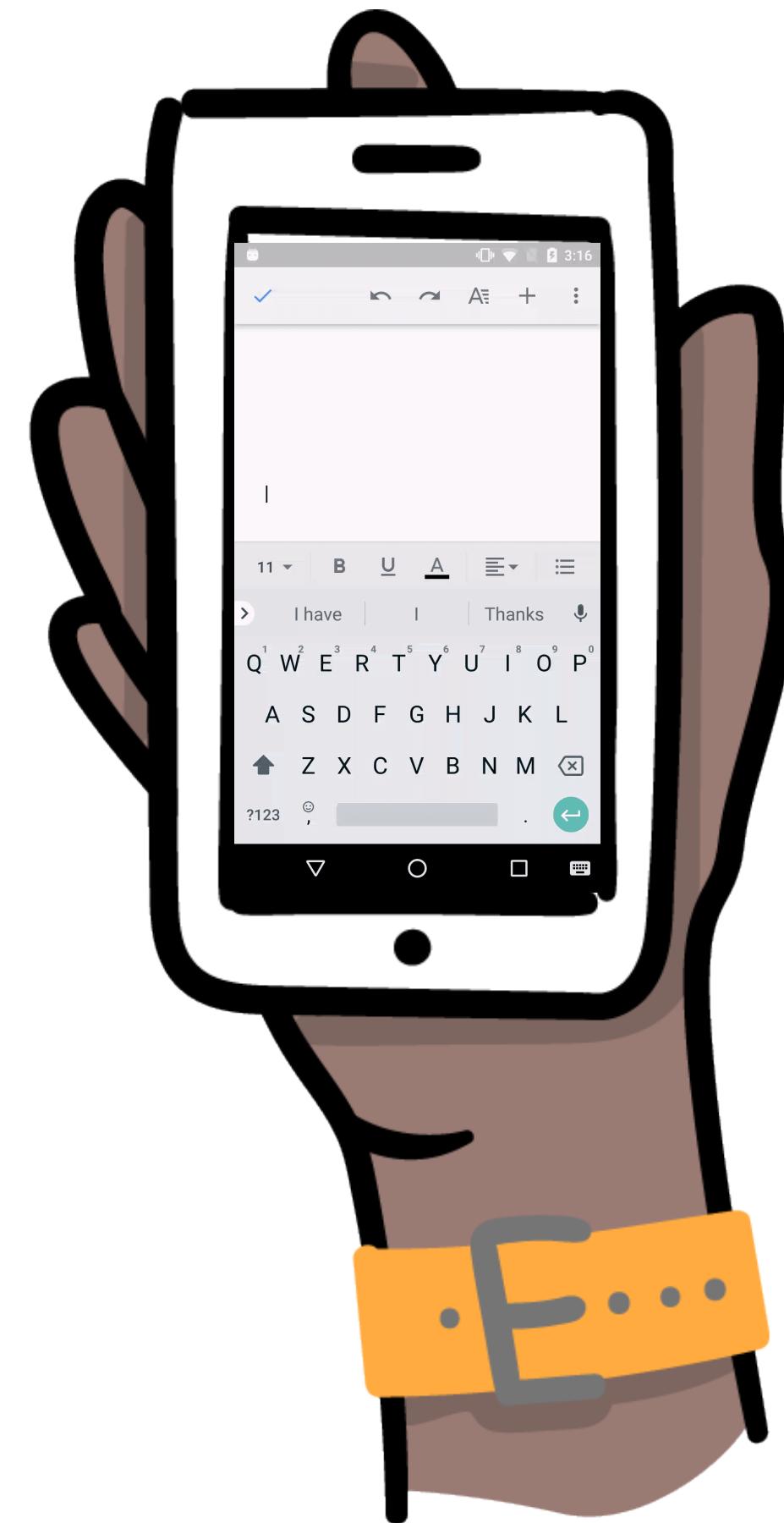
# Example: Federated learning



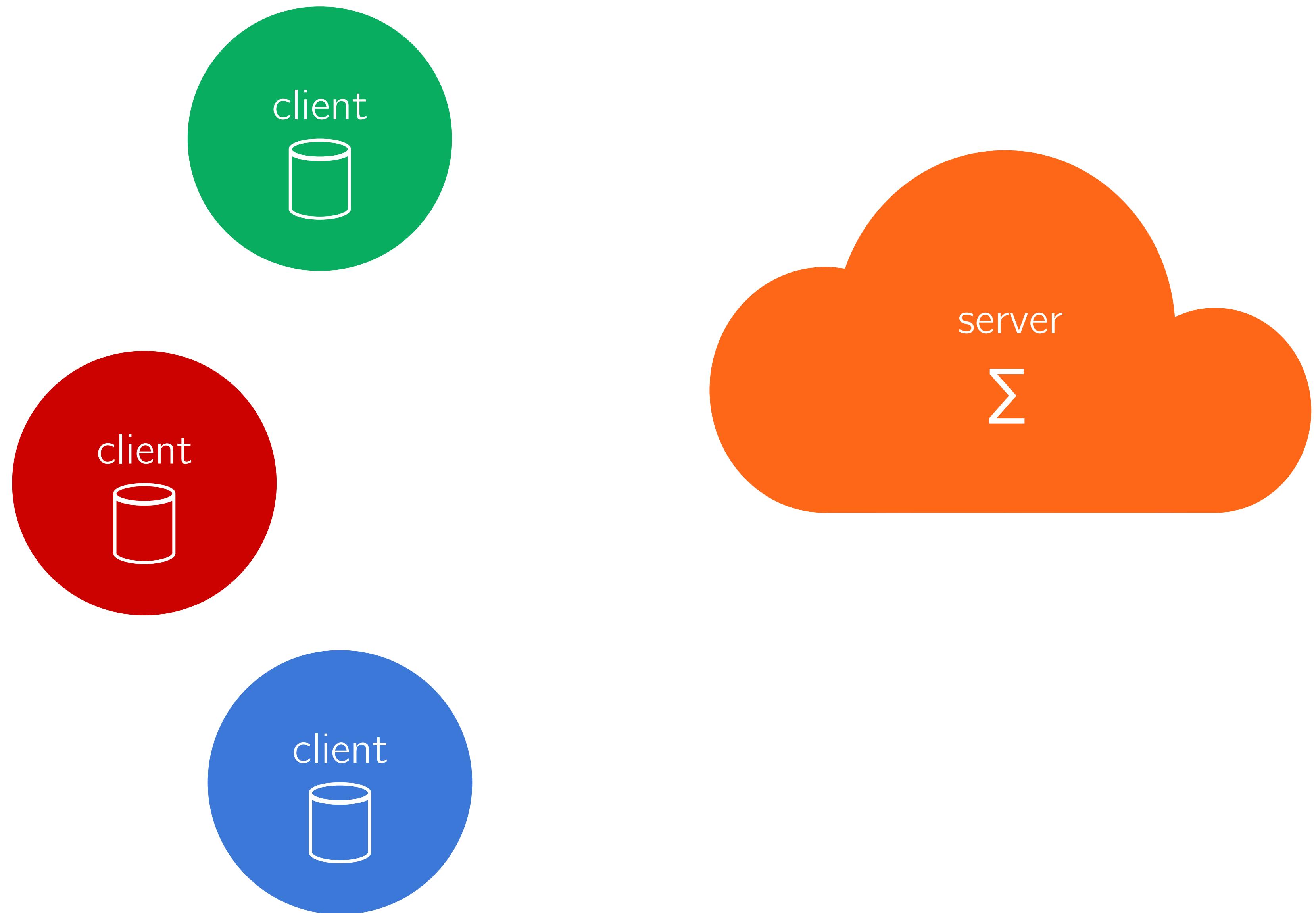
e.g., next-word  
prediction



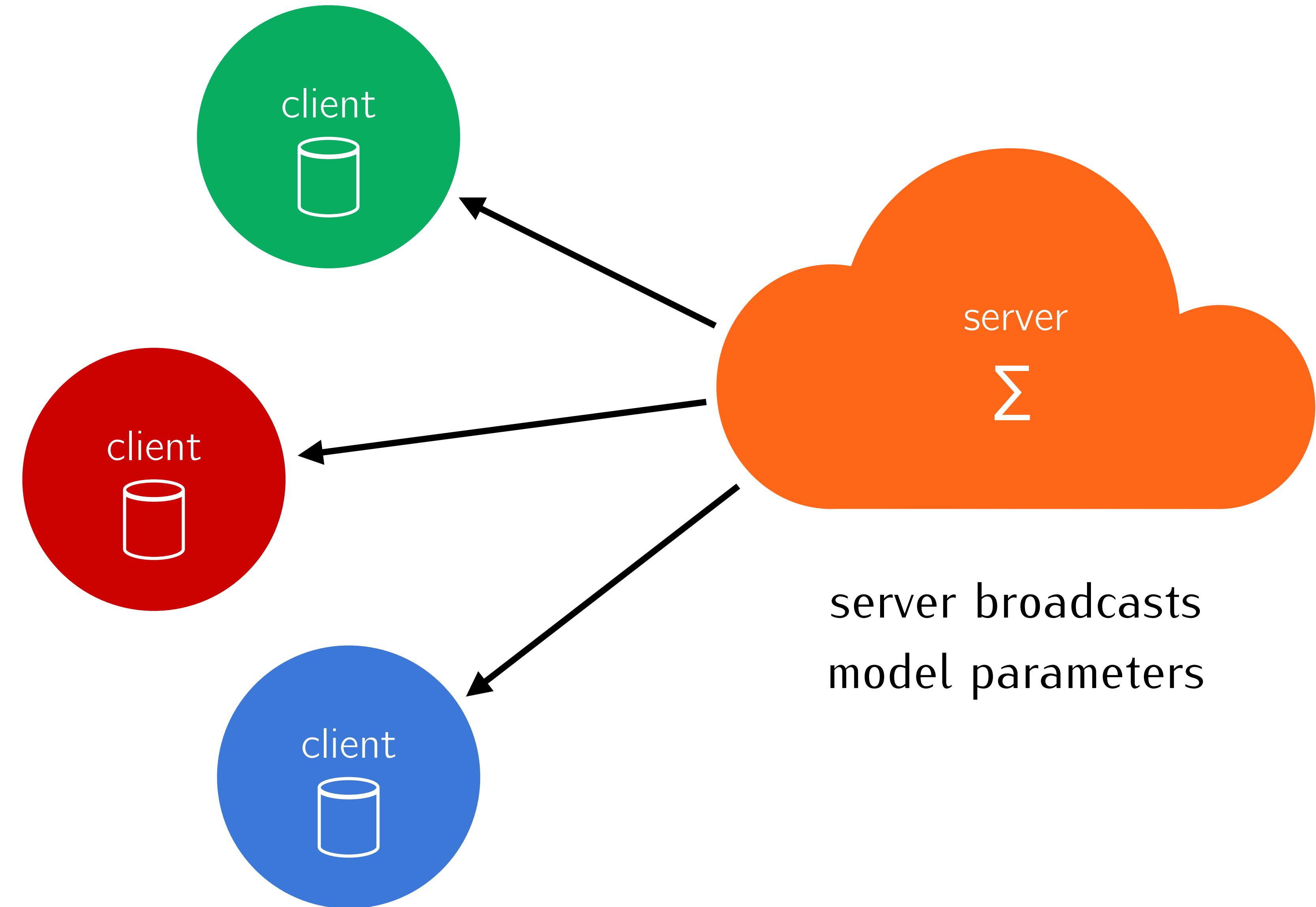
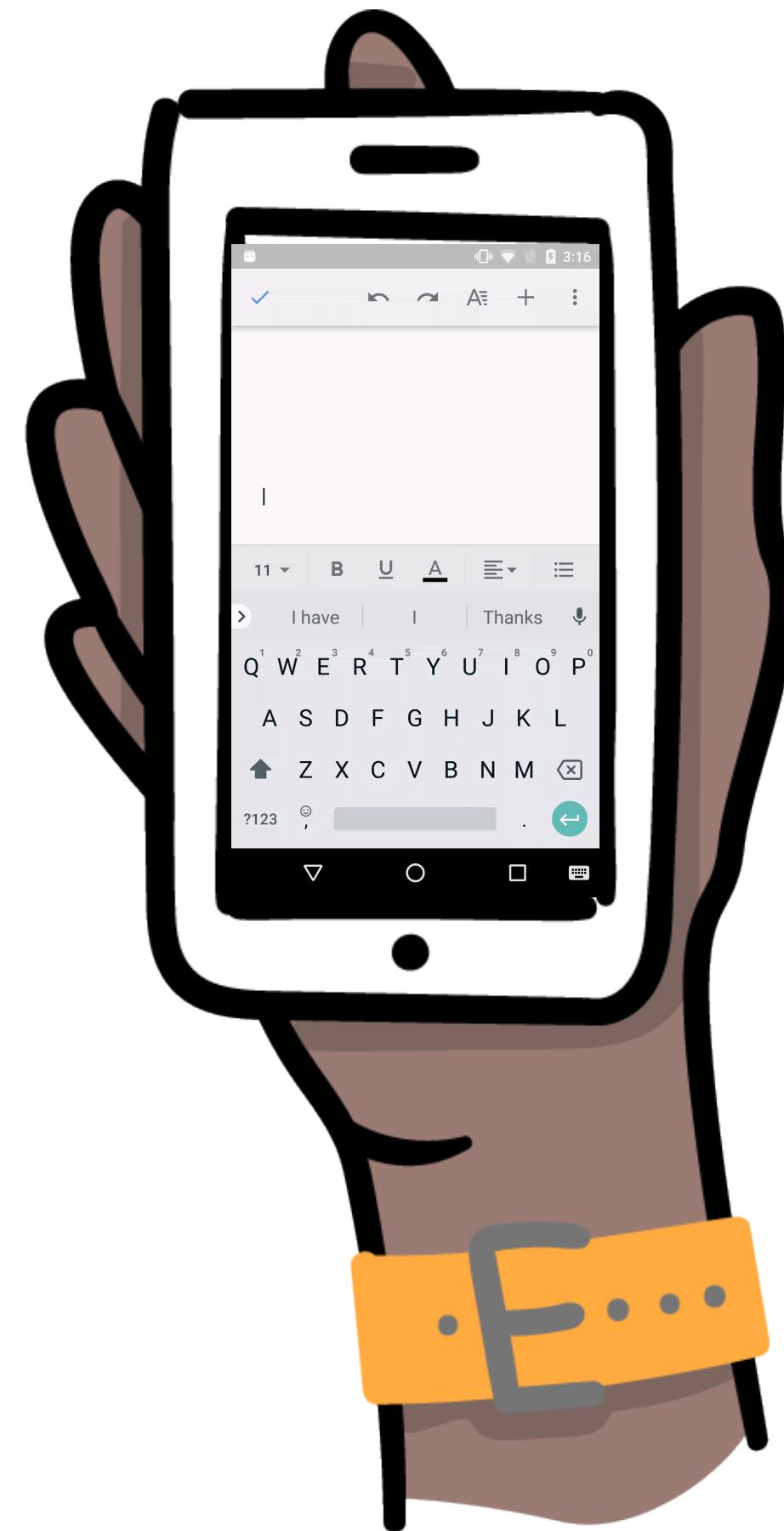
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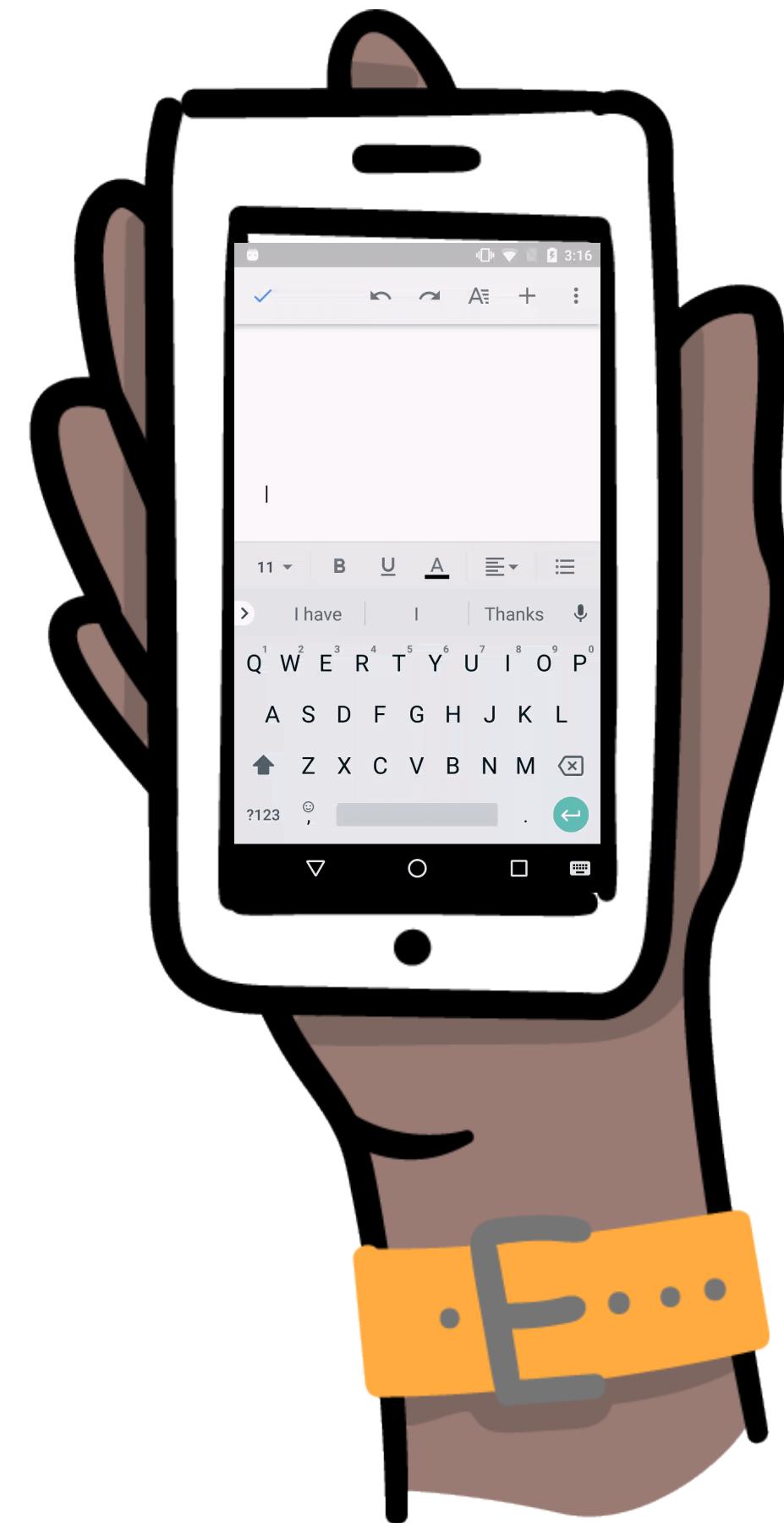


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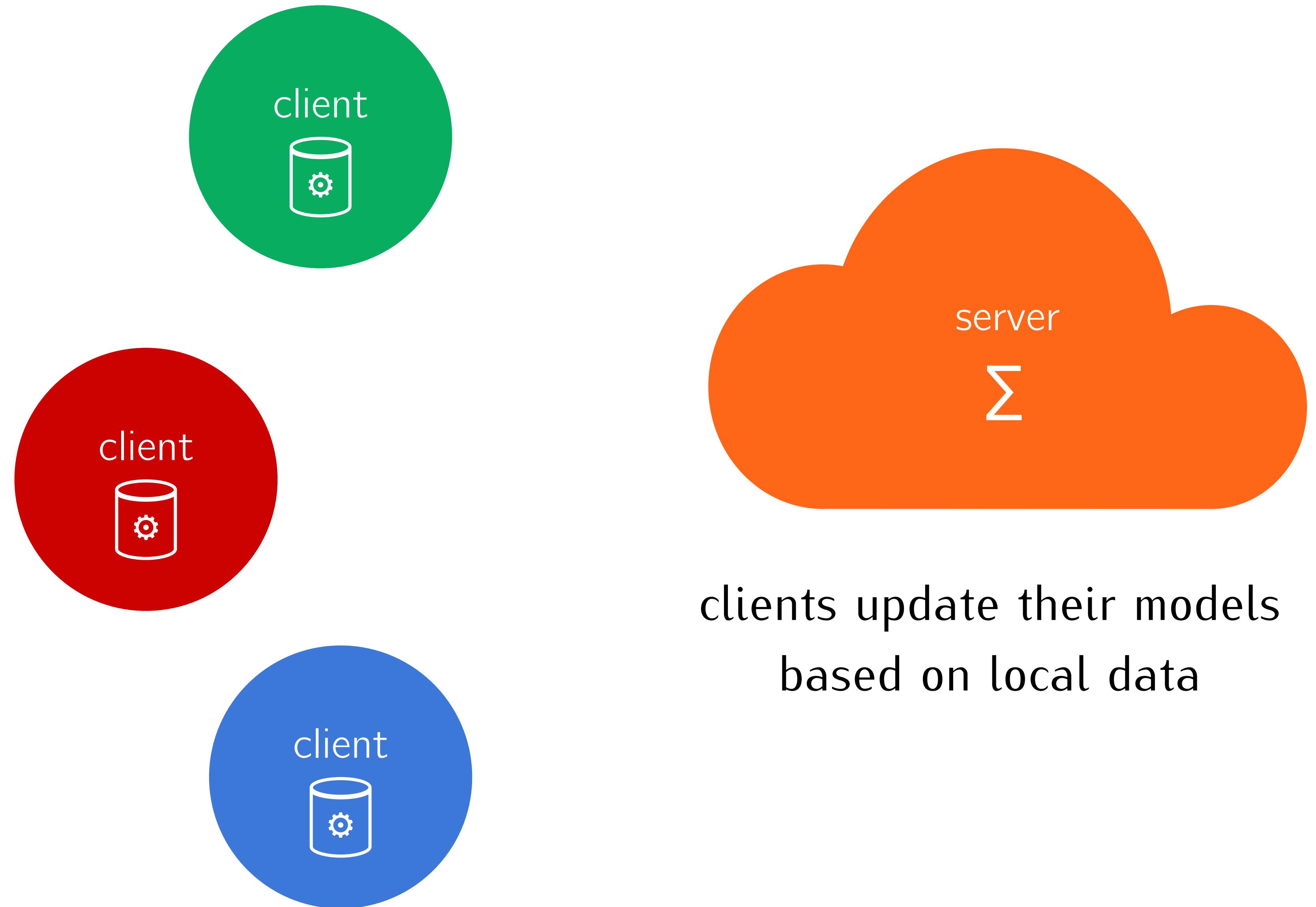


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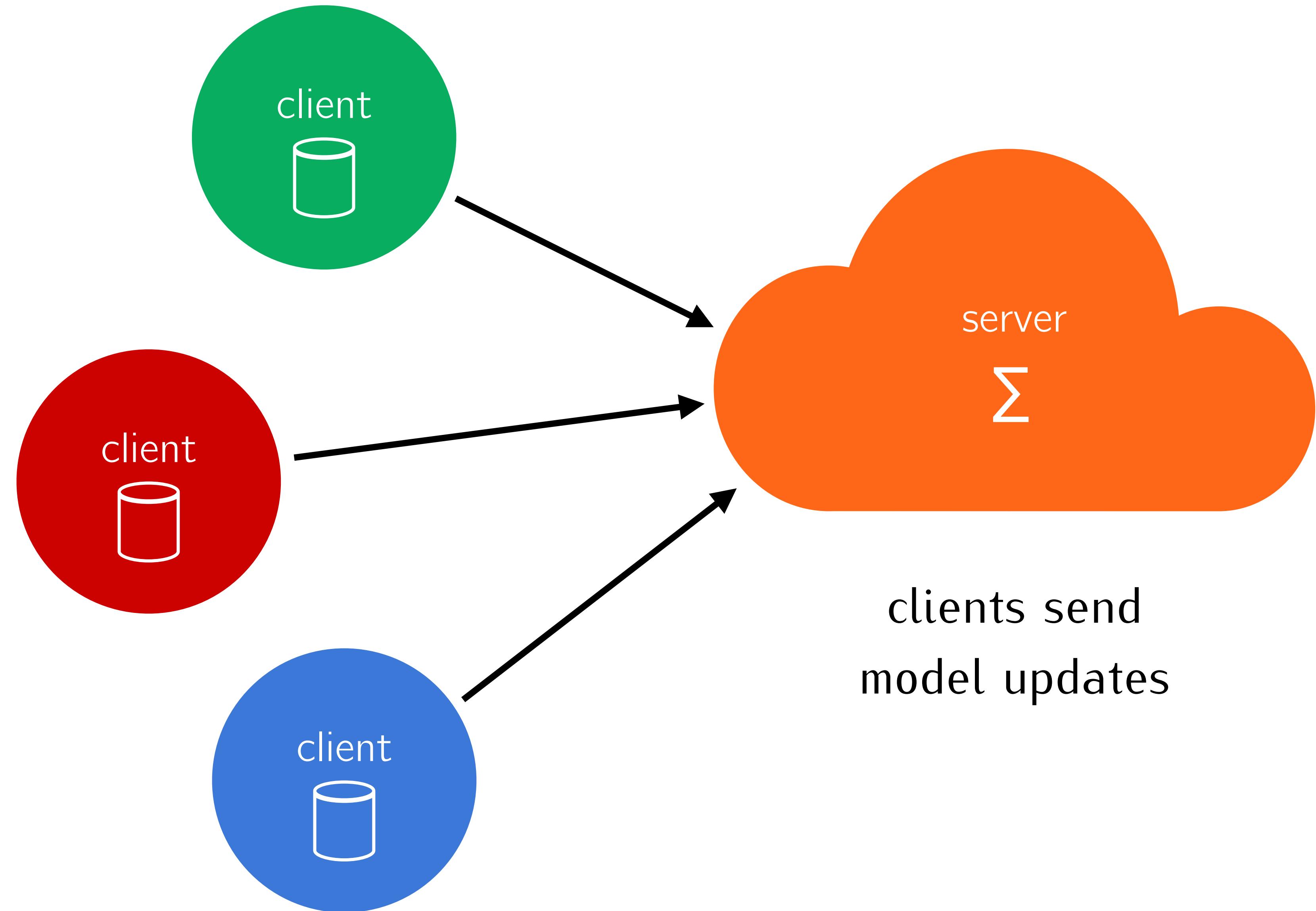
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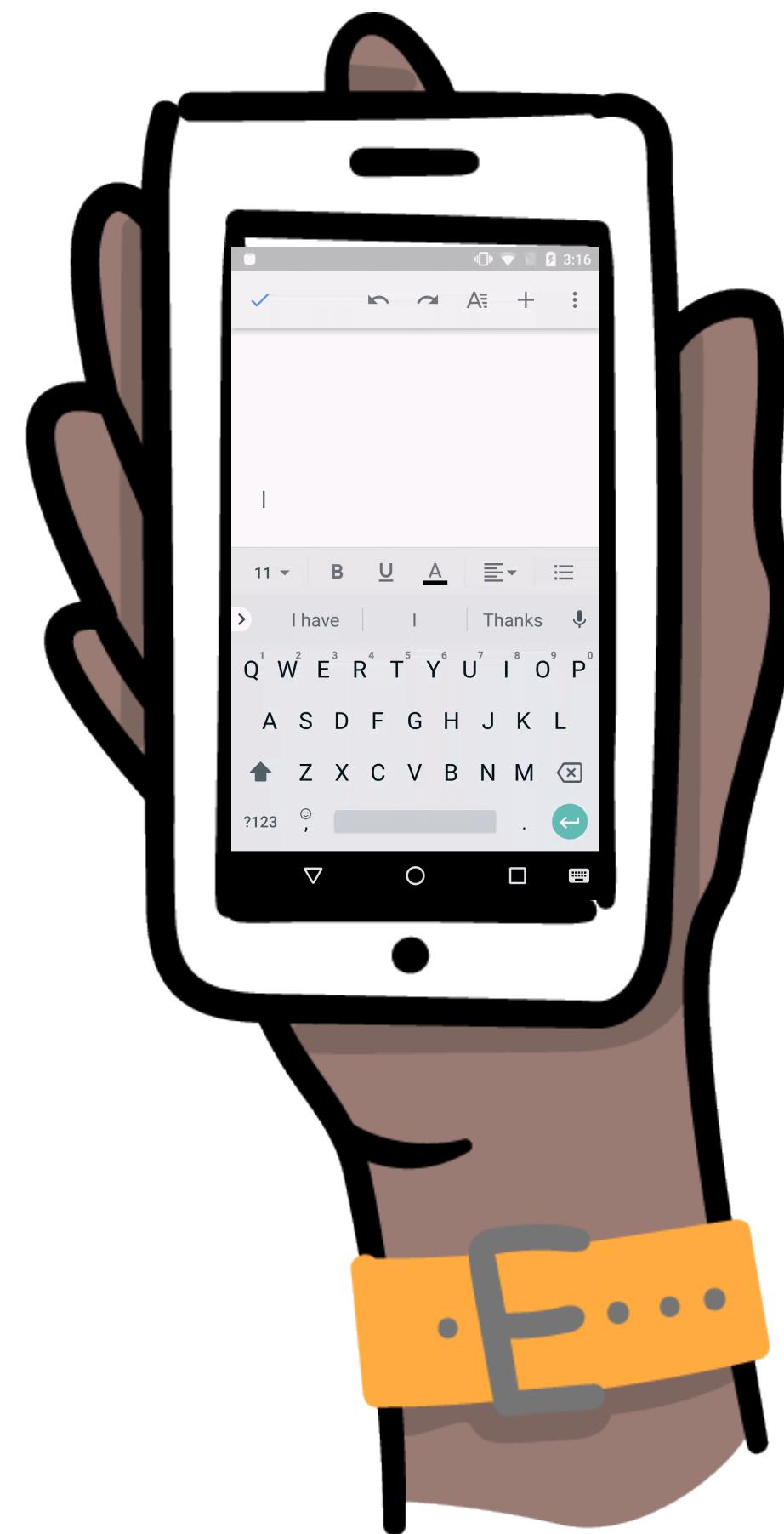
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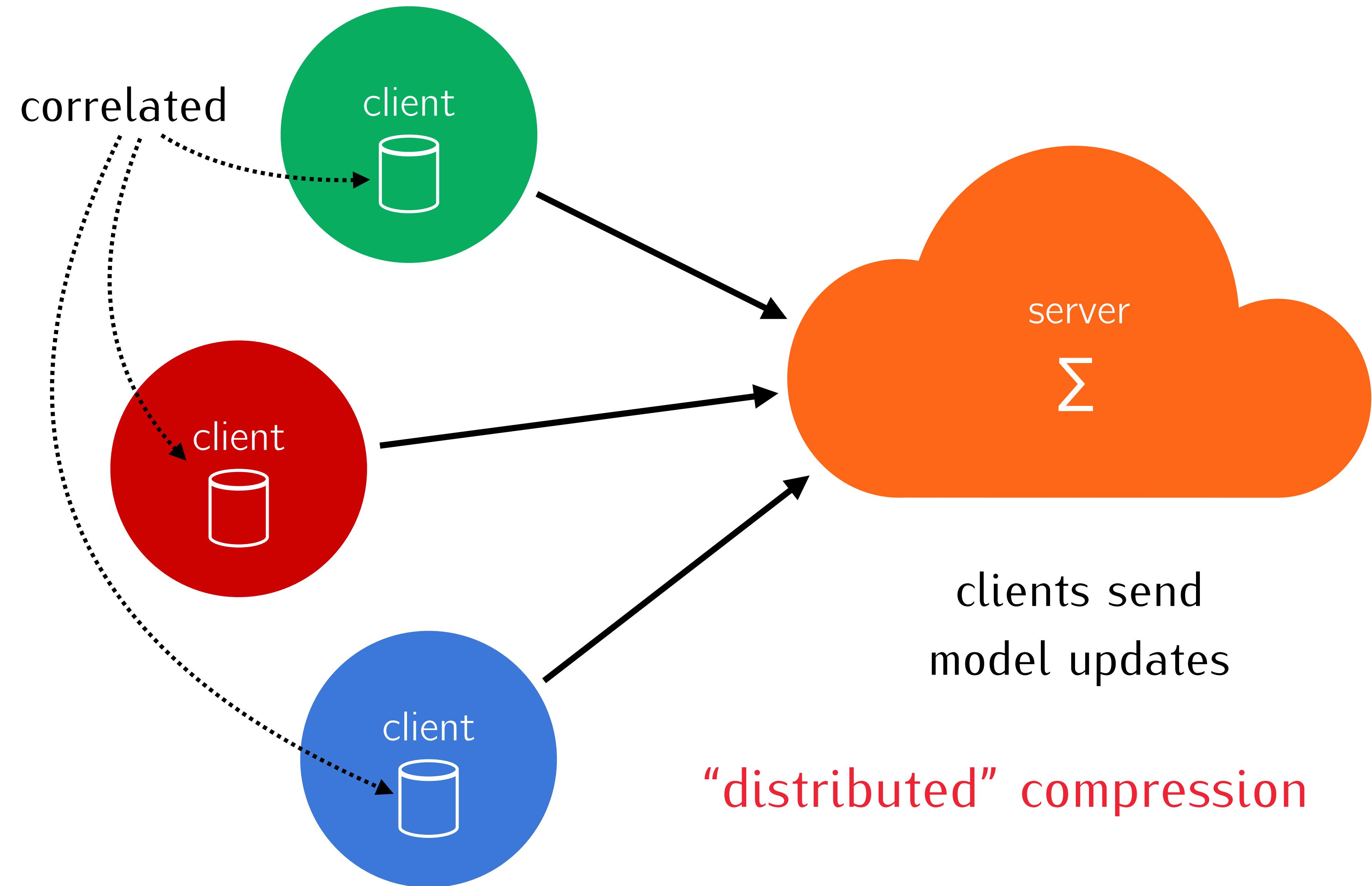
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  - Realize that there are only 4 possibilities for  $X + Y$ ,  $\{000; 001; 010; 100\}$
- What if  $Y$  is “only” available at decoder ?
- $X$  can still be described using only 2 bits !!

# Toy example (continued)

- Realization:

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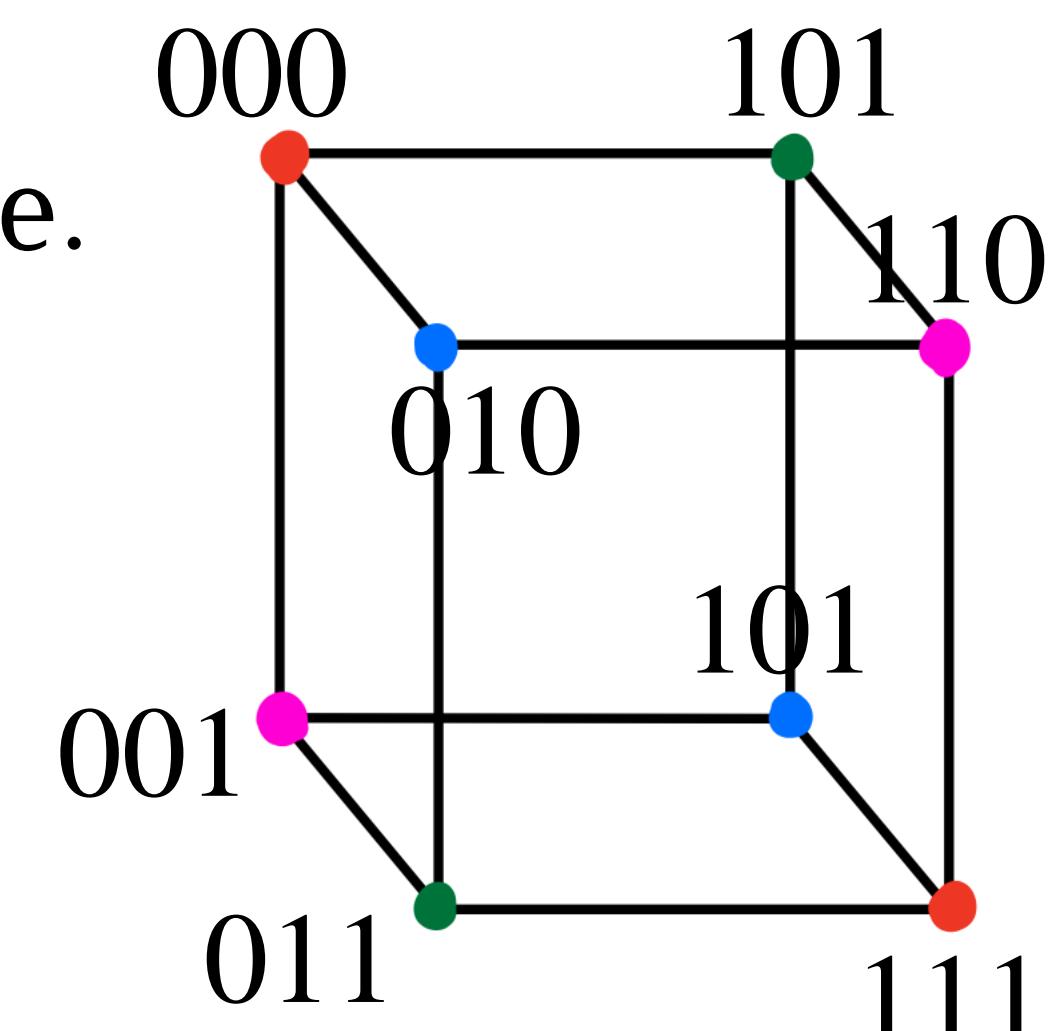
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    - $B_0 = \{000; 111\}$ ,  $B_1 = \{001; 110\}$ ,  $B_2 = \{010; 101\}$ ,  $B_3 = \{011; 100\}$
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    - Send the index of the bin (or coset).
    - **Resolve the uncertainty with  $Y$**  by checking Hamming distance.



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*50th year Commemorative Special Issue of Trans. on Information Theory*

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*Data-driven methods may help here!*

# Outline

## 1. Review:

“Learning” data compression via *Nonlinear Transform Coding*

# Outline

2. New solutions to old problems in information theory:
  - a) distributed data compression: Wyner–Ziv and extensions
  - b) “compress-and-forward” for the relay channel

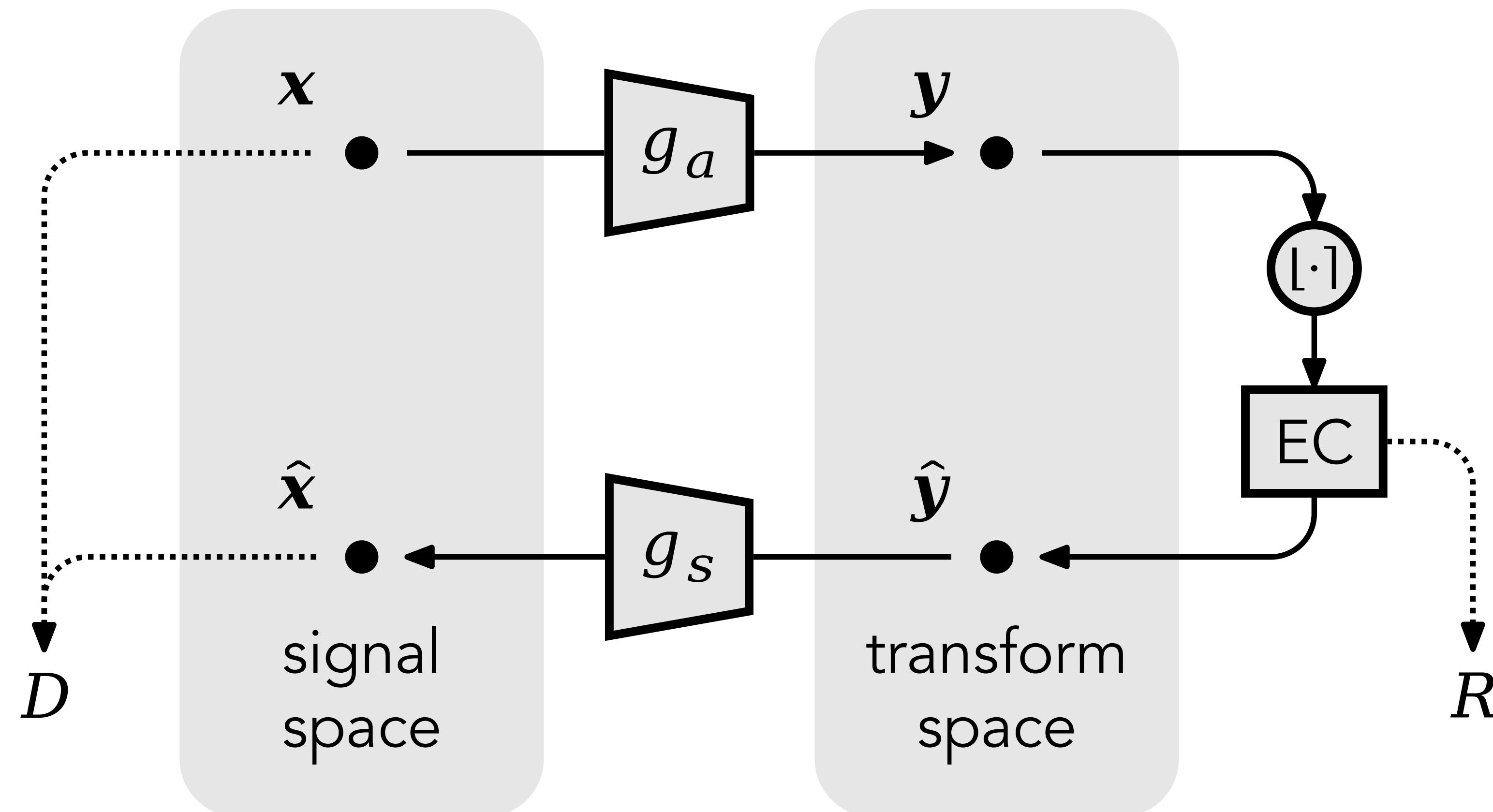
**Part I**

**Review:**

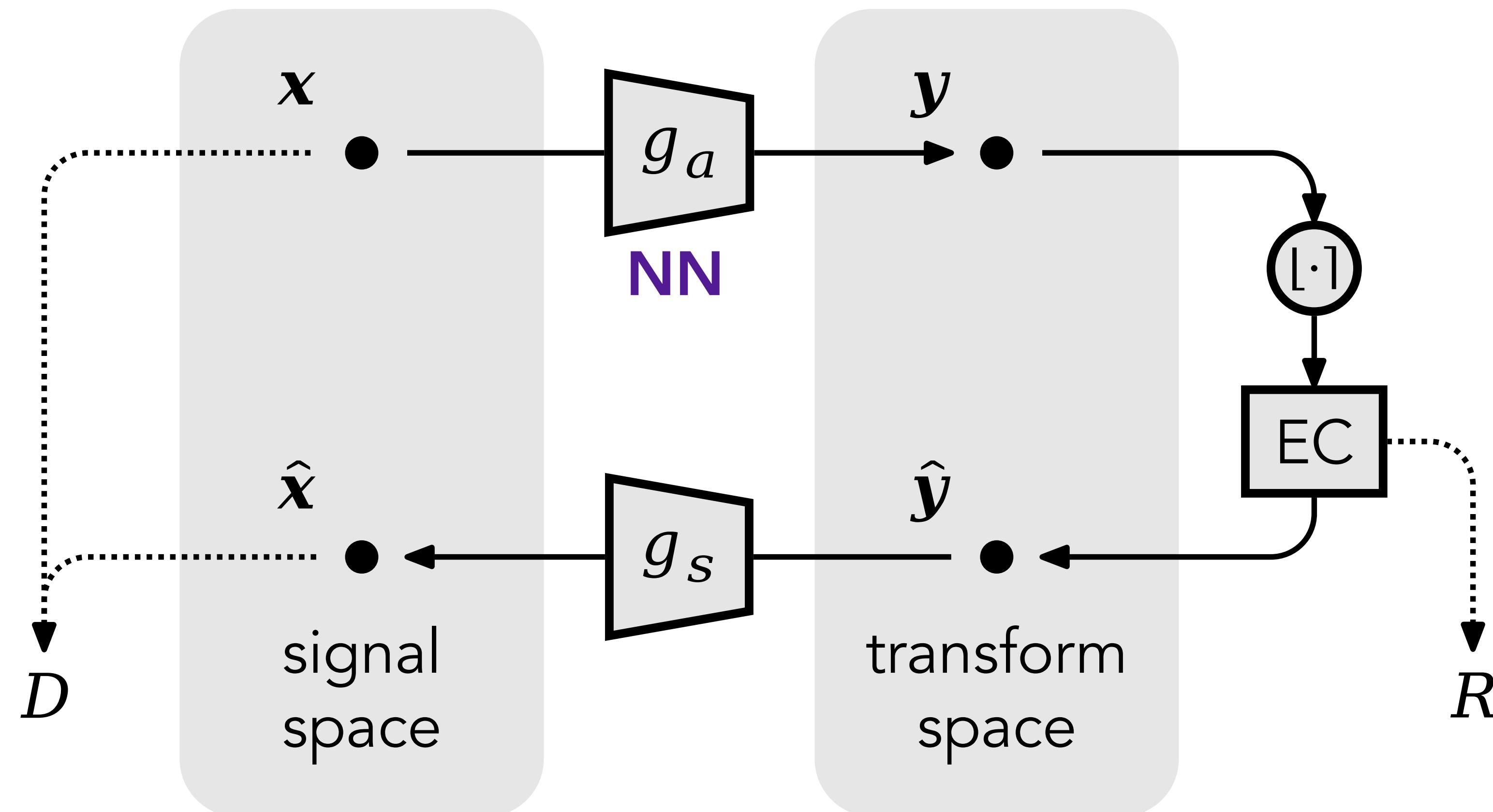
“Learning” Data Compression

via *Nonlinear Transform Coding*

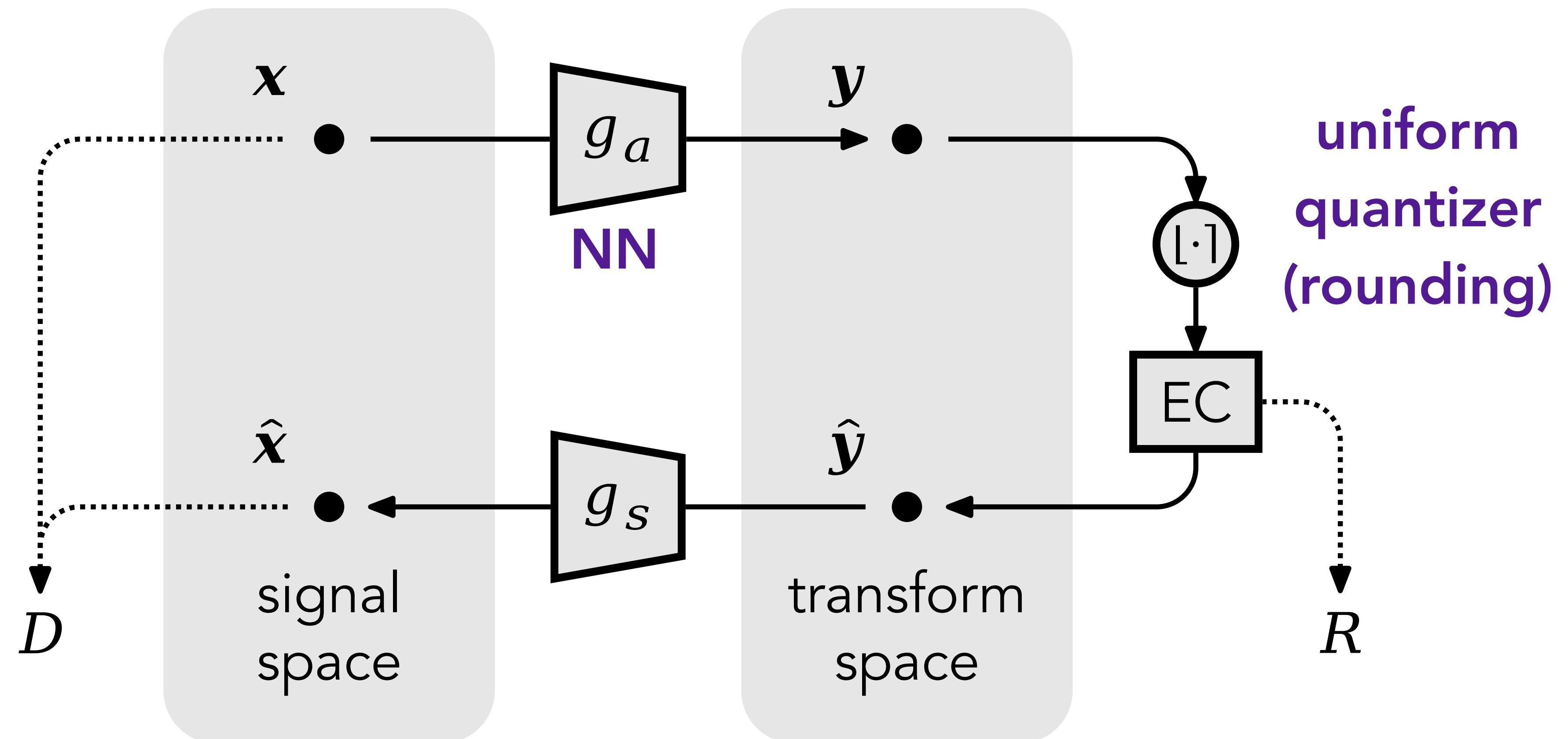
# Nonlinear Transform Coding (NTC)



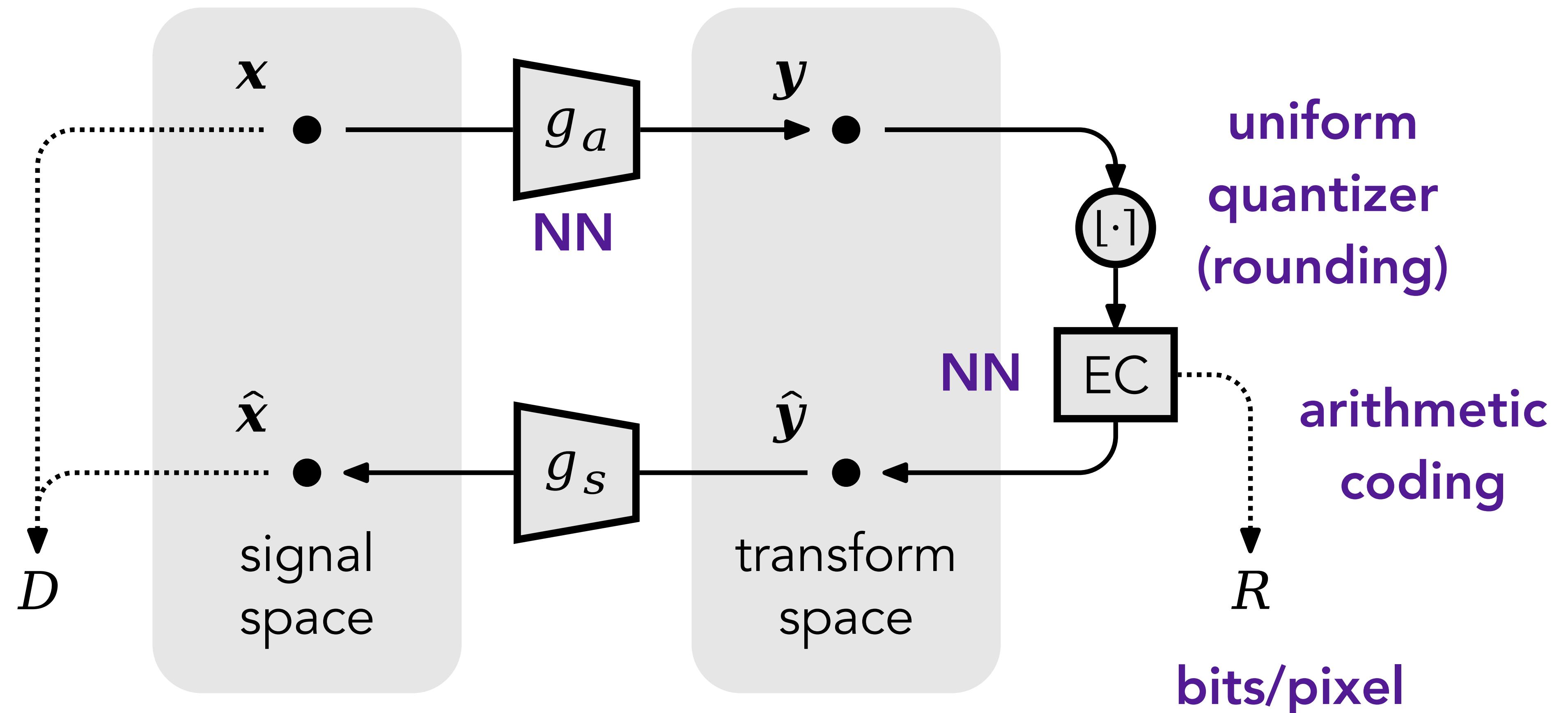
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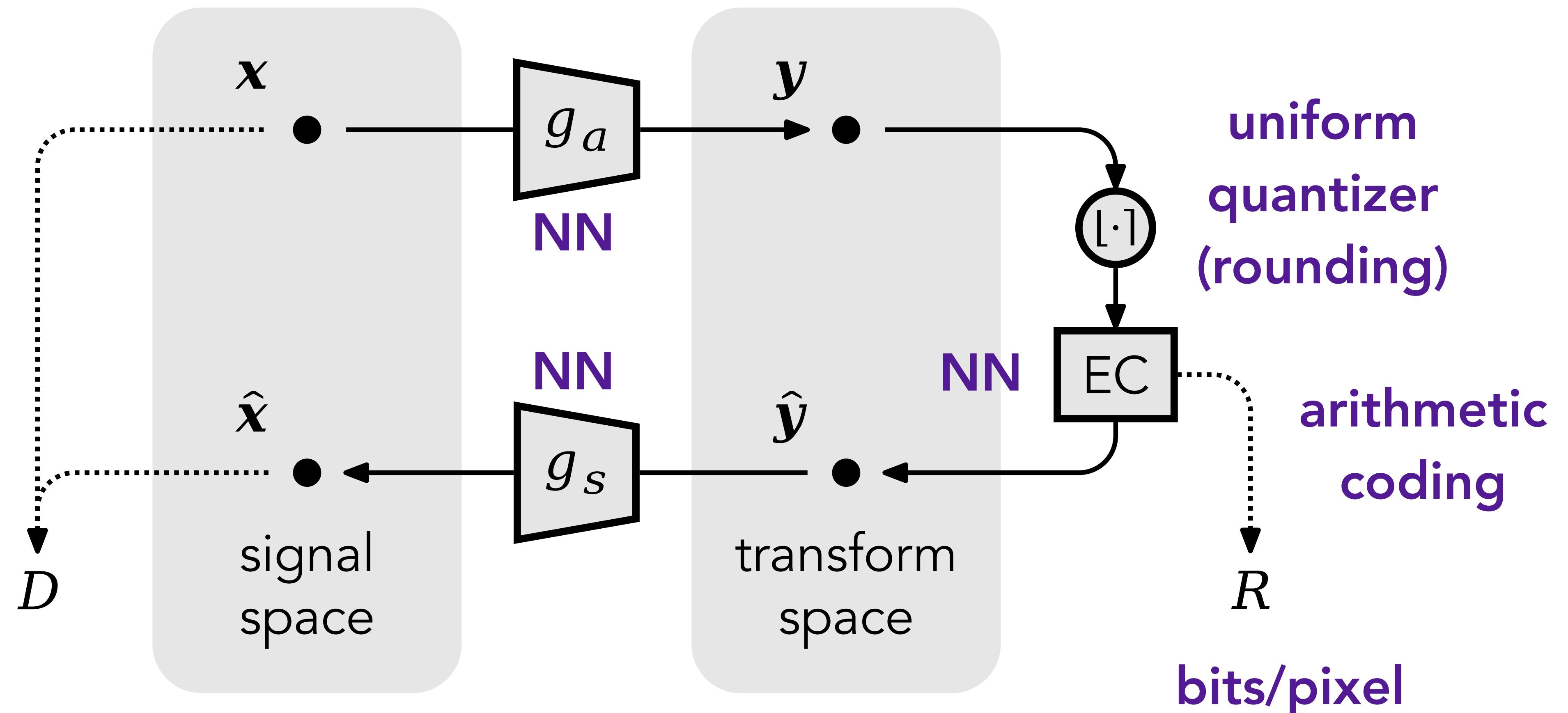
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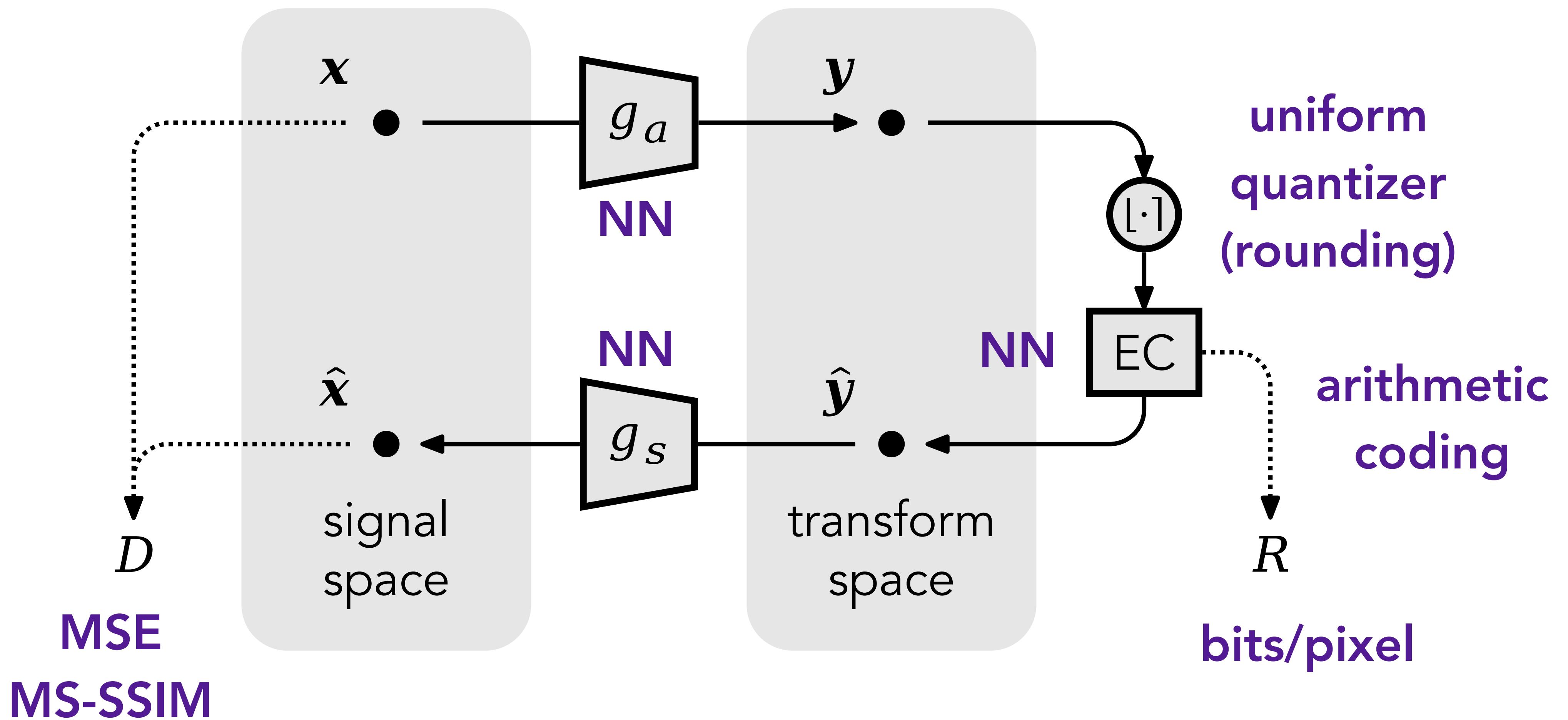
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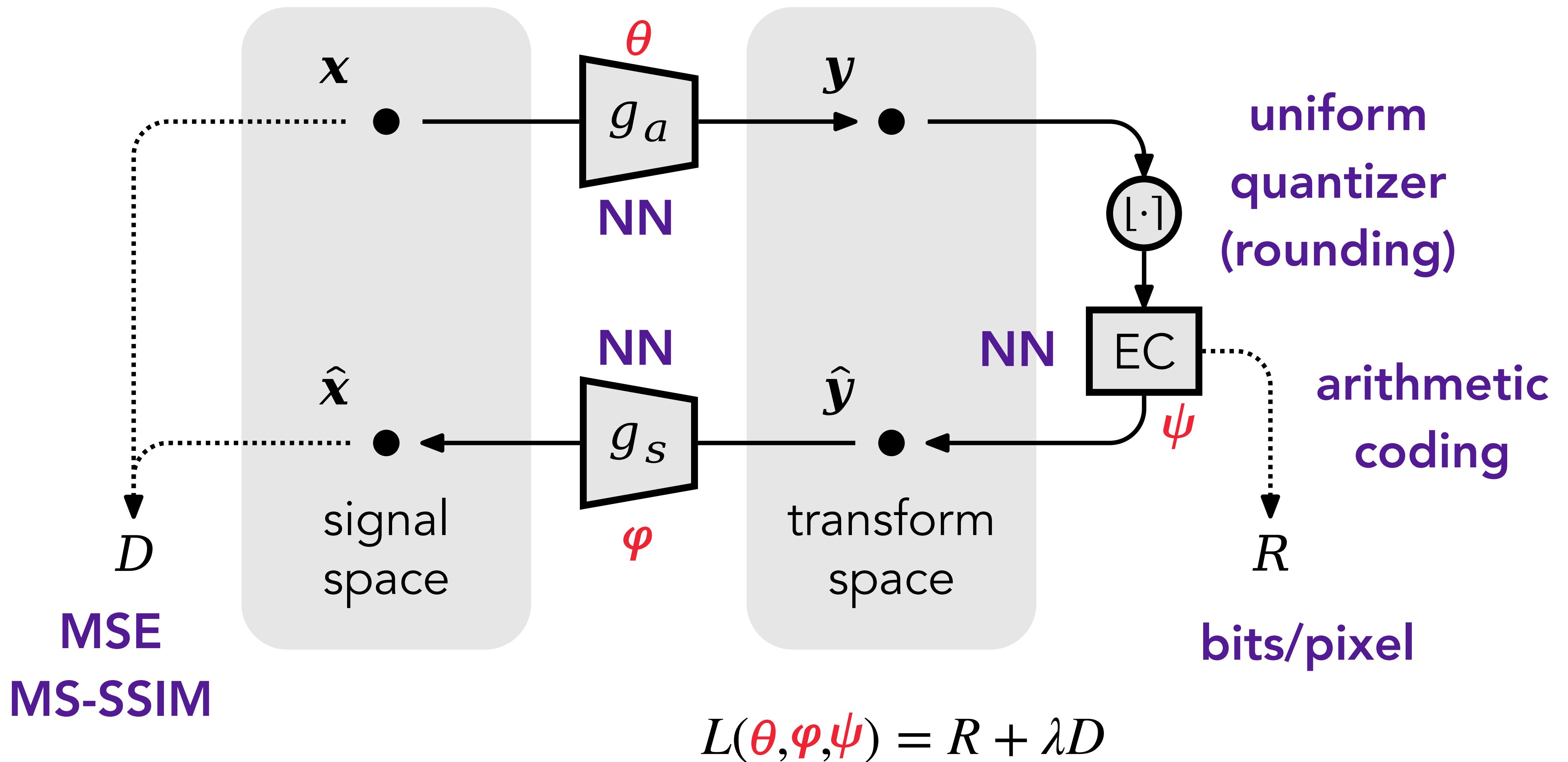
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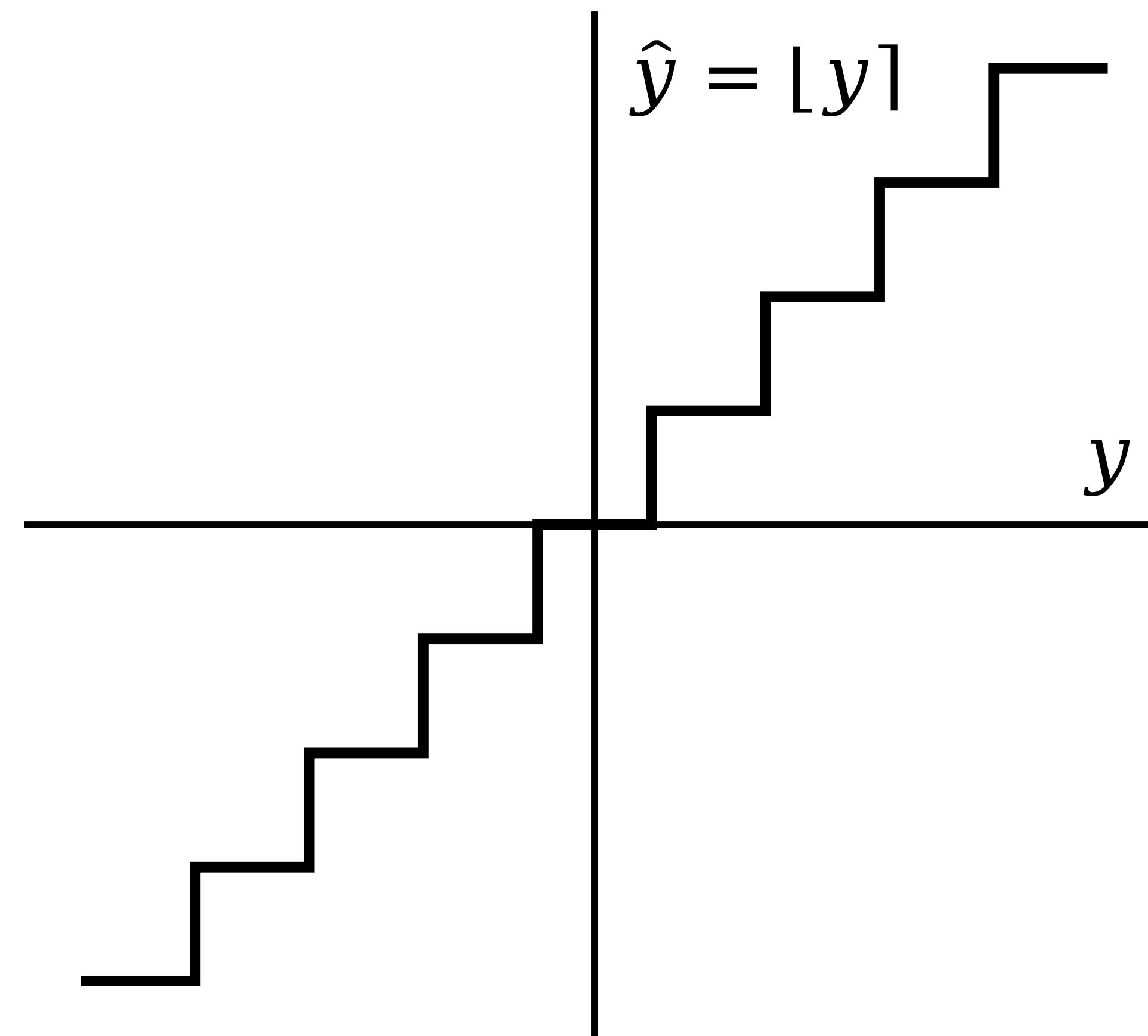
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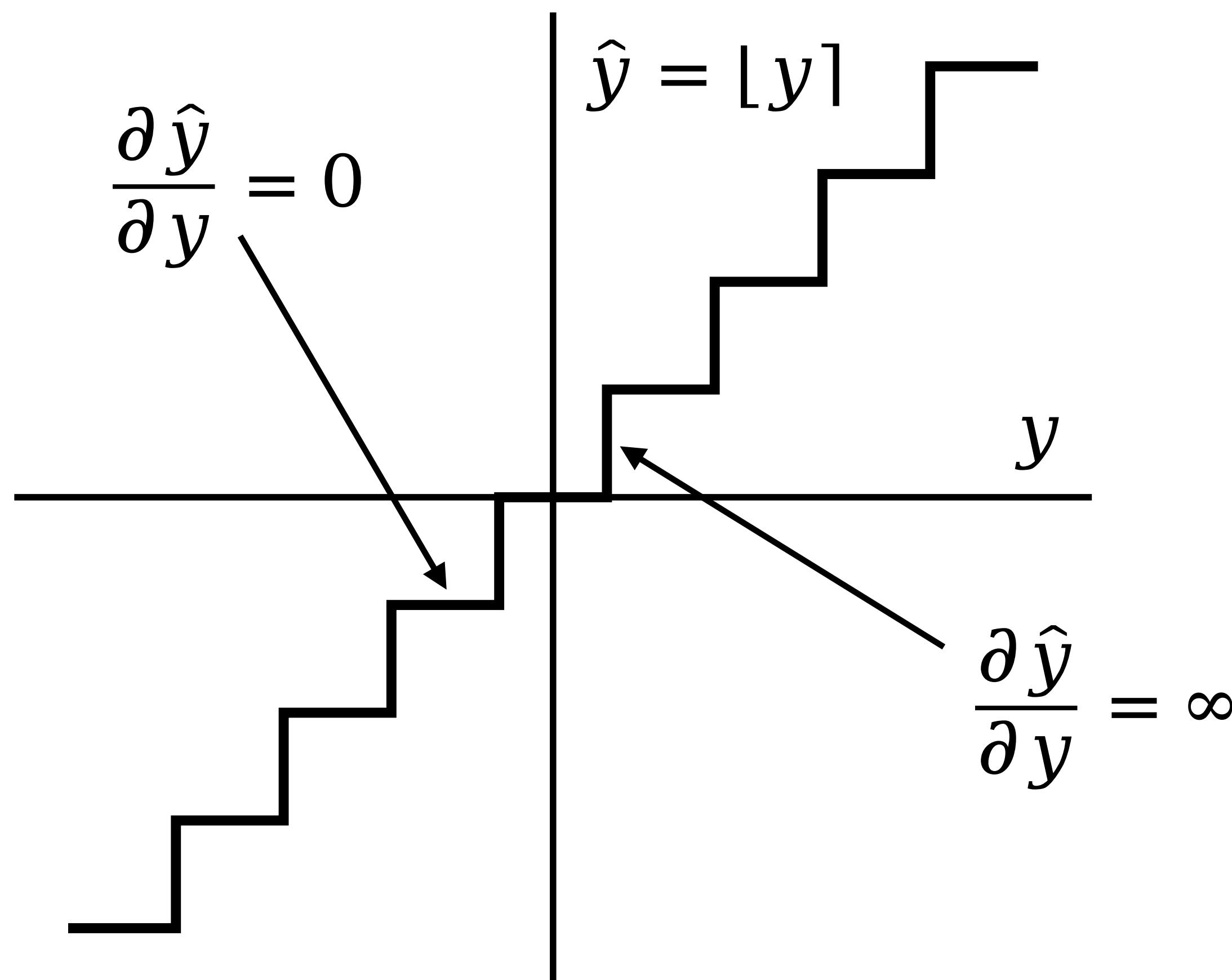
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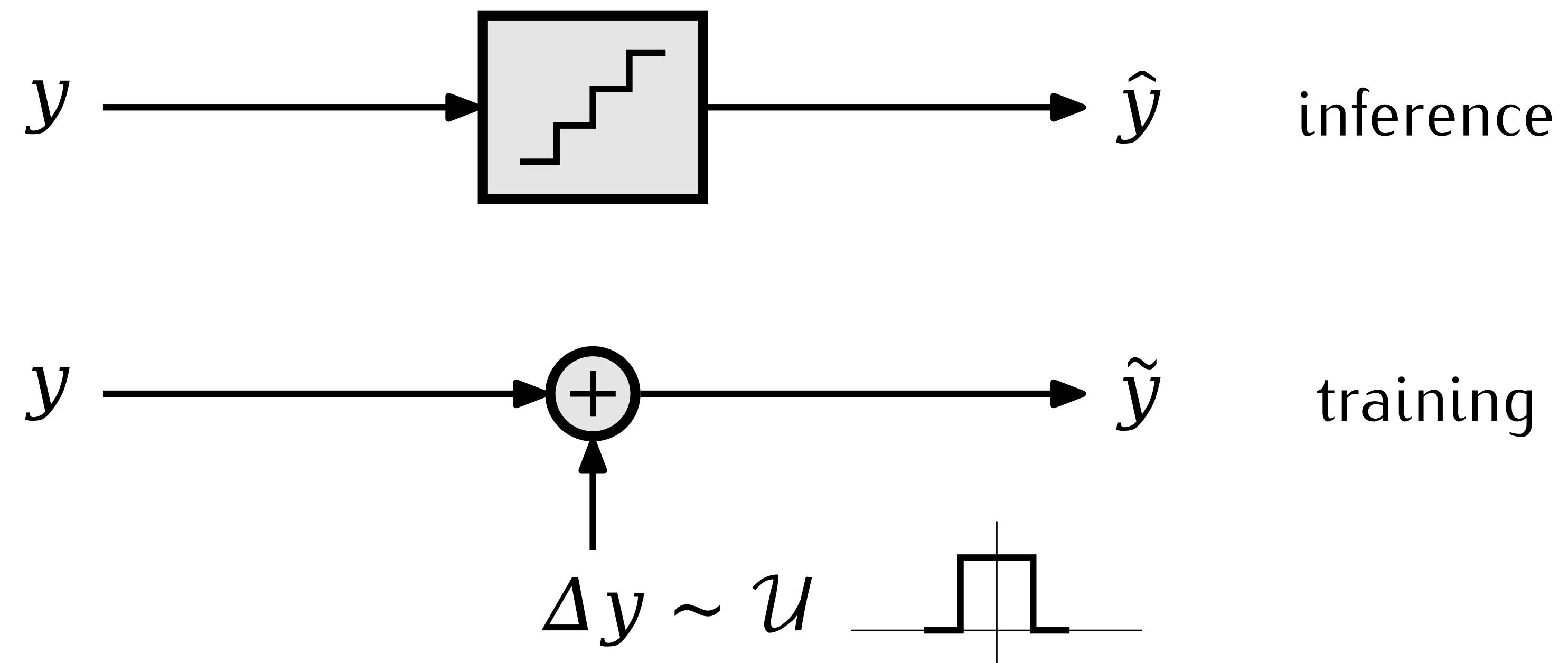


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Replace **rounding** with additive uniform noise.

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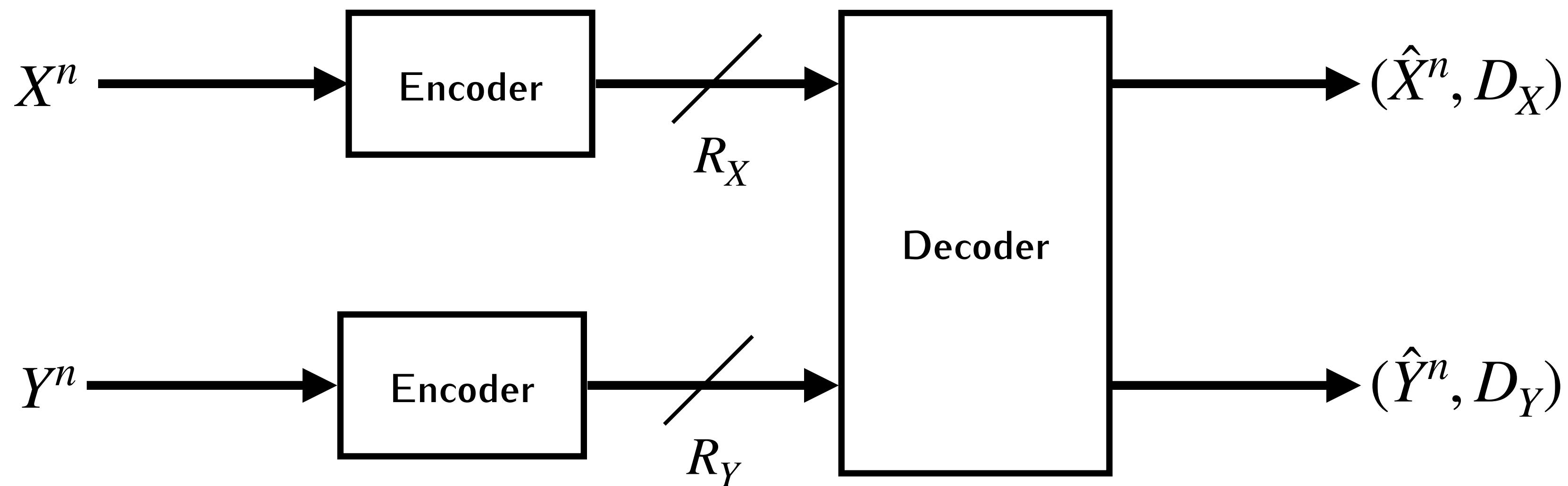


## Part II.A

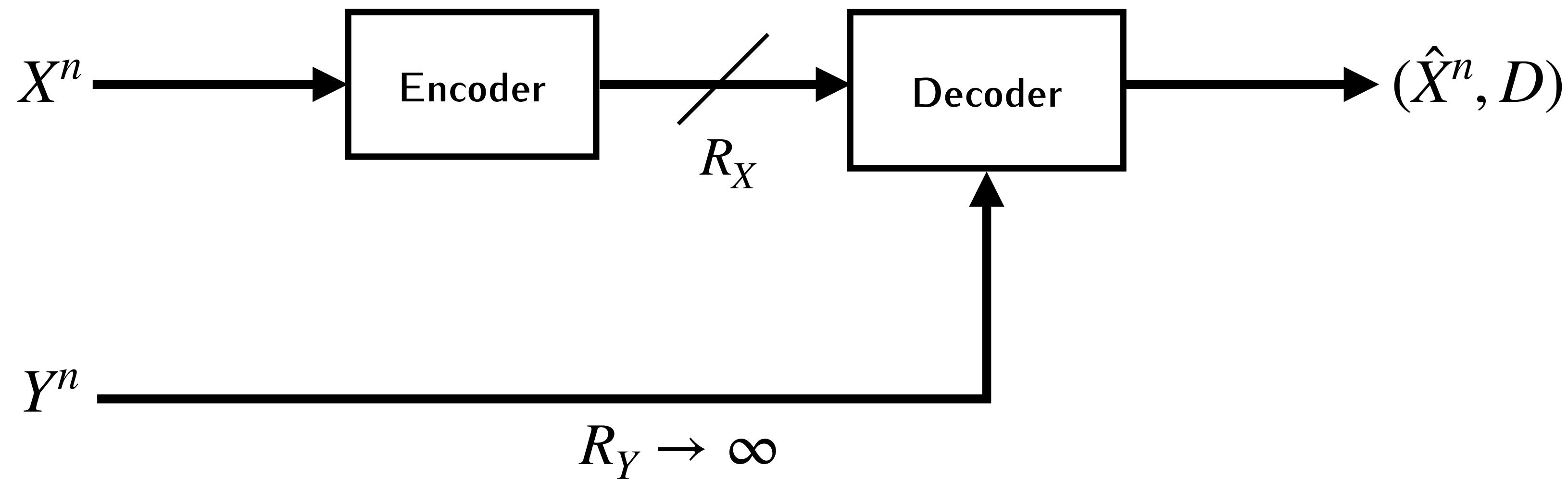
# Learning-Based Distributed Data Compression

# Distributed compression with 2 sources

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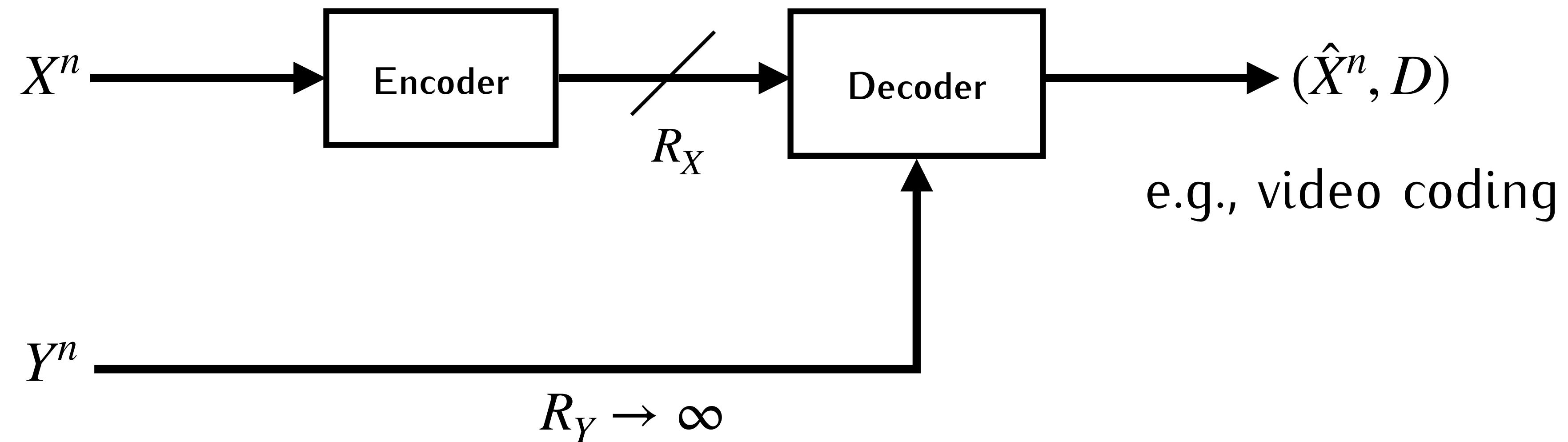


# Special case of distributed compression: rate-distortion with (decoder-only) side information



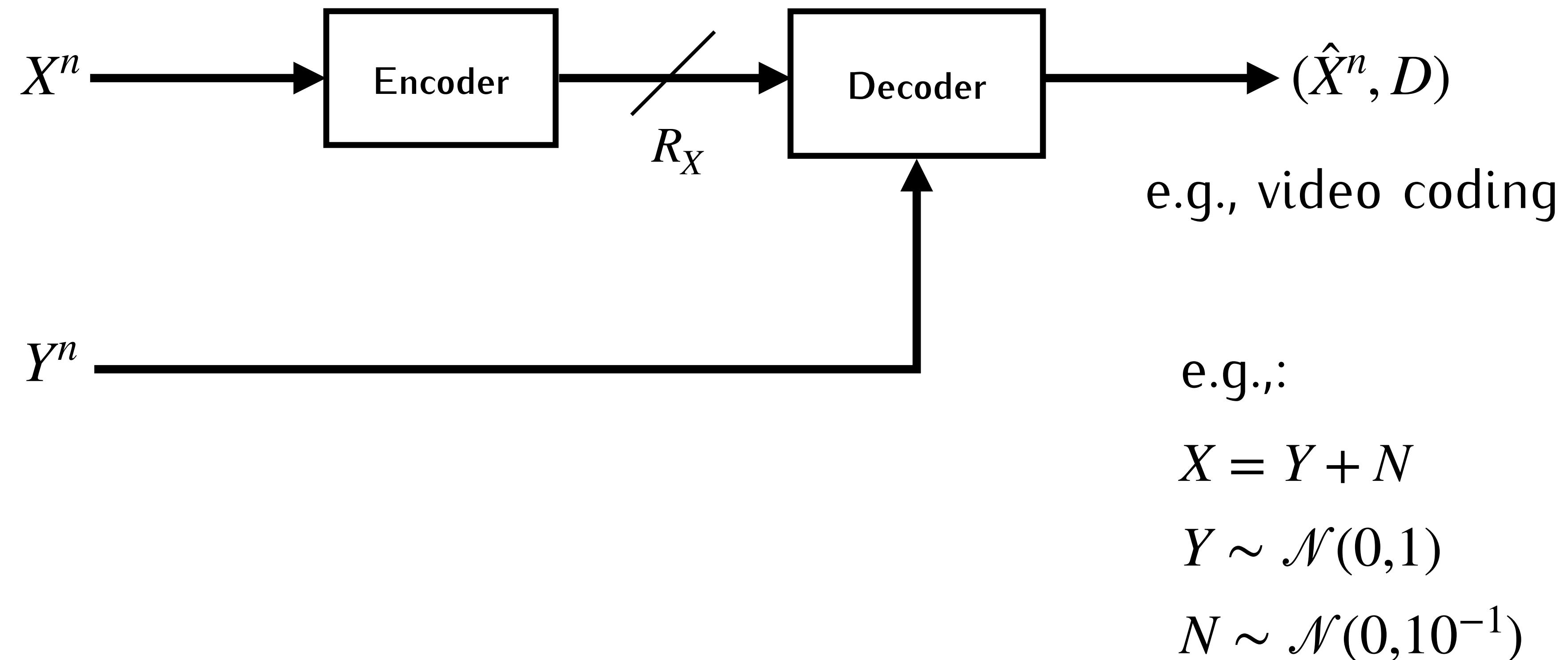
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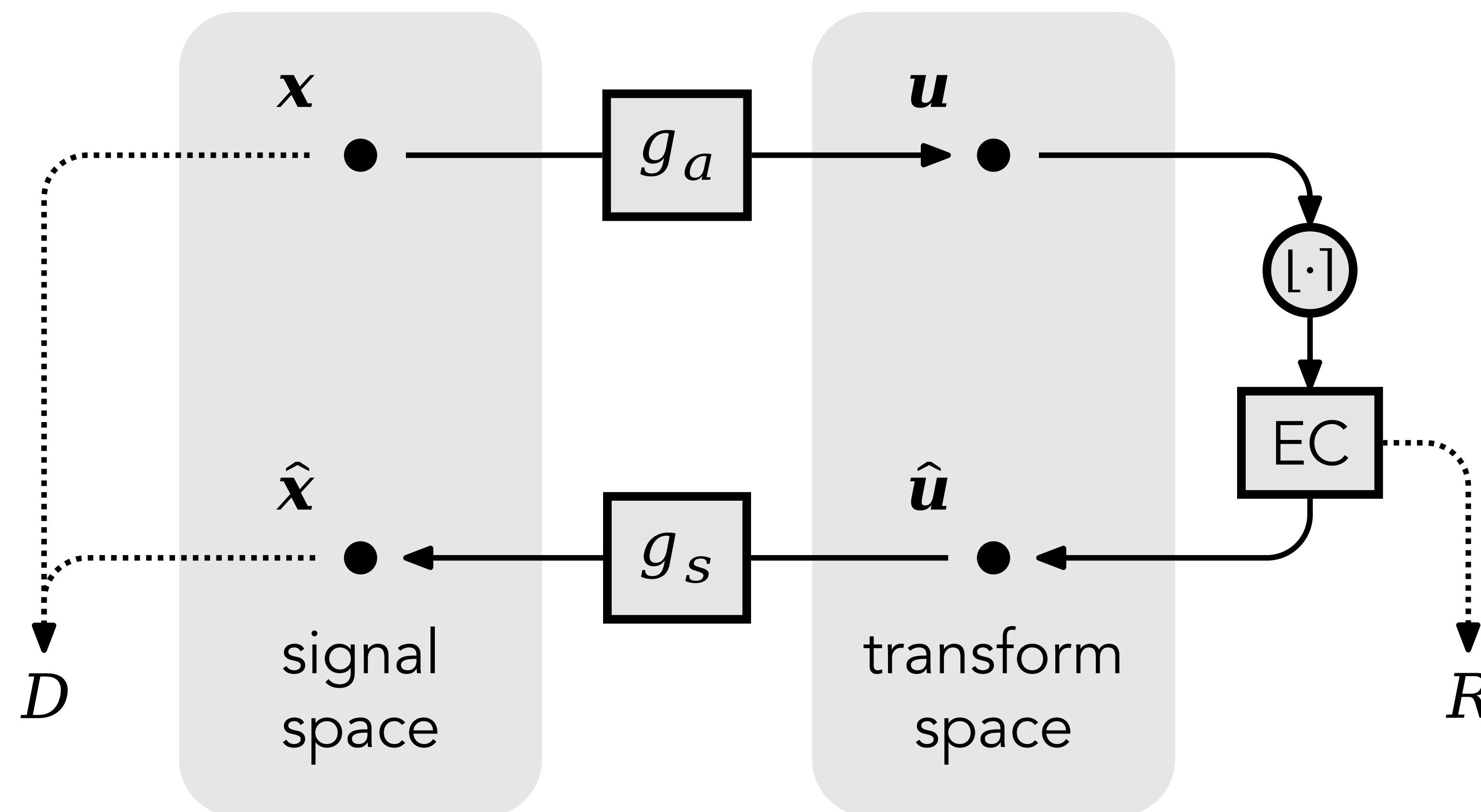


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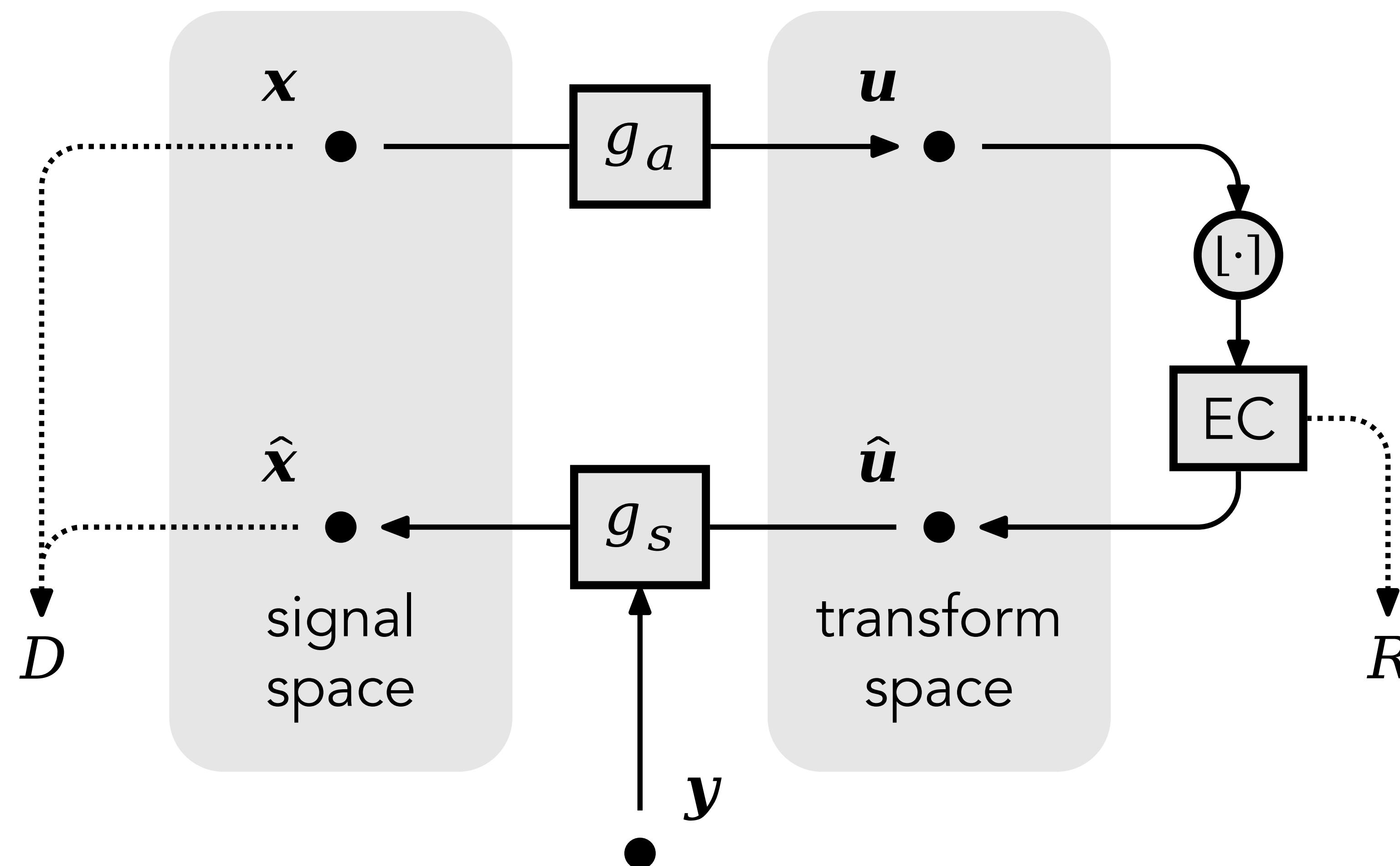
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# With learned compression, just give $y$ to decoder?

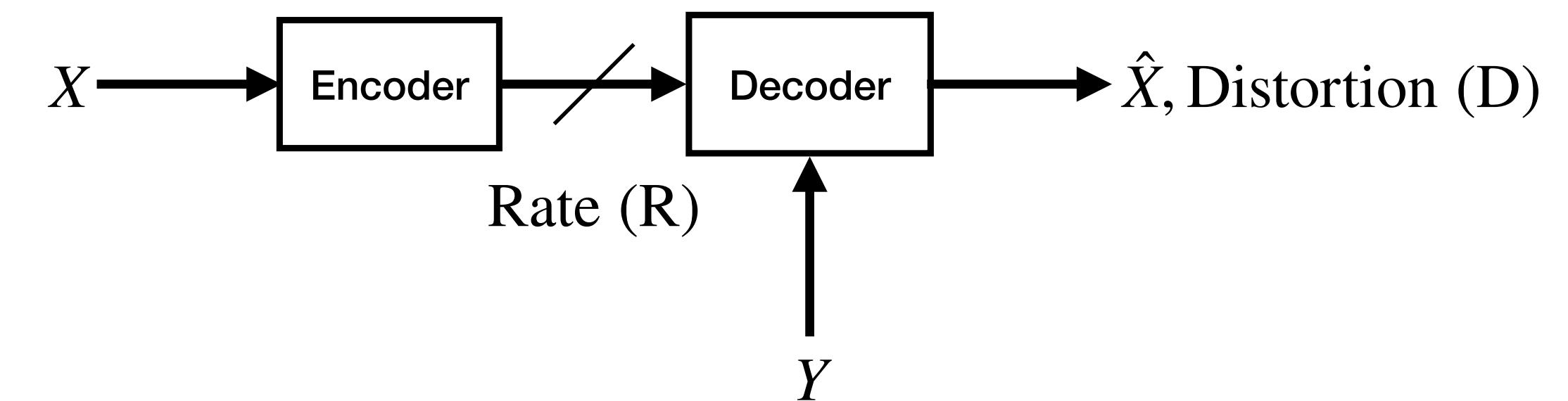


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**Nope! NTC doesn't work.**

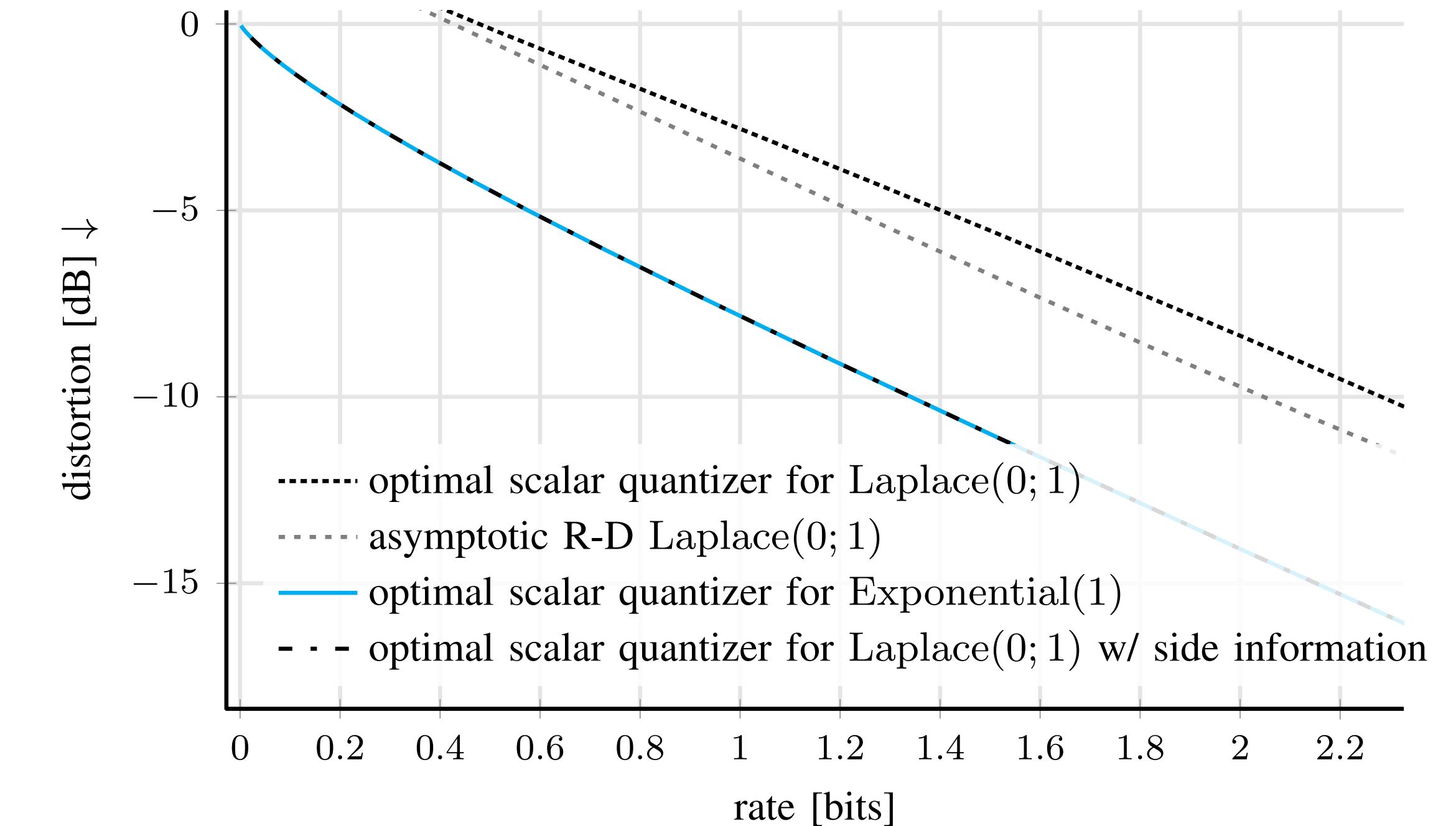
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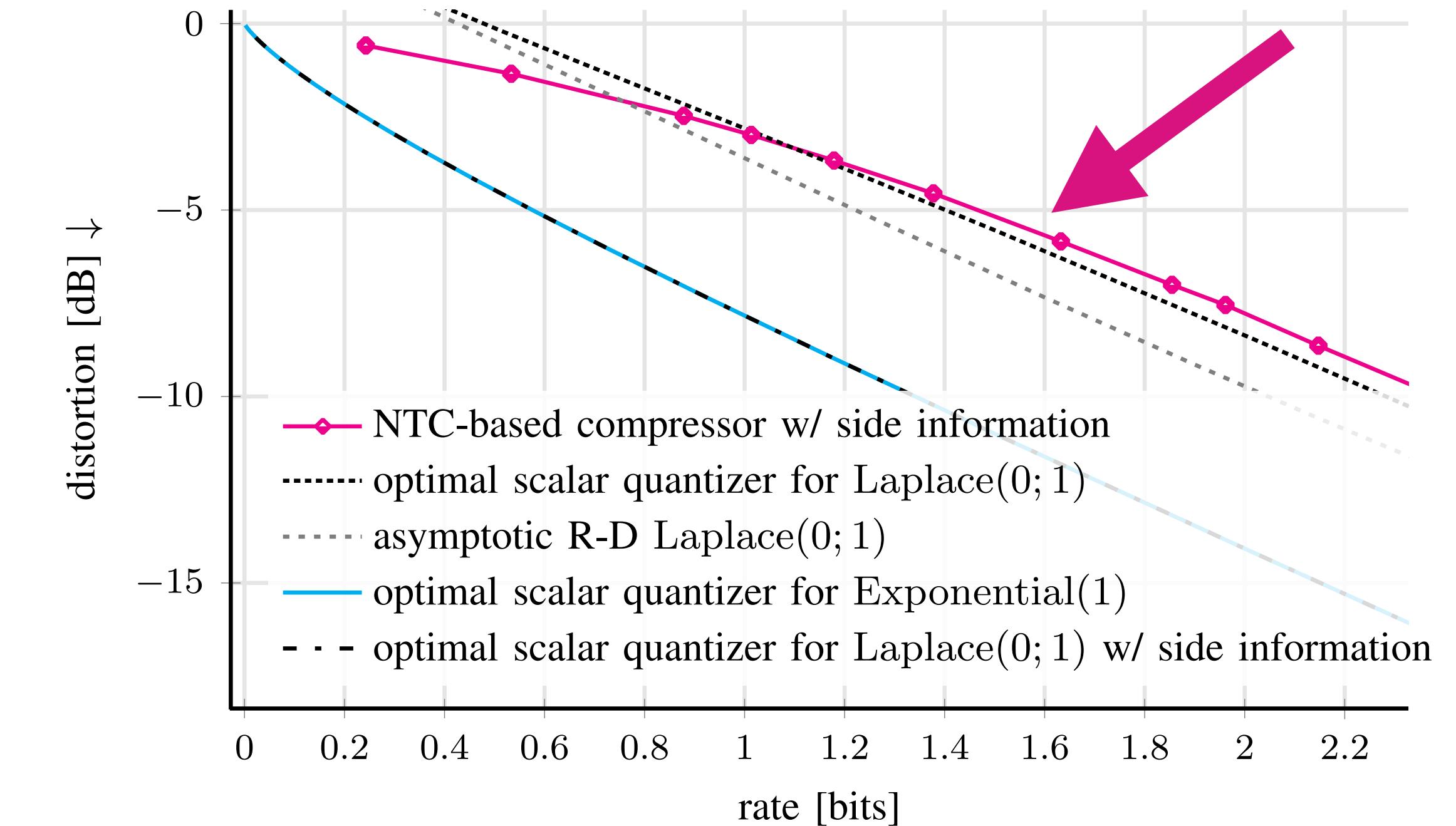


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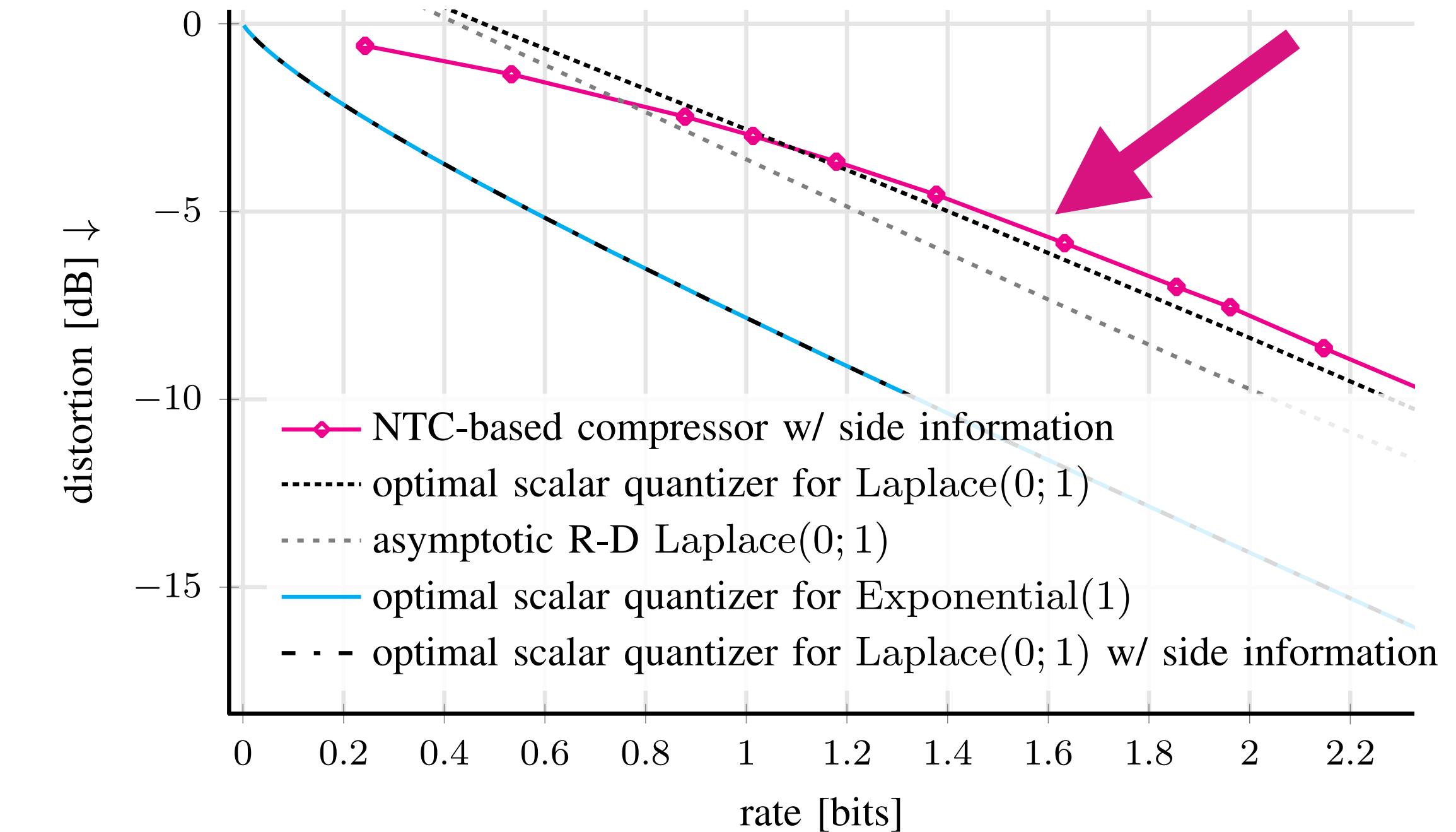


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  - NTC-based compressors have a **learning bias towards *smooth functions***.

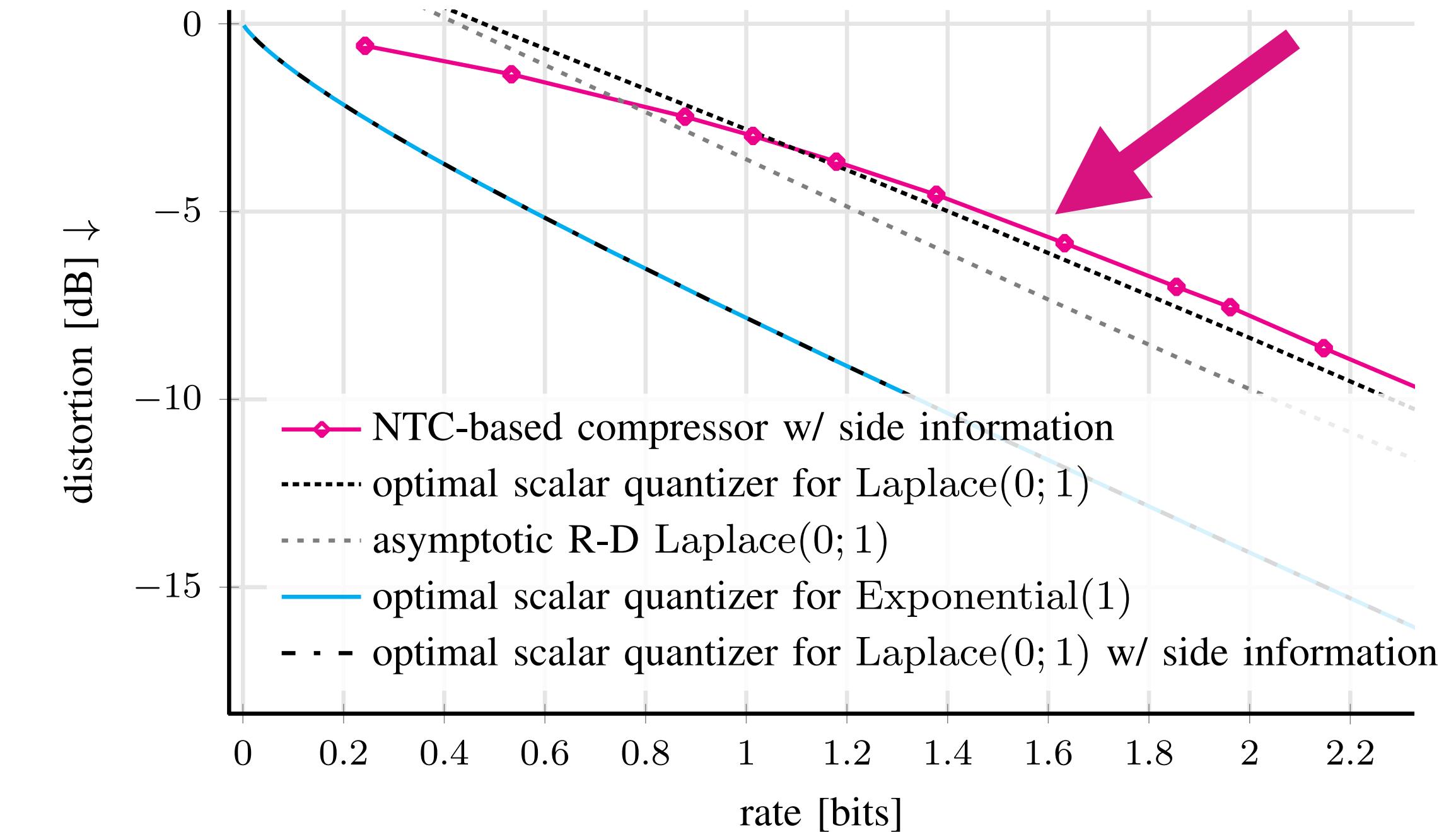


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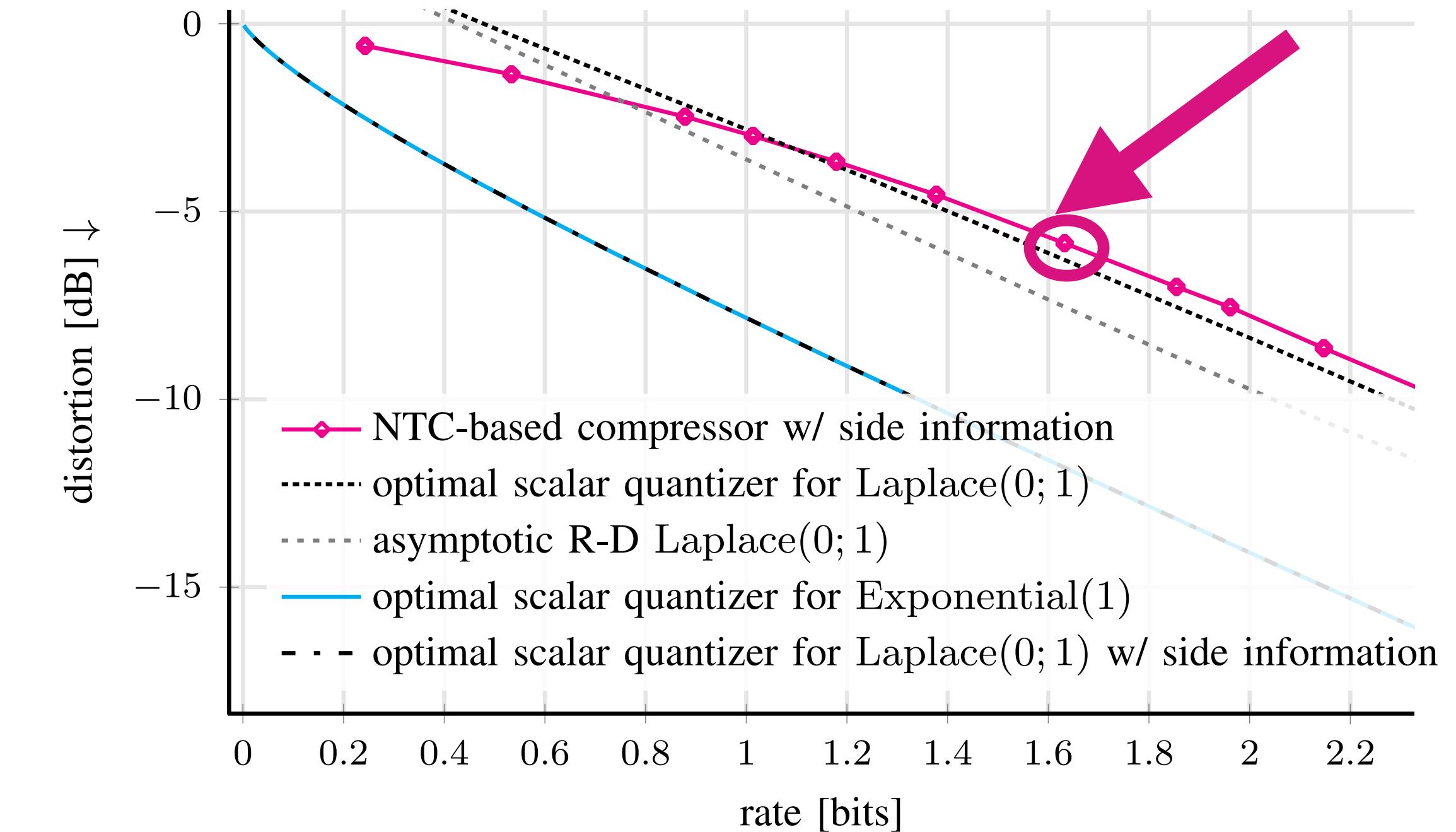


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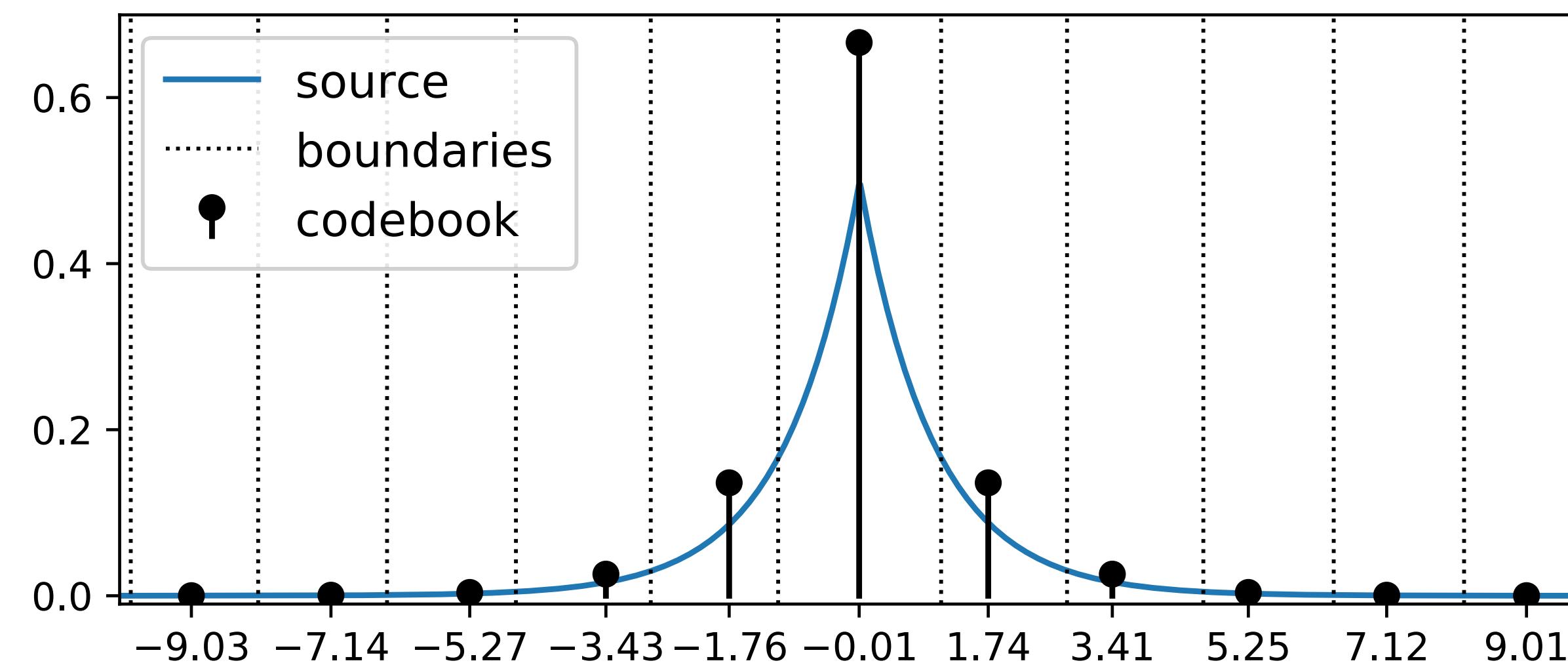


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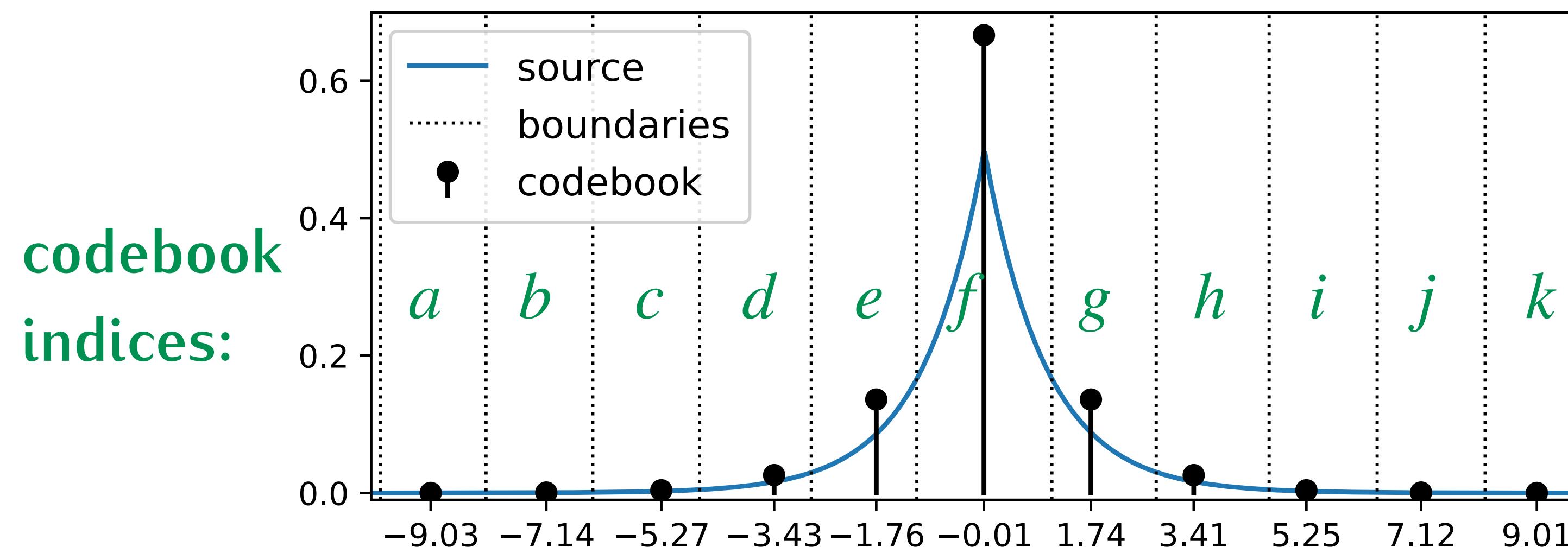
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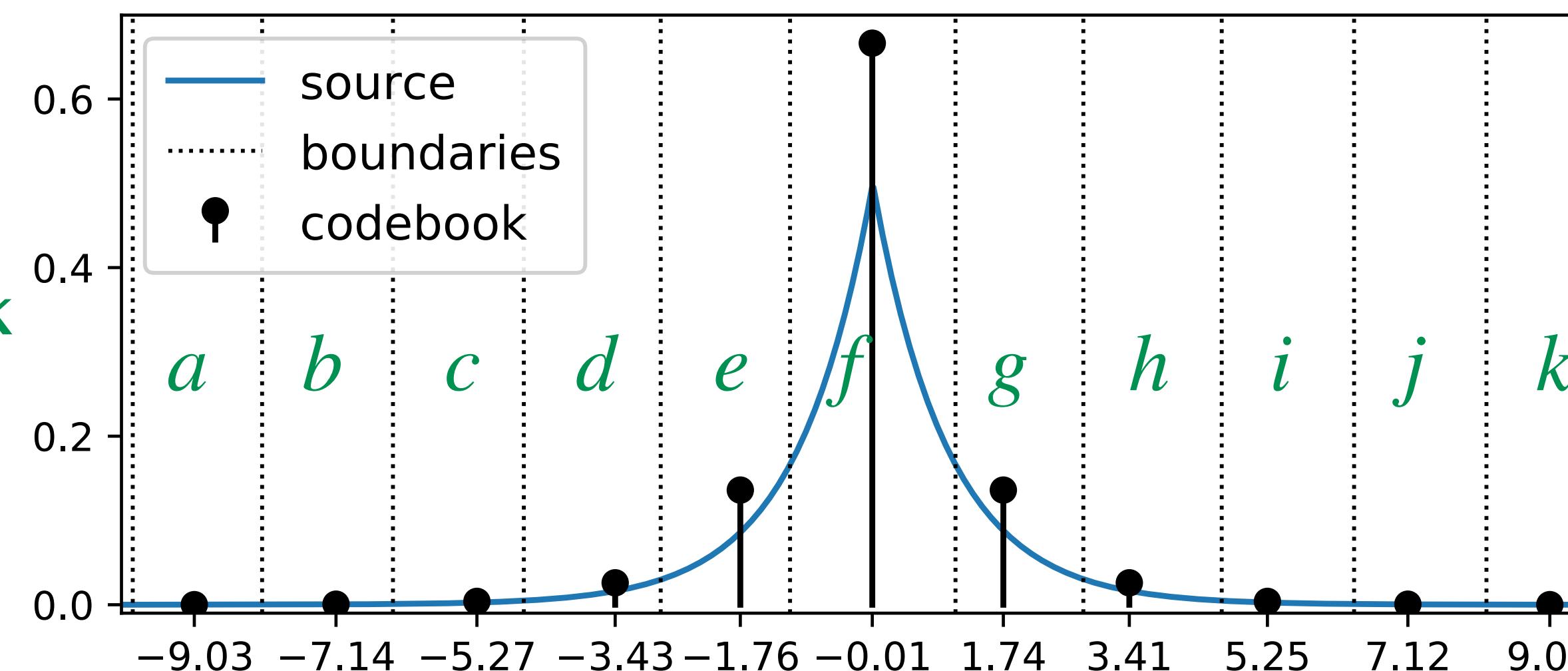


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NTC assigns *unique index* for each interval.

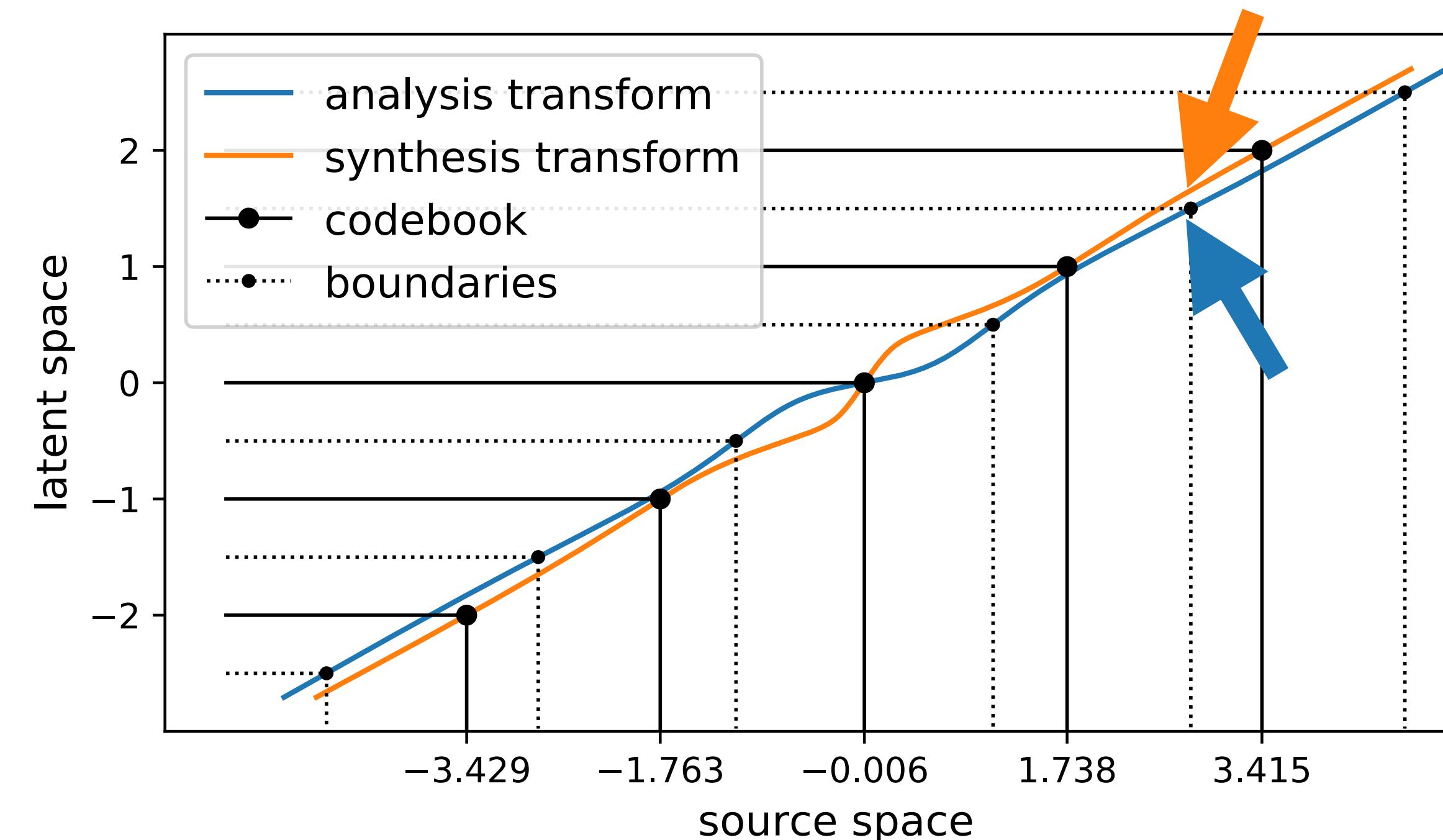
# What does NTC learn?

codebook  
indices:



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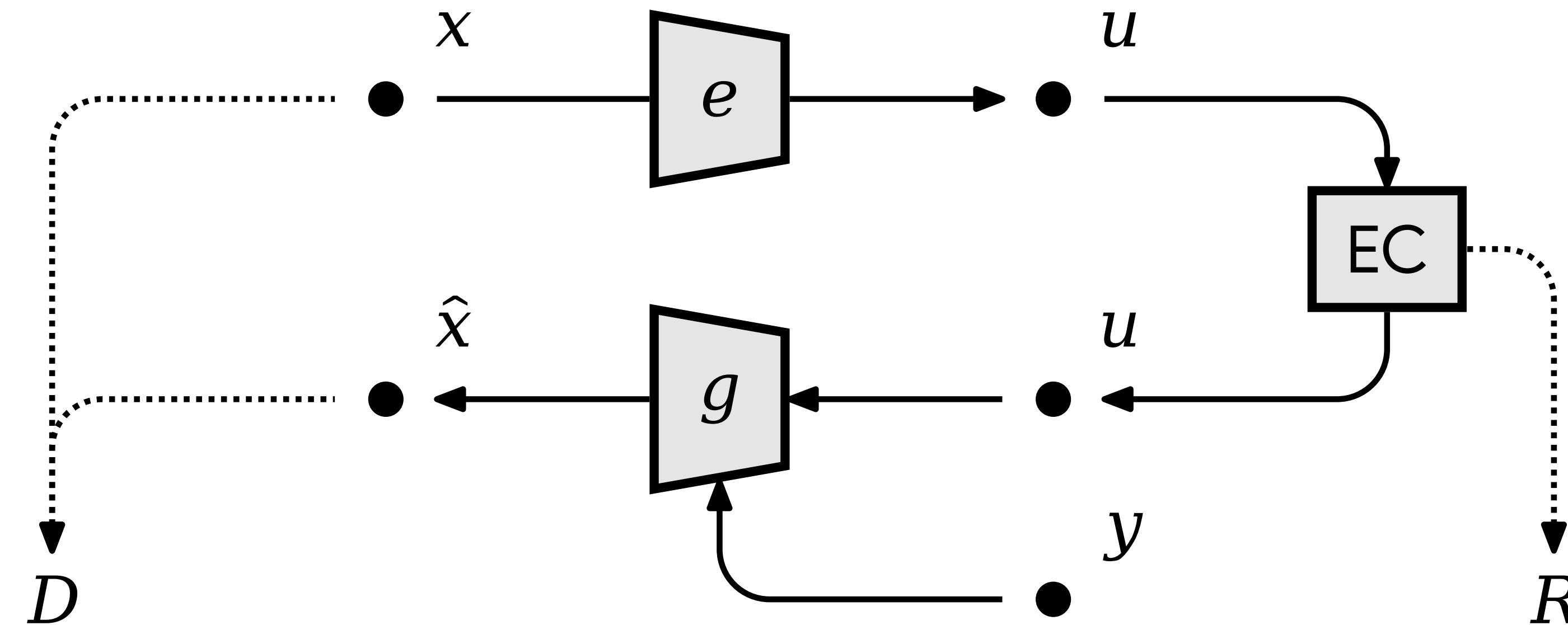


$$\text{encoder: } \mathbb{R} \mapsto \mathbb{Z}$$

$$\text{decoder: } \mathbb{Z} \mapsto \mathbb{R}$$

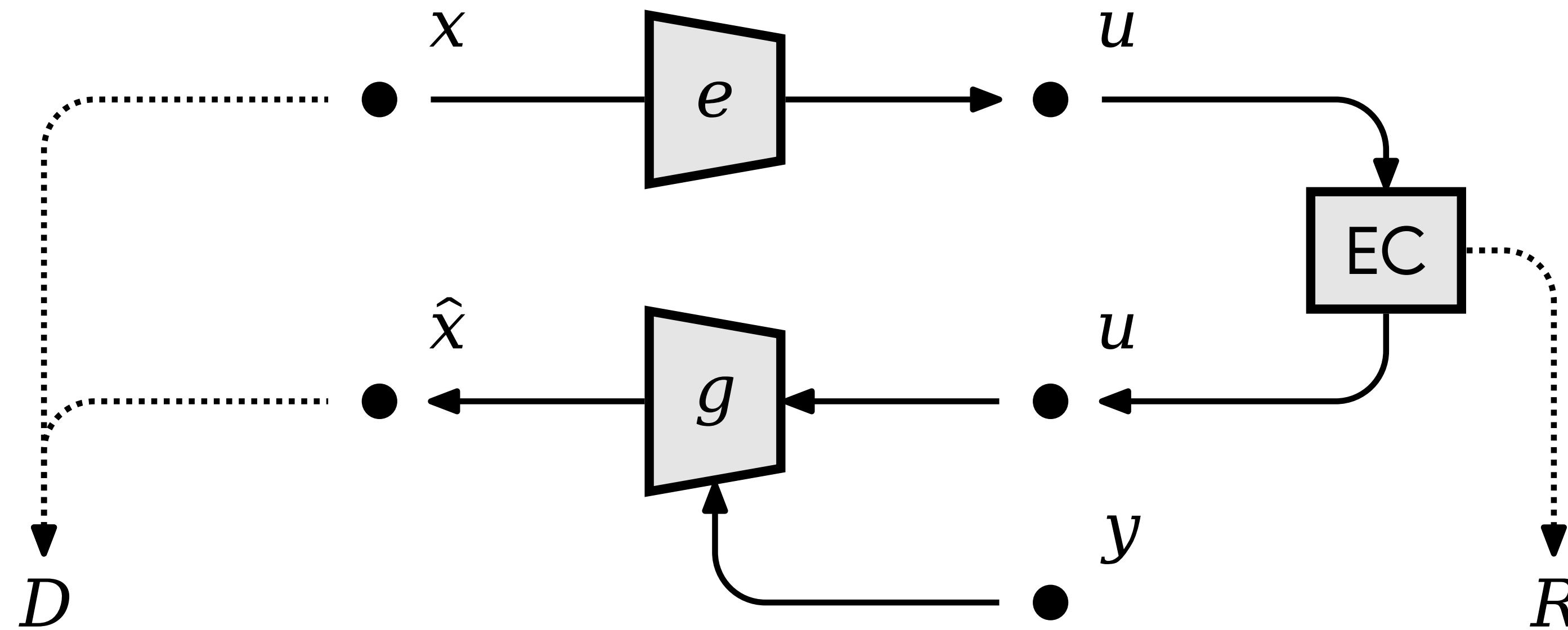
NTC recovers *smooth* nonlinear transforms.

# How to overcome the smoothness learning bias?



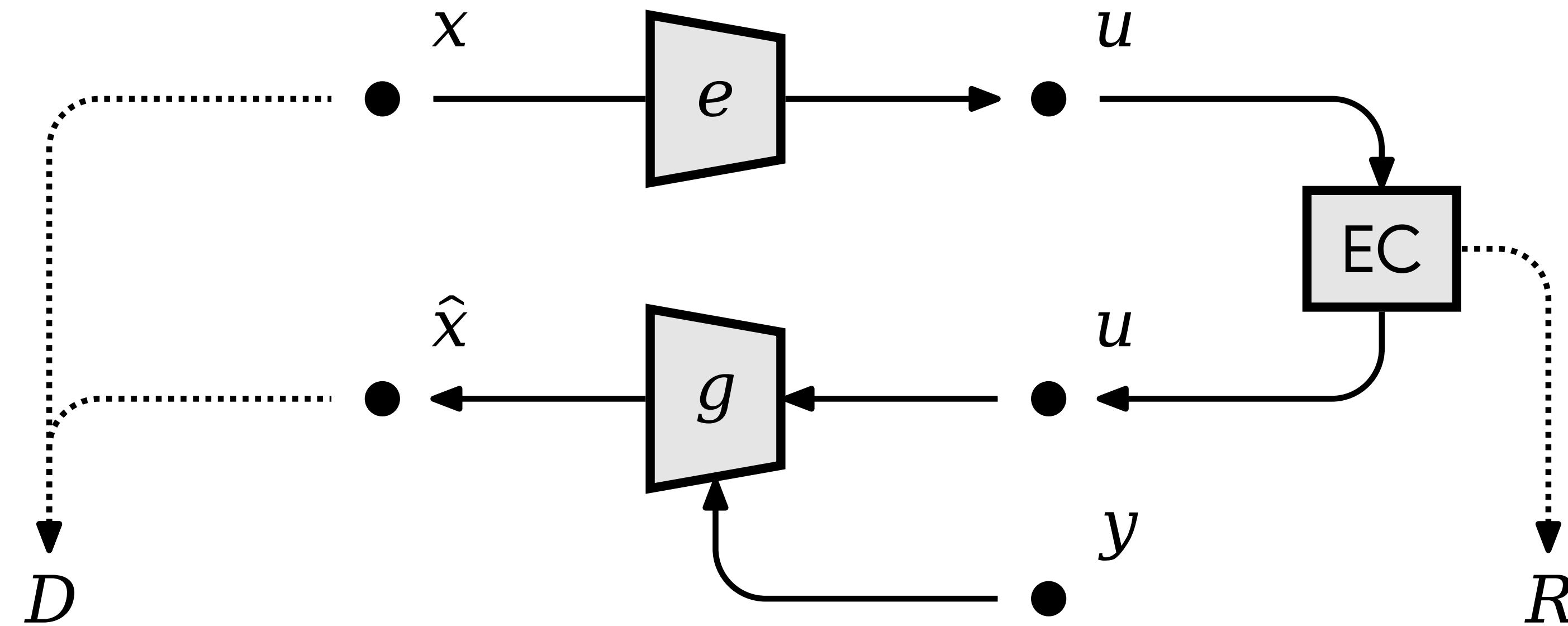
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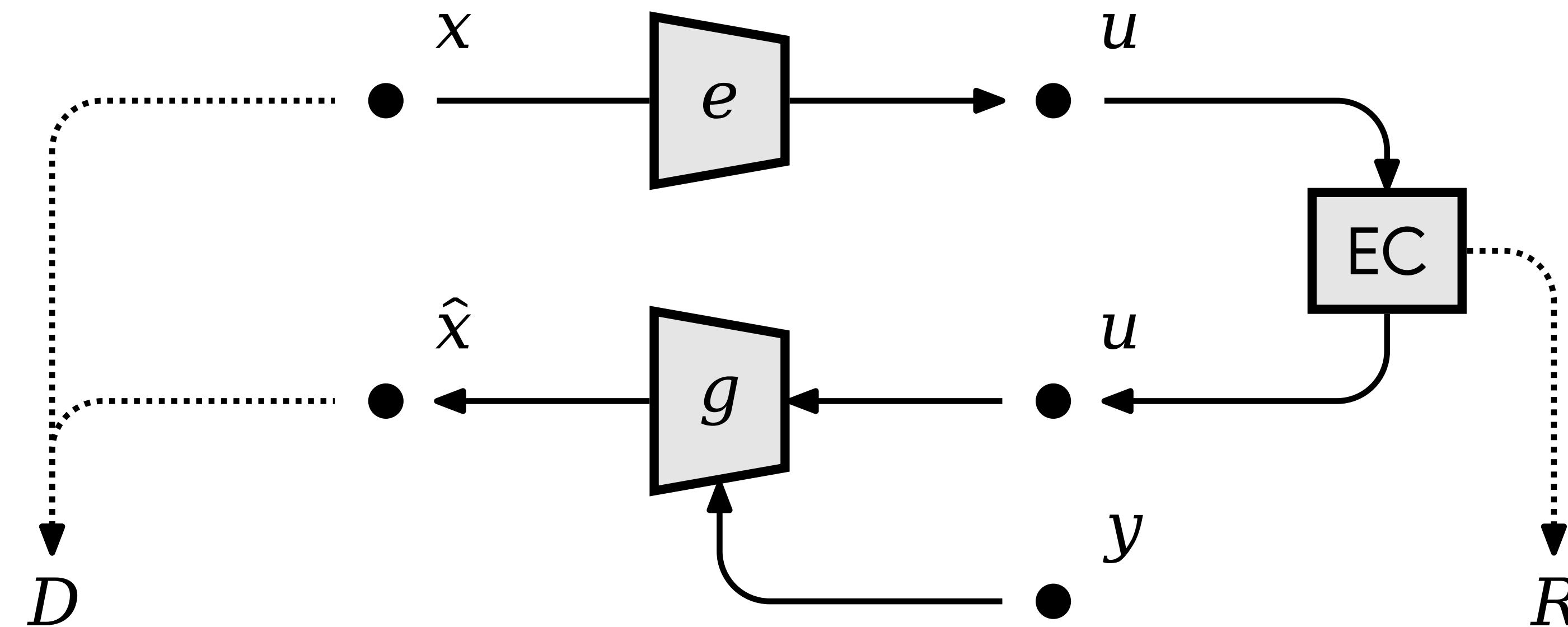
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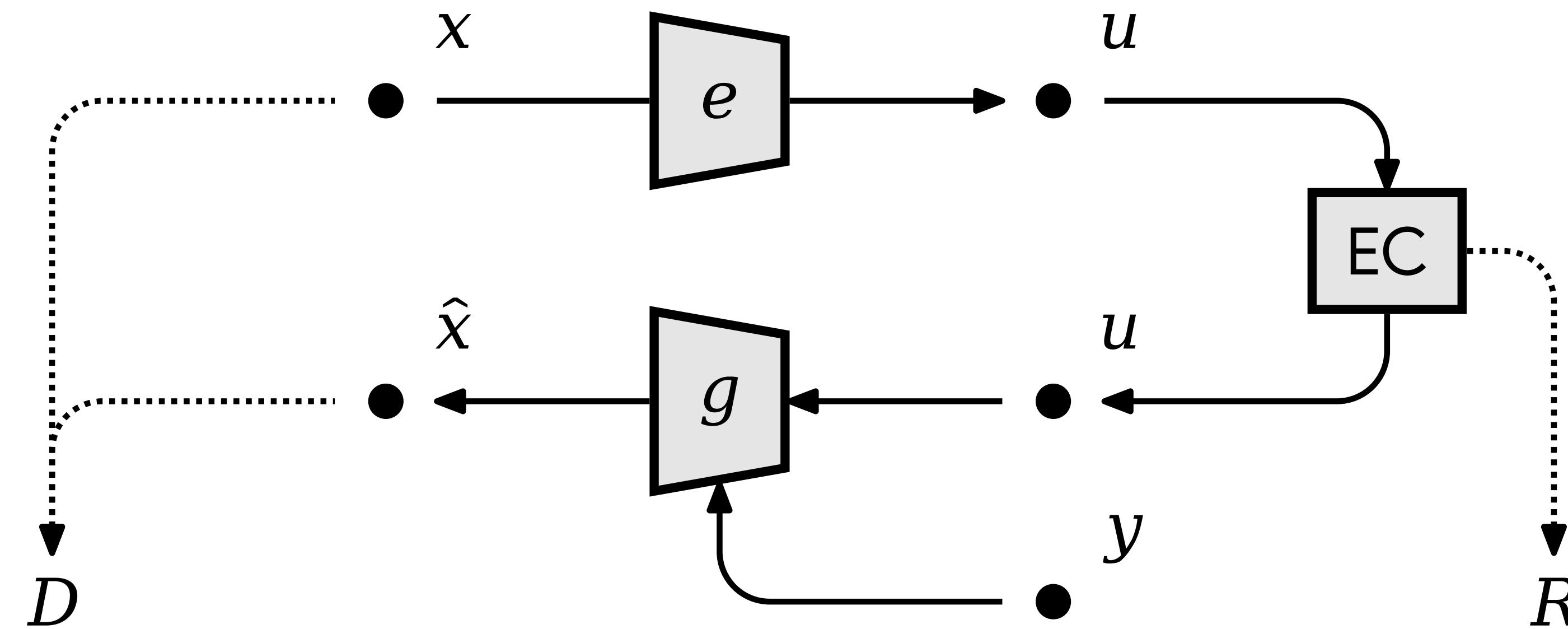
- Motivation: encoder can implement arbitrary maps?
- Let the encoder output indicator (one-hot) functions, rather than vectors rounded to integers.
  - This gives the encoder the same structure as a classification network.
  - Encoder be  $e_{\theta} : \mathbb{R} \mapsto \{a, b, c, d, \dots\}$ , instead of  $e_{\theta} : \mathbb{R} \mapsto \mathbb{Z}$  as in NTC.

# Replacing NTC with something less constrained



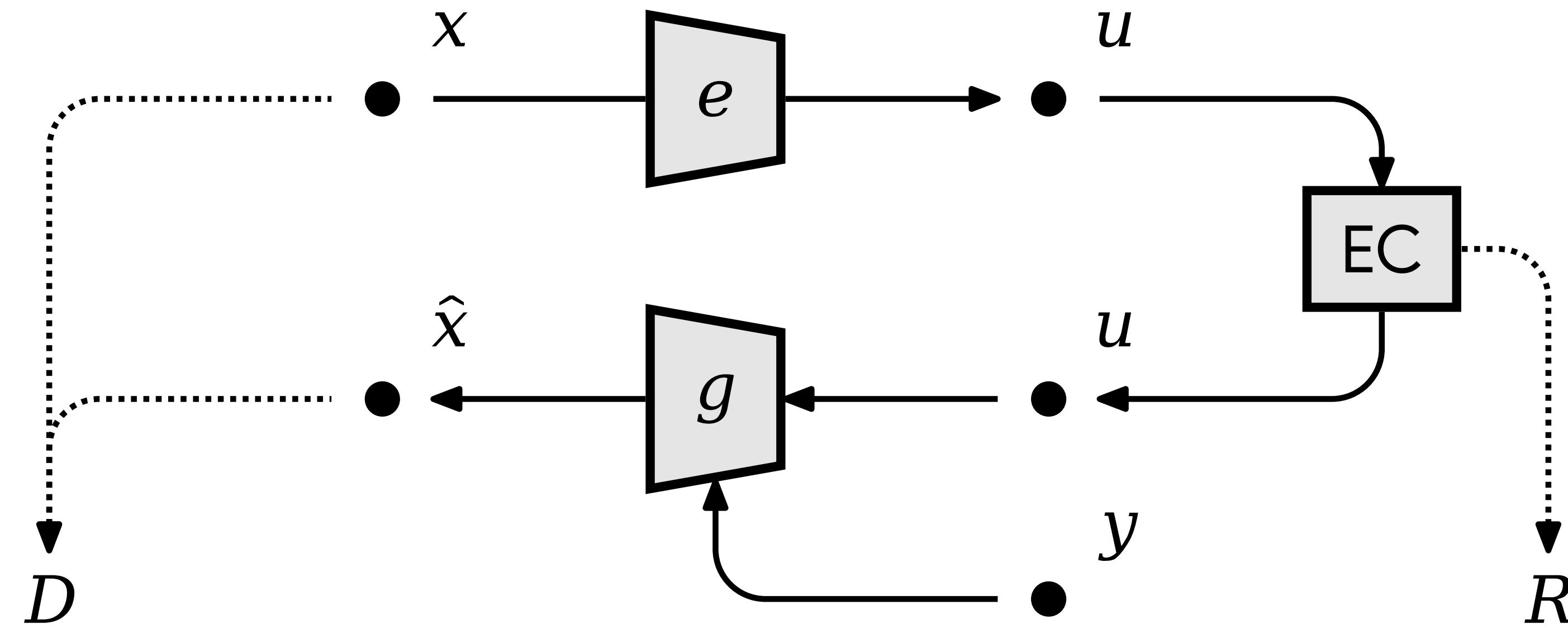
- Let encoder  $e_{\theta}(x)$  output “logits”  $(\alpha_1, \alpha_2, \alpha_3, \dots)$ .

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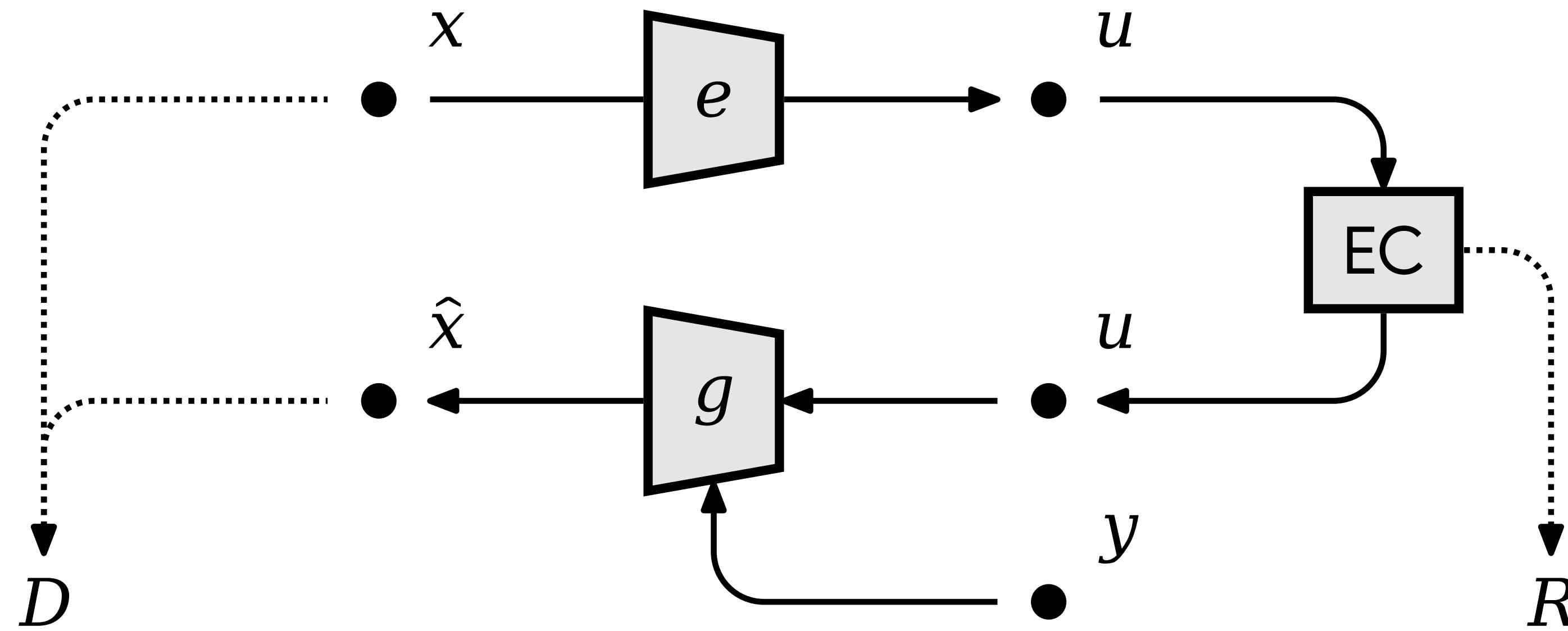
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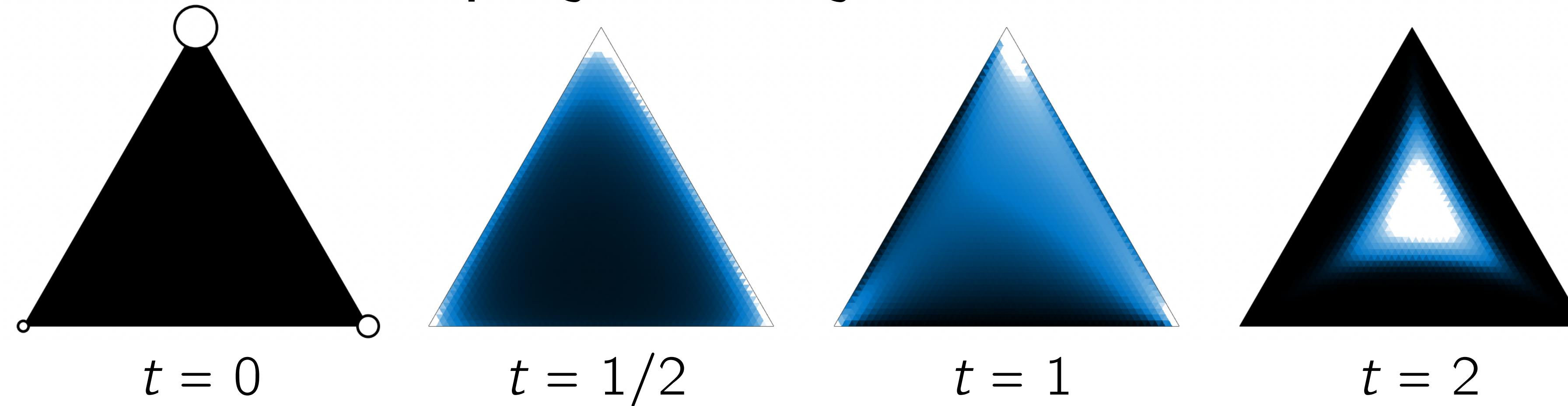
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**not differentiable** 
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# Gumbel-Softmax trick

Allows **differentiable sampling** from categorical-like distribution.



Rather than sampling an index  $u$ , we sample a vector  $u$ :

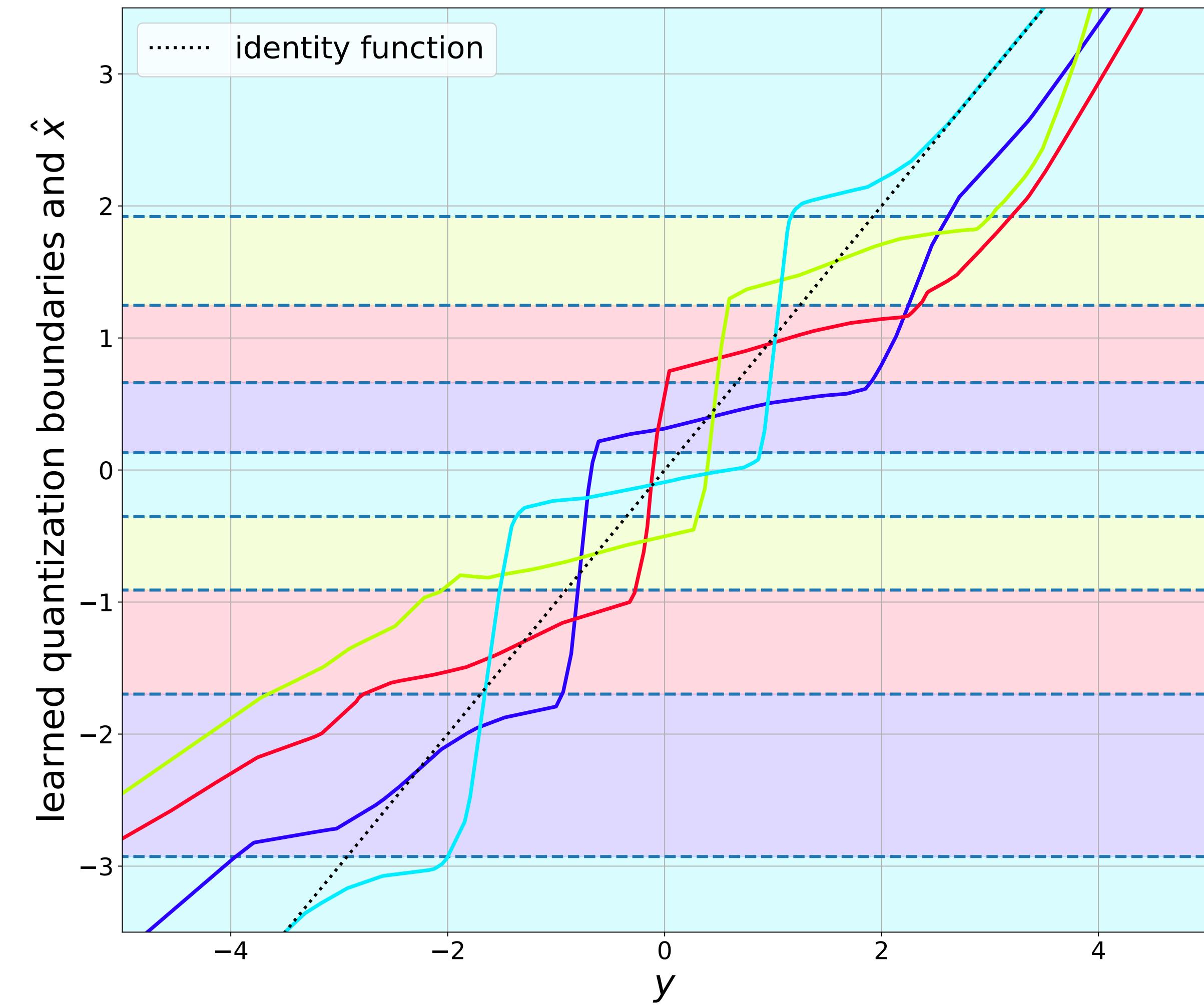
$$u_k = \frac{\exp((\alpha_k + G_k)/t)}{\sum_i \exp_i((\alpha_i + G_i)/t)}$$

As  $t \rightarrow 0^+$ , we approach  $\arg \max$ .

**softmax is differentiable!!**

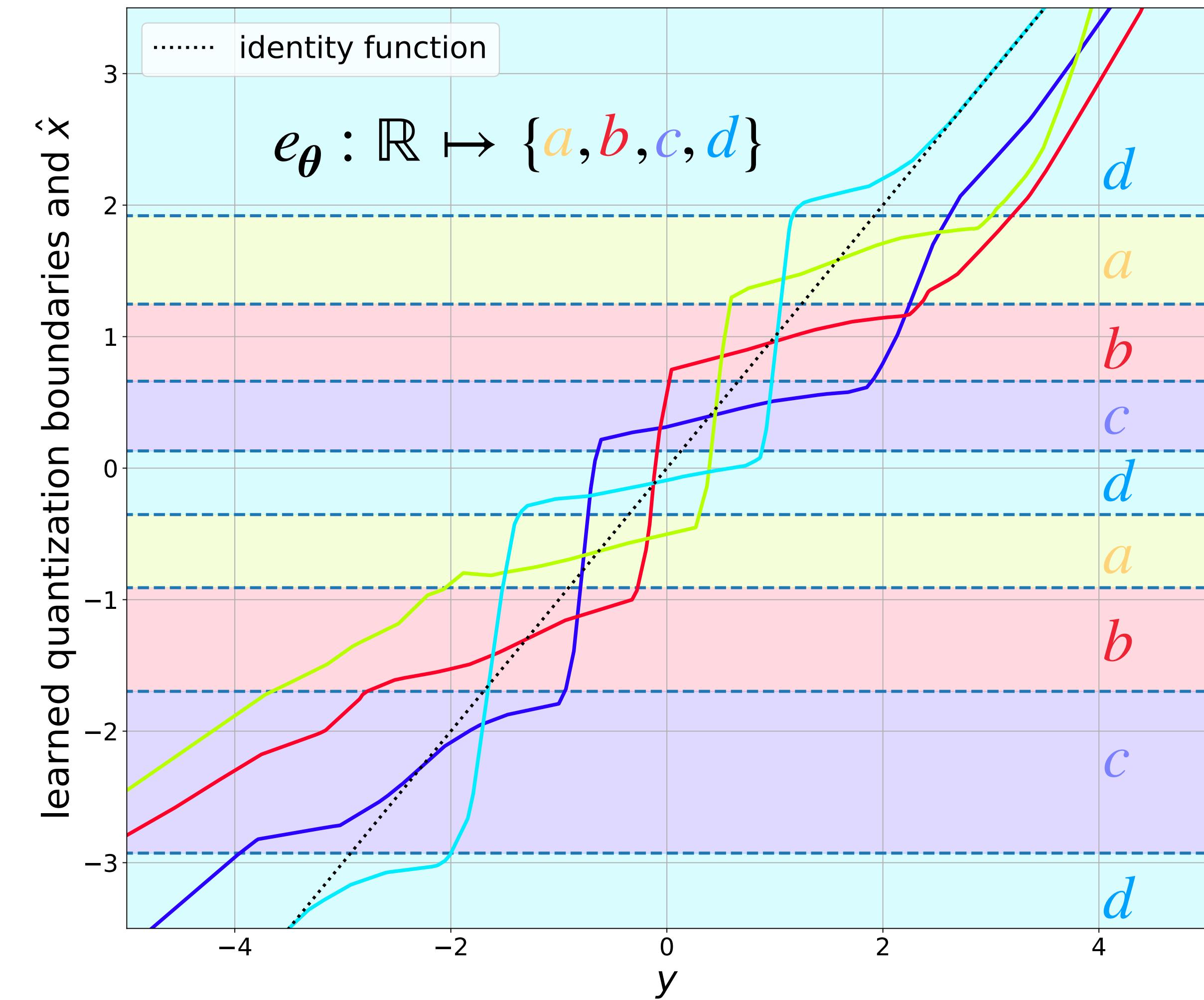
# Learned compressor recovers “binning” (grouping)

$$\begin{aligned}X &= Y + N \\Y &\sim \mathcal{N}(0,1) \\N &\sim \mathcal{N}(0,10^{-1})\end{aligned}$$



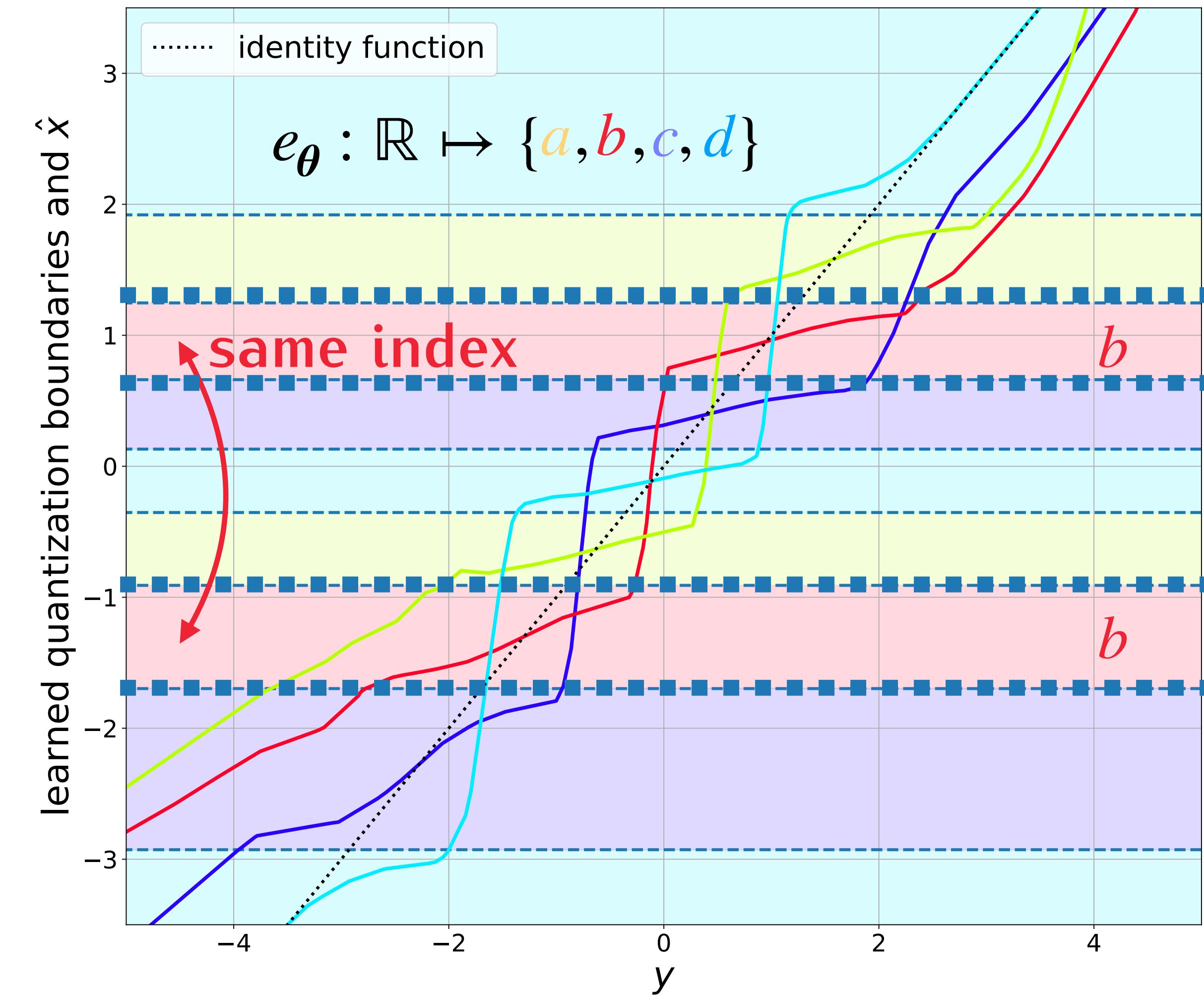
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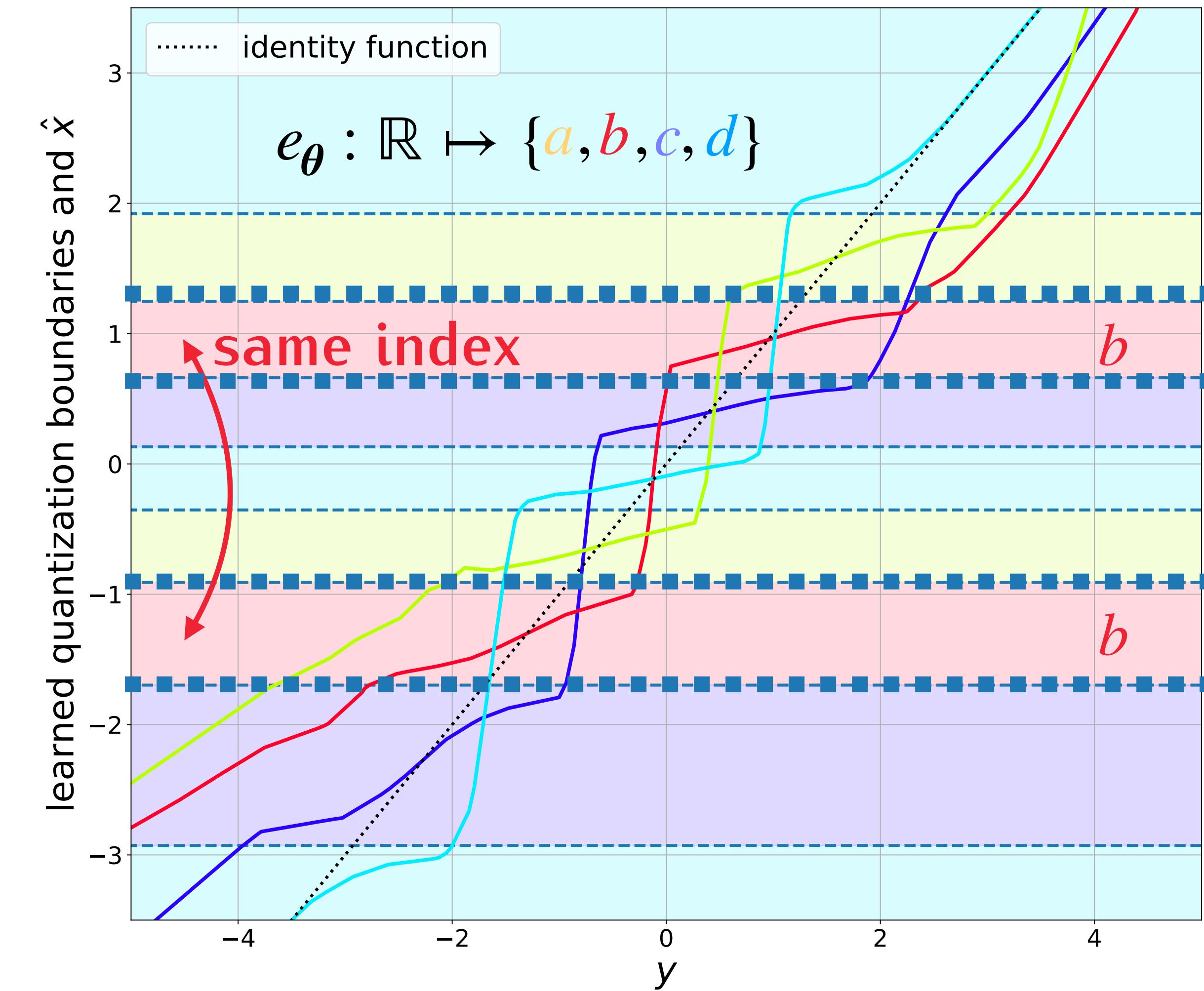
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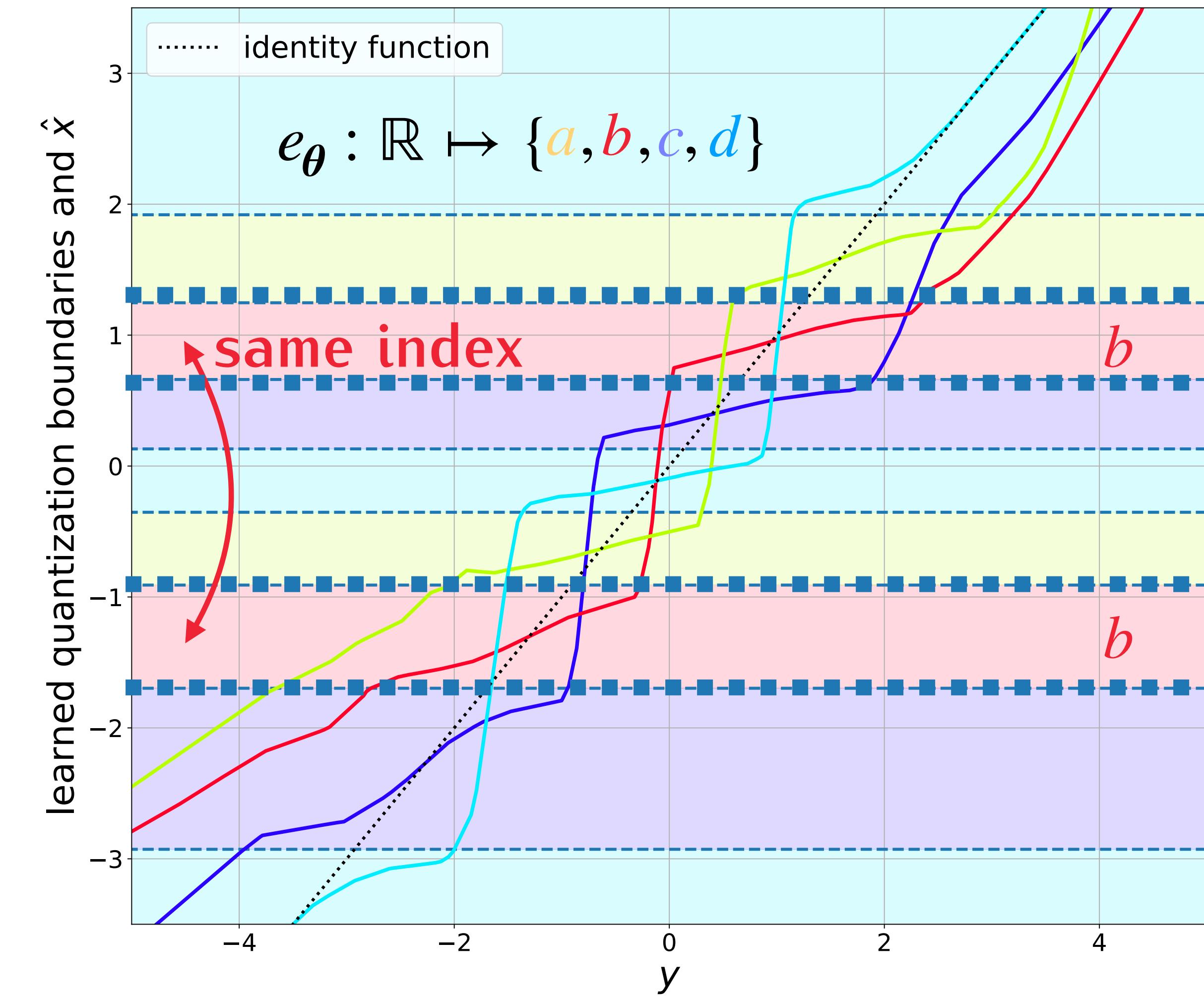
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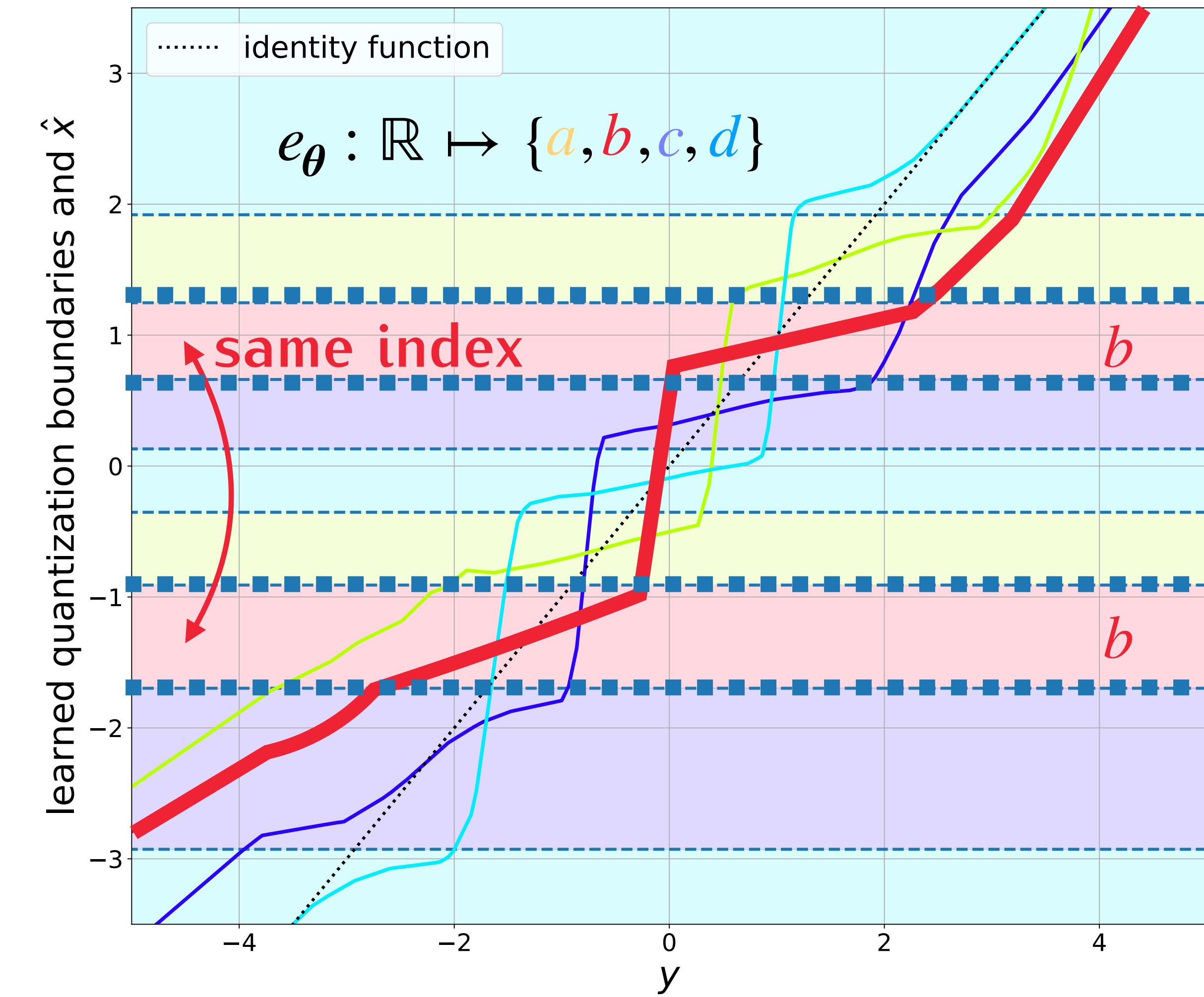
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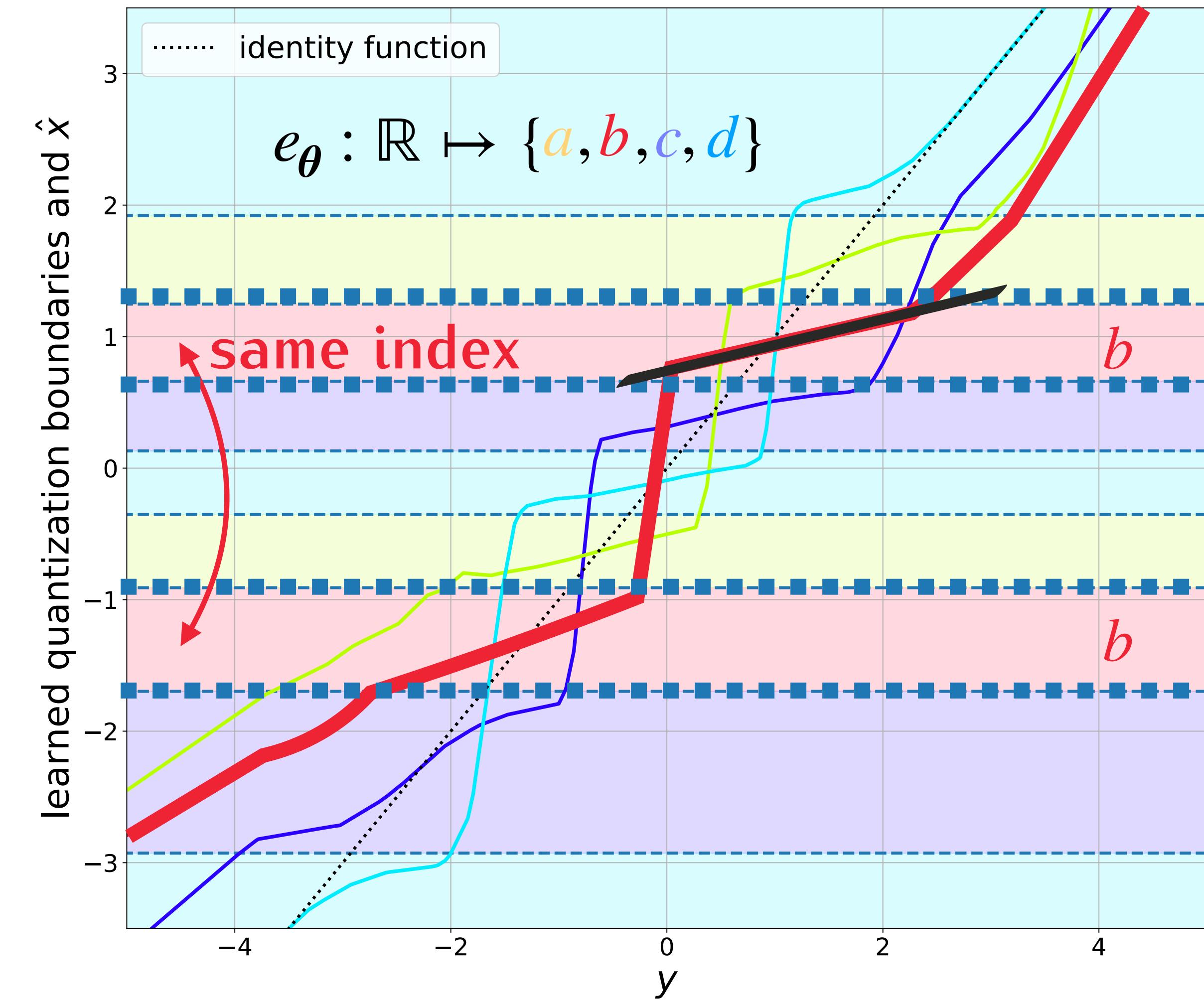
Ozyilkan, Ballé & Erkip (ISIT, 2023 & Neural Compression Workshop @ ICML'23 [oral])

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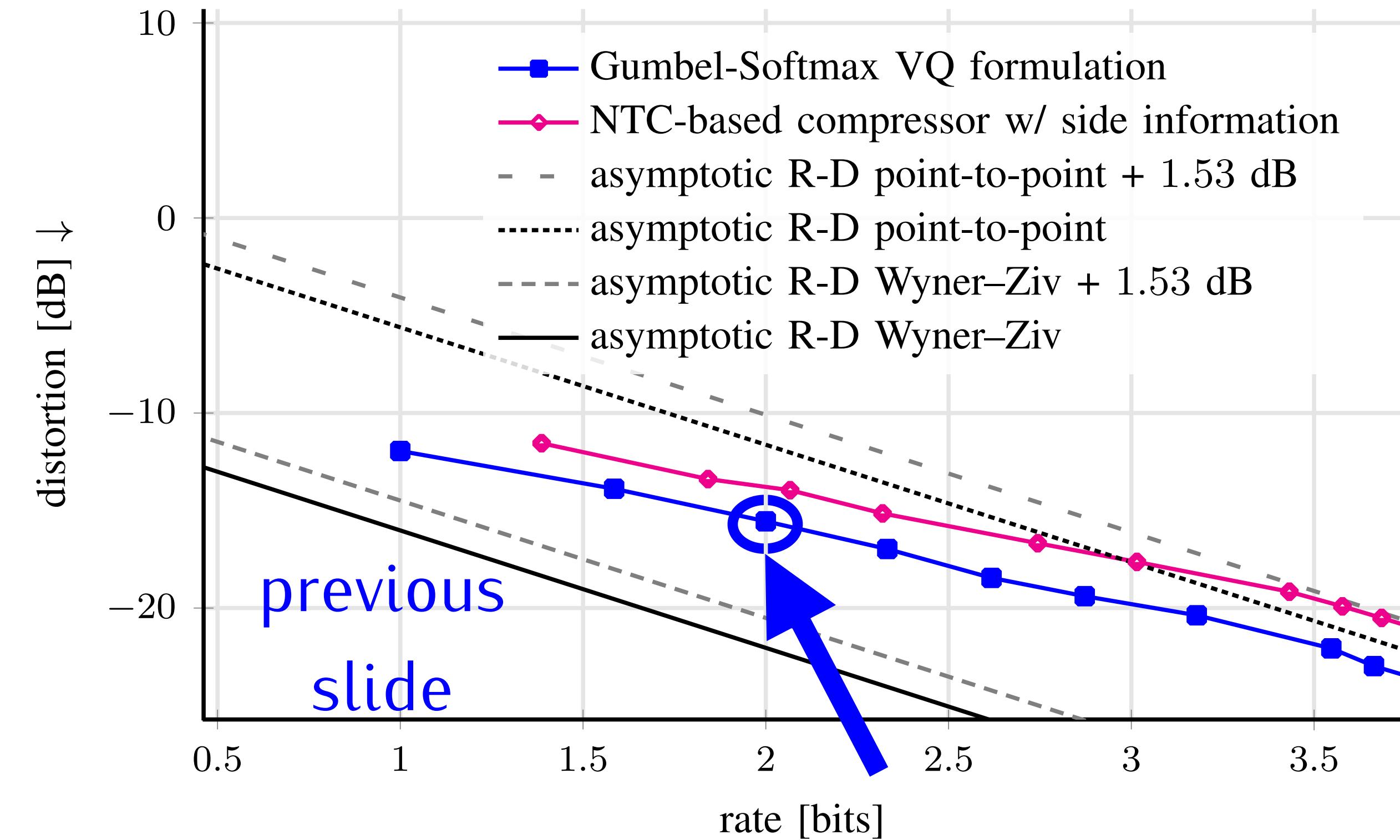
For  $X, Y$  Gaussian; the optimal decoder is **linear** given the quantization index.



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# Empirical results of Gumbel-Softmax



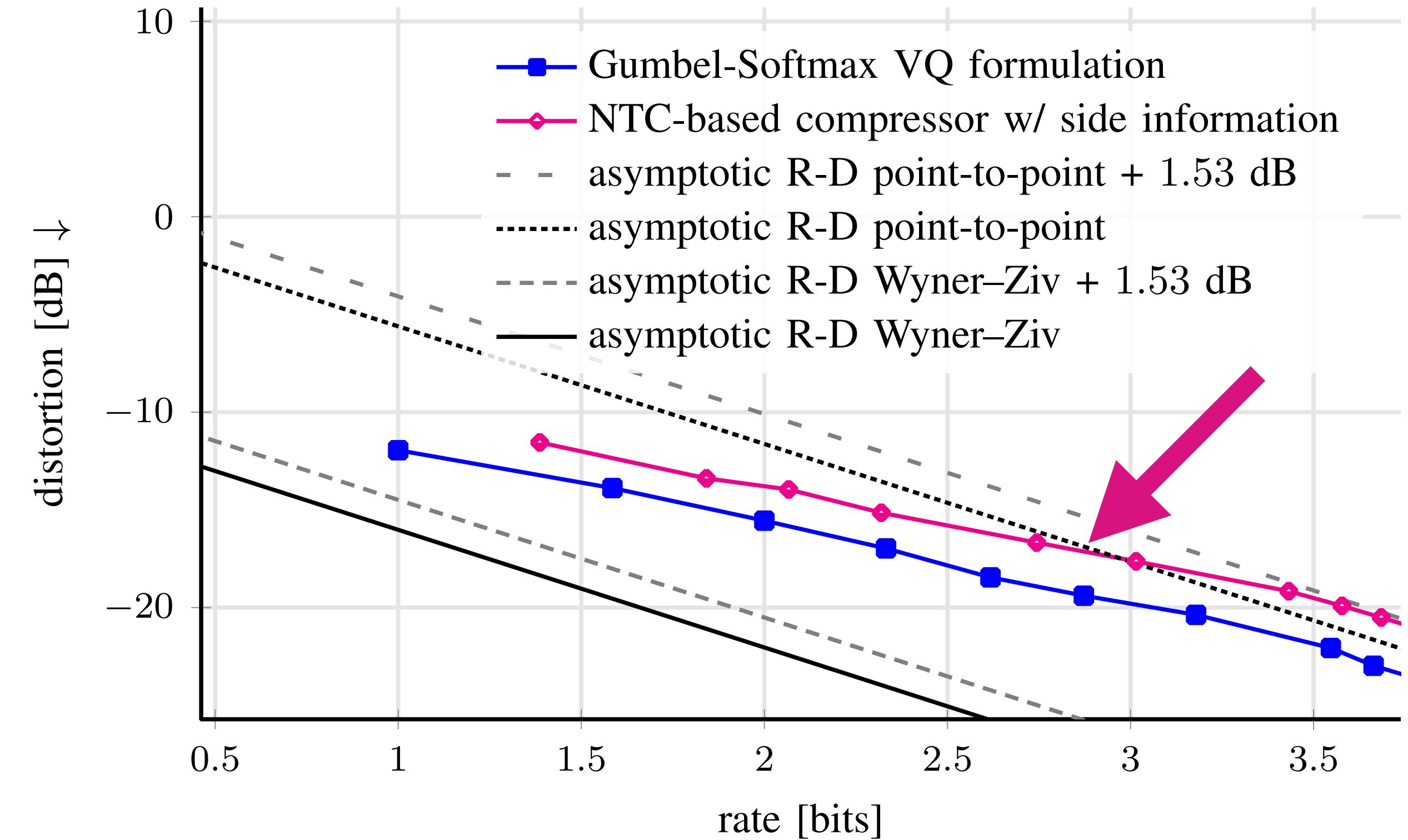
$$X = Y + N$$

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$$N \sim \mathcal{N}(0,10^{-1})$$

# Empirical results of Gumbel-Softmax

The **inability** to  
effectively perform  
“**binning**” (grouping)  
hurts the performance  
of NTC.



$$X = Y + N$$

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# Training with **Gumbel–Softmax** objective

- Optimization requires hyperparameter search (e.g., temperature scheduling).
- The loss function is not an upper bound on true objective (the rate-distortion).

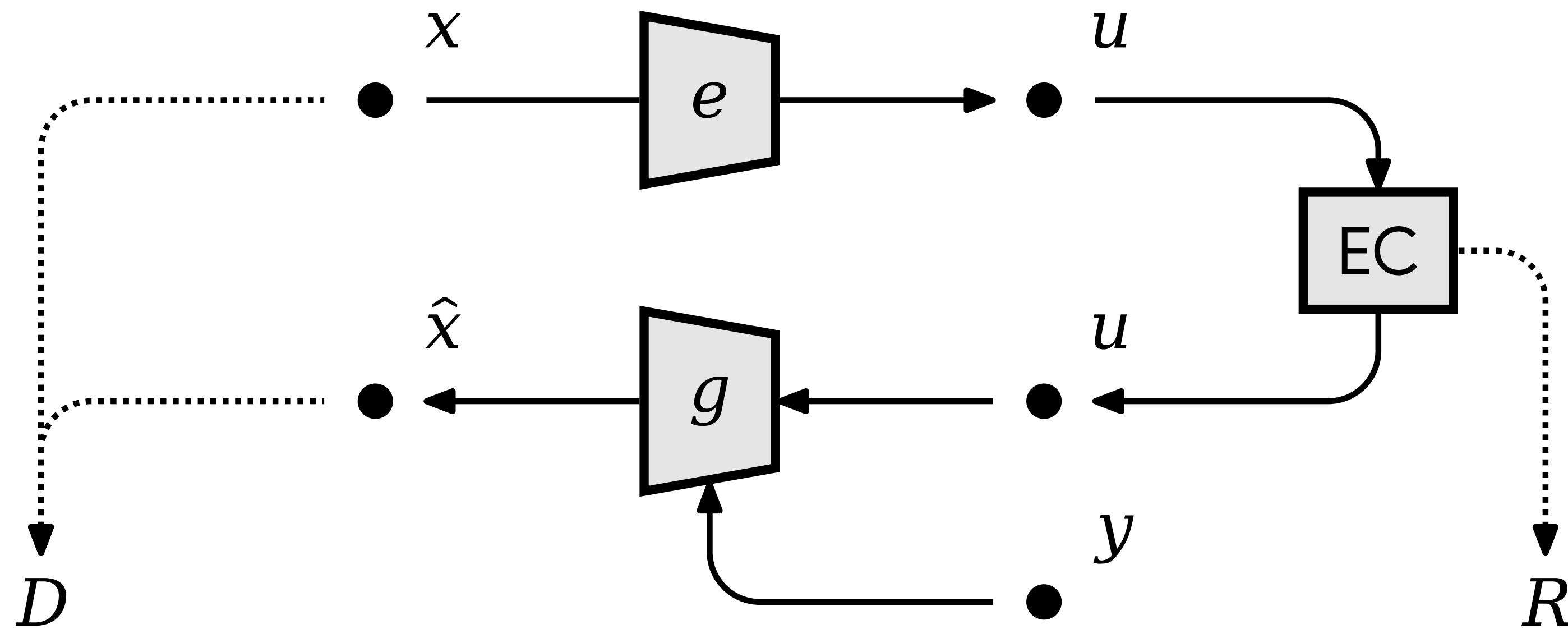
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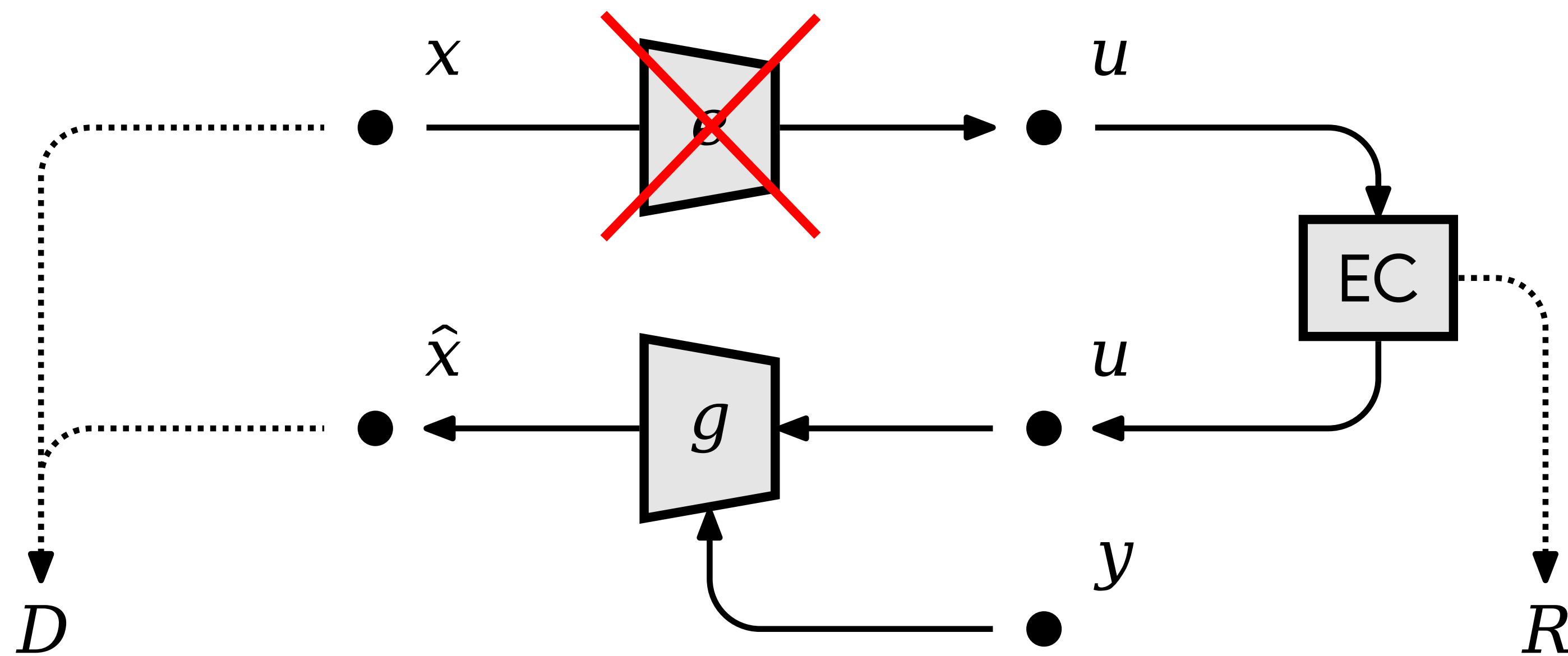
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  - Encoder follows **classical entropy-coded vector quantizer (ECVQ)**.
  - Encoder is completely *unstructured* in this case:
    - can assign any quantization index to input realization.

# ECVQ version of Wyner–Ziv model



$$u = \arg \min_{k \in K} \mathbb{E}_{p(y|x)} \left[ \underbrace{-\log p_\psi(k)}_{\text{rate}} + \underbrace{\lambda \cdot d(x, g_\phi(k, y))}_{\text{distortion}} \right]$$

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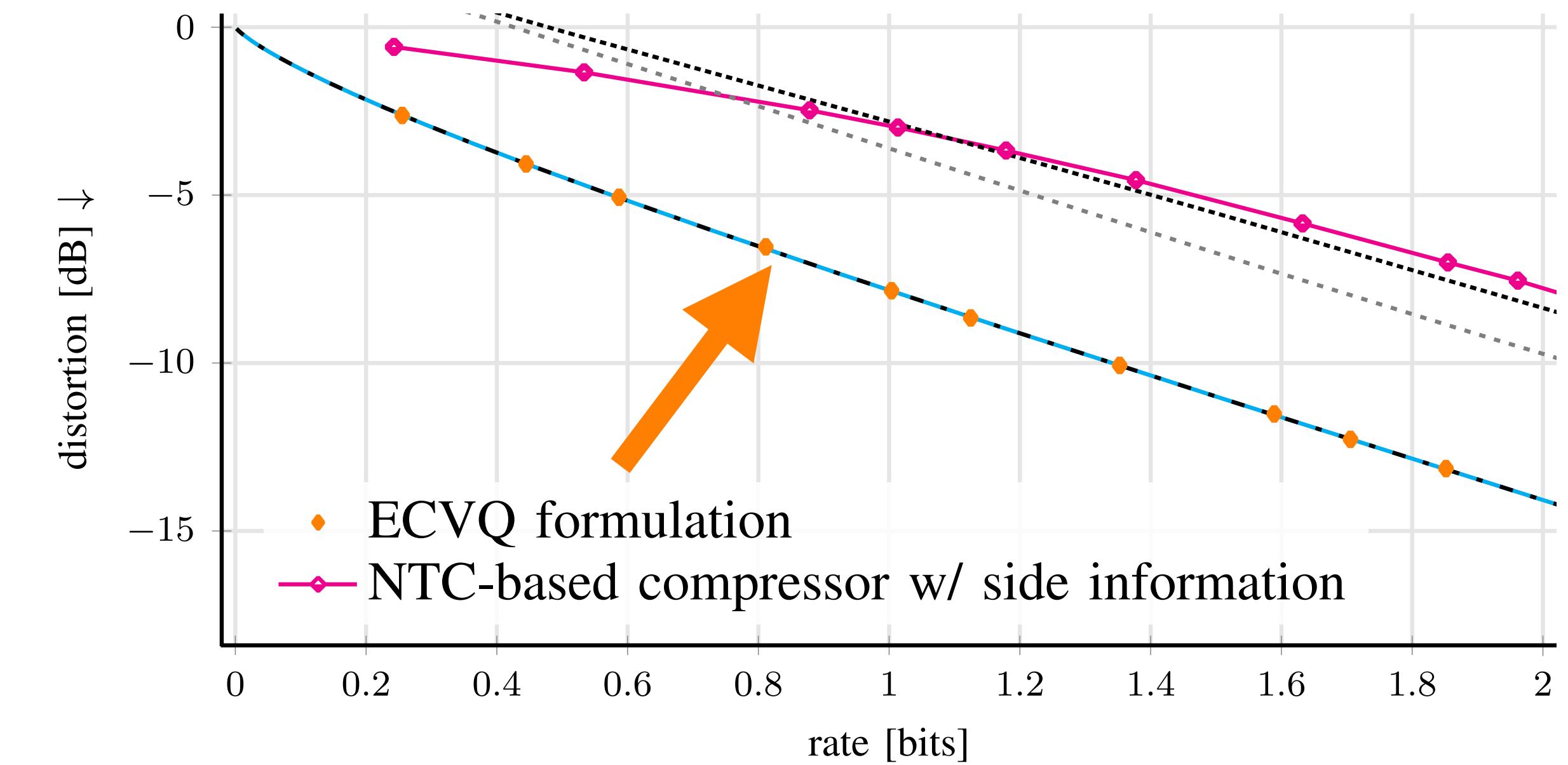


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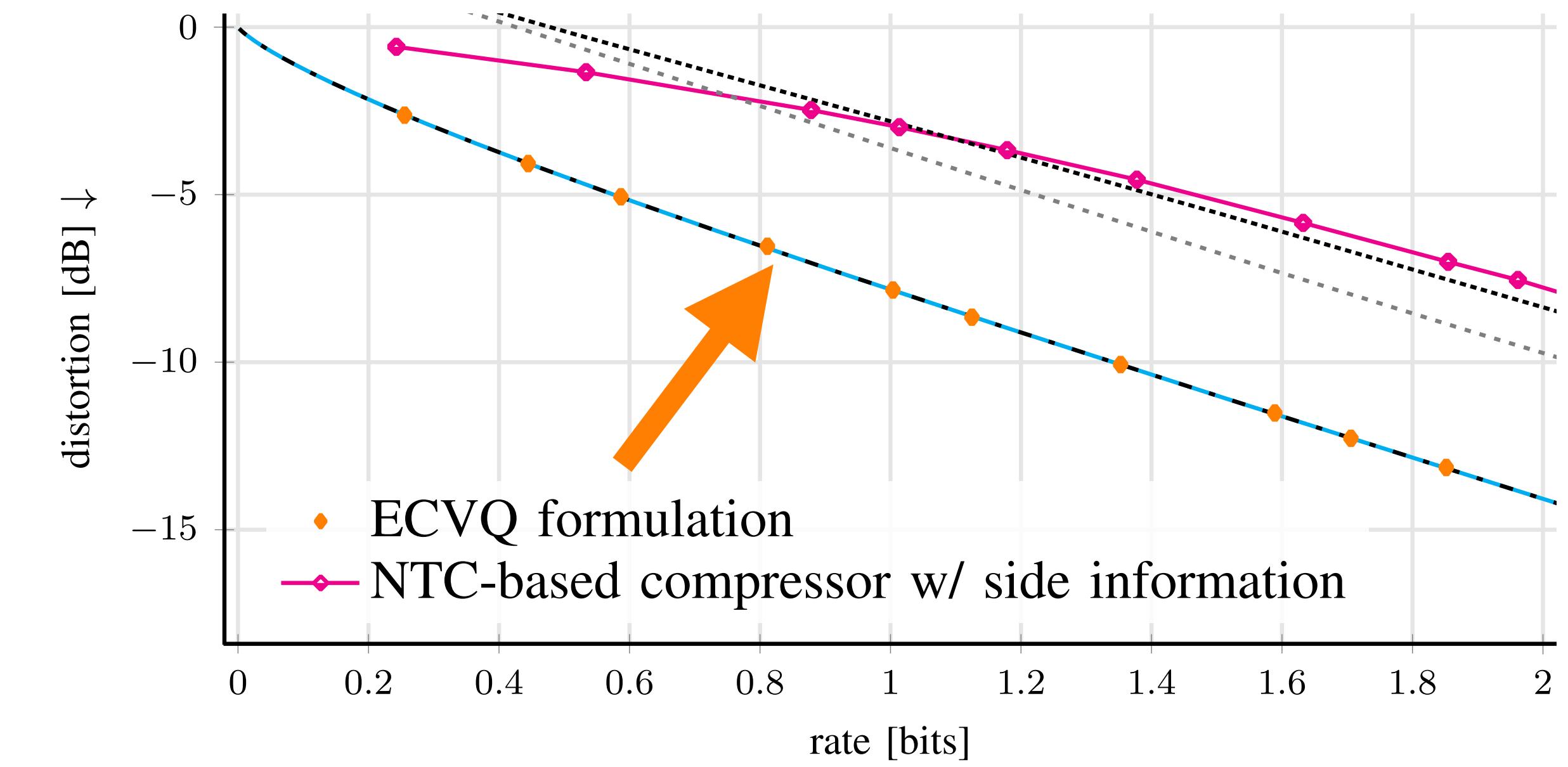


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- But, the encoder doesn't scale to higher dimensions (as in “traditional” VQ models)!



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# Summary on Neural Distributed Compression

- NTC-based solutions showed promise for low rate distributed image compression.
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  - We need *less structured* methods to recover high-frequency mappings (e.g., “binning”).
    - Ozyilkan, Ballé, Bhadane, Wagner & Erkip (Compression Workshop @ NeurIPS, 2024)
    - Ozyilkan\*, Sriramu\*, Wagner, Erkip & Ballé (manuscript in submission)

# Extensions and related projects

A. Robust distributed compression (Heegard–Berger)

[Tasci, Ozyilkan, Ulger, Erkip \(IEEE ISIT-W, 2024\)](#)

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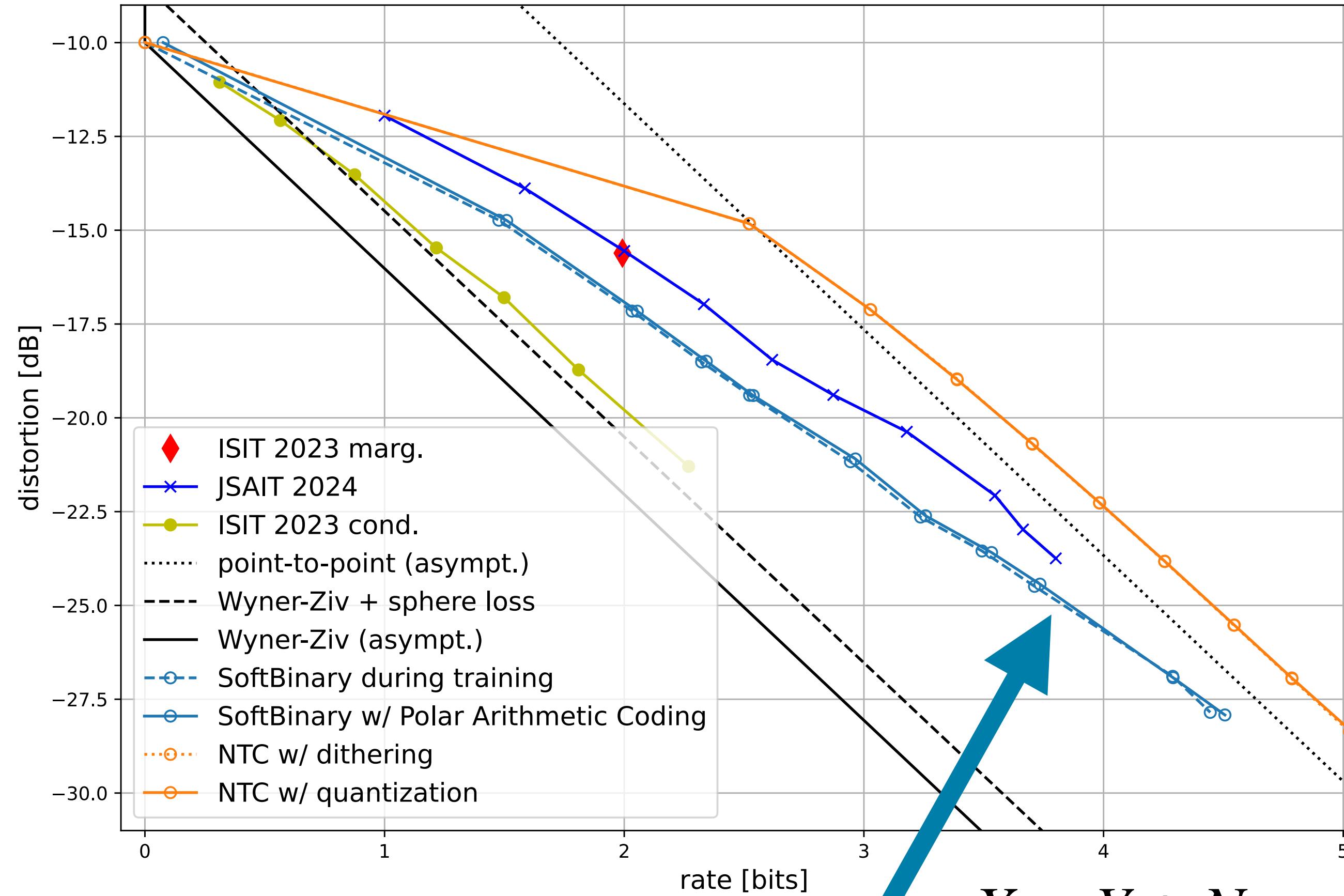
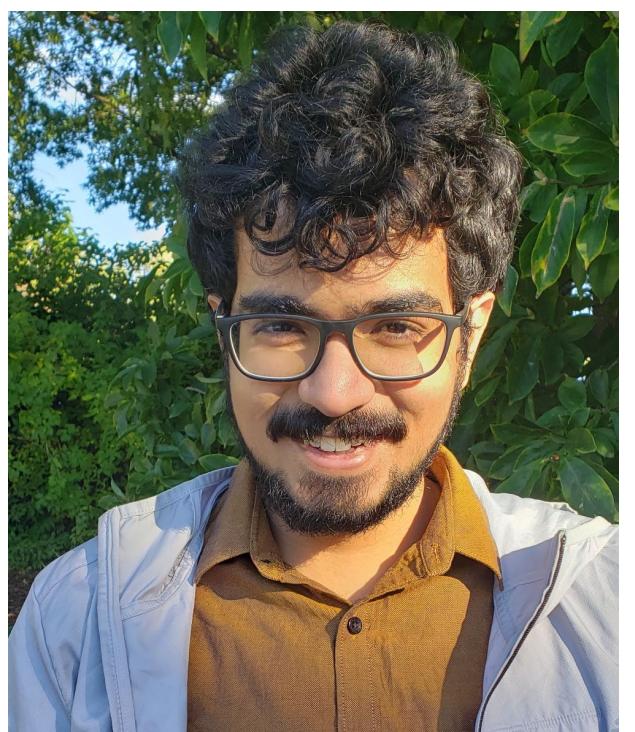
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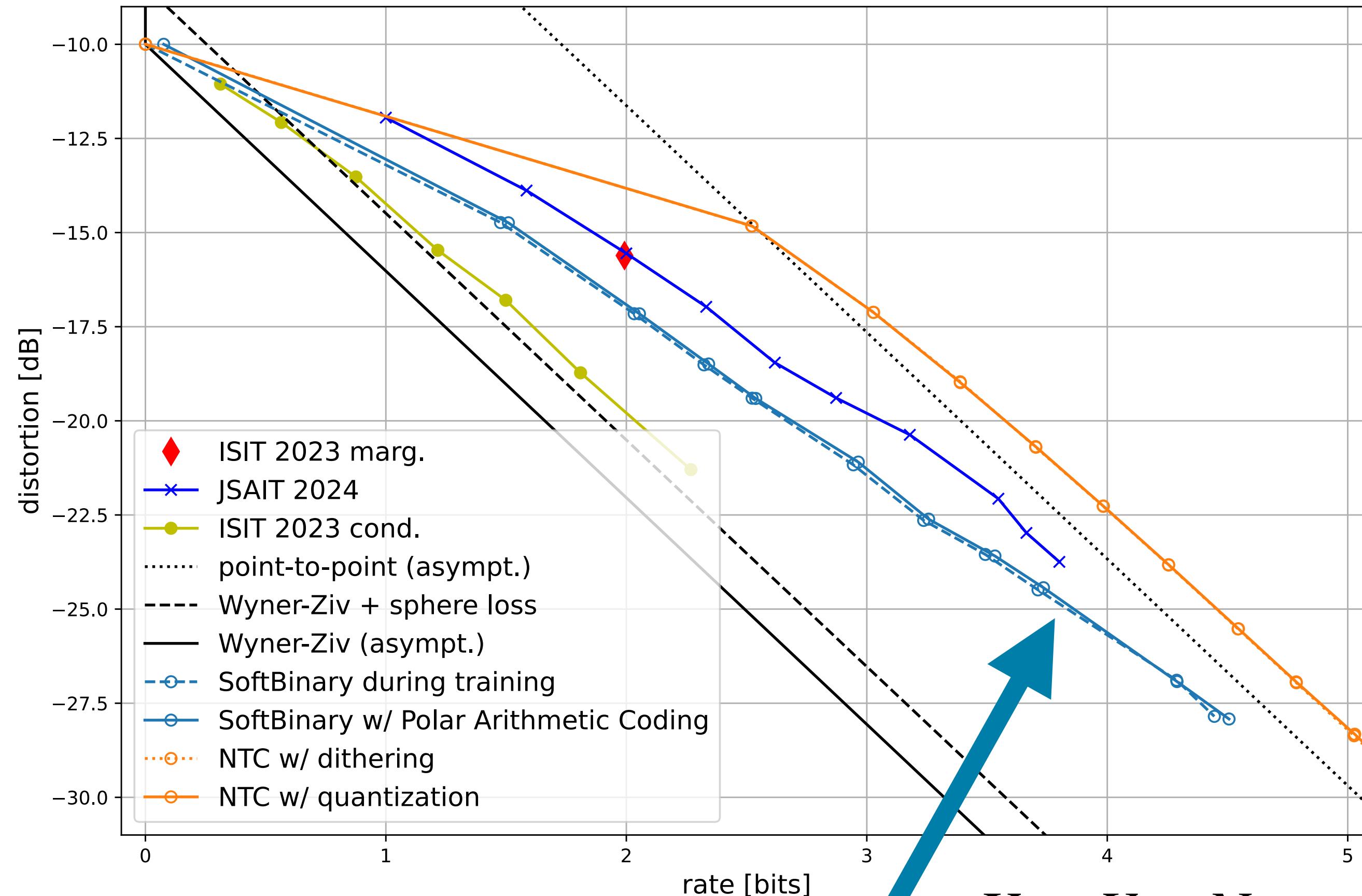
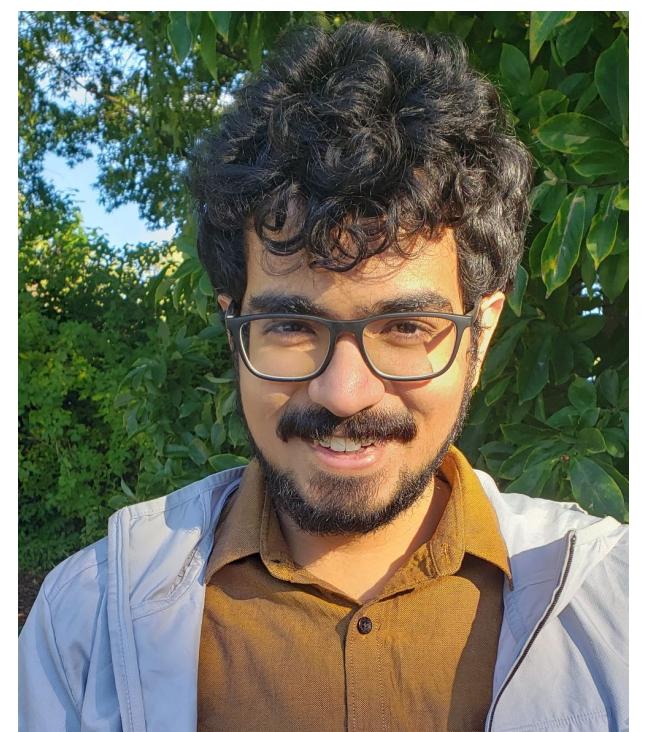
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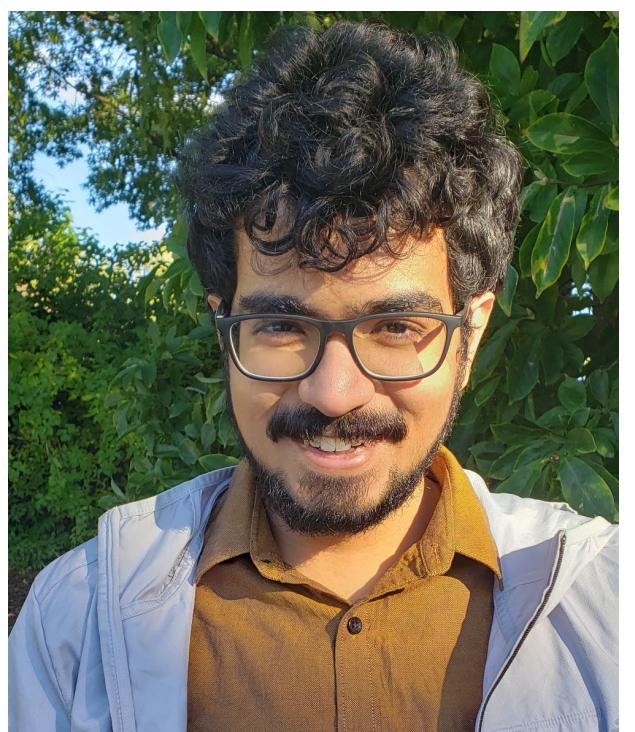
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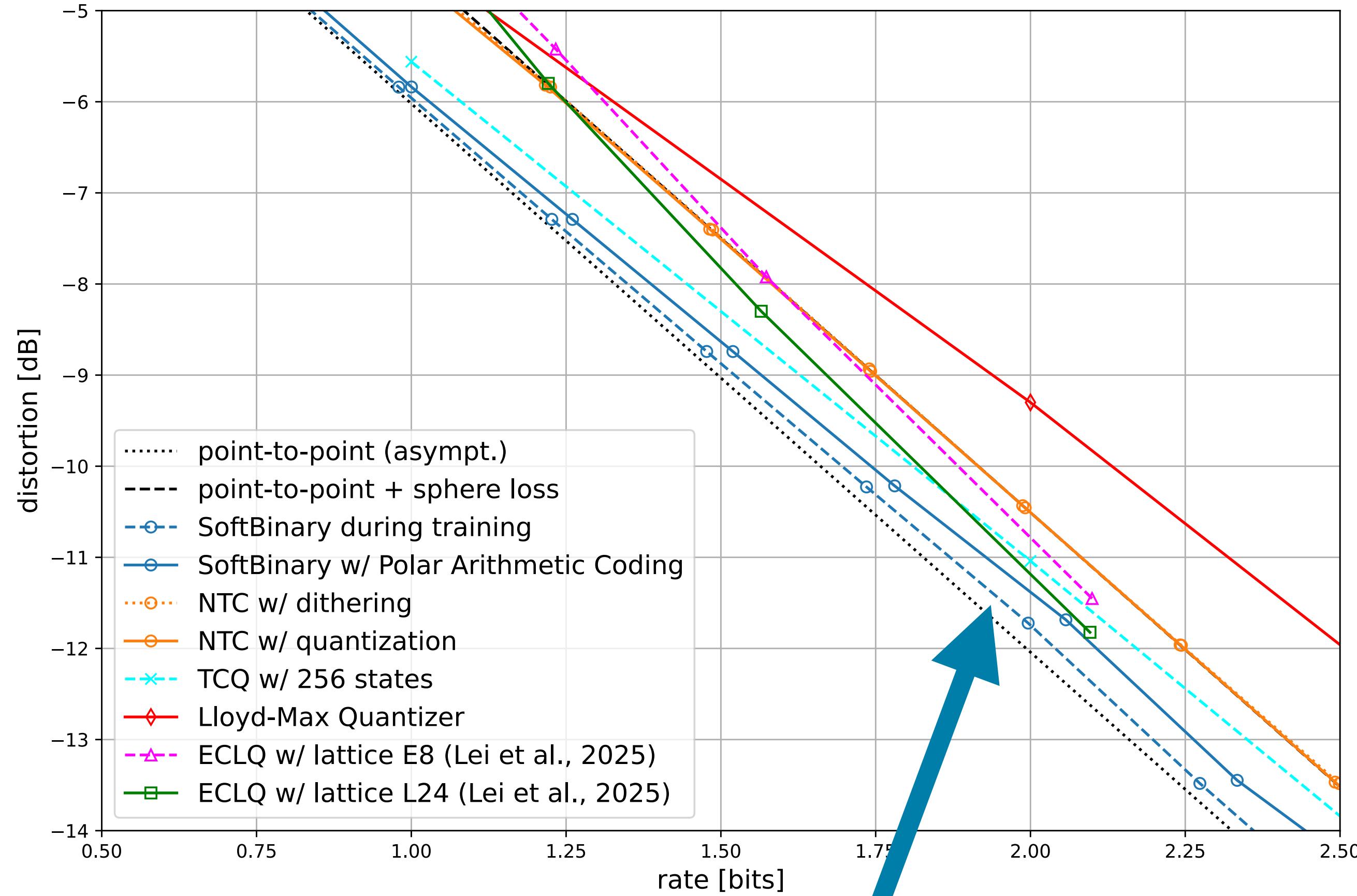
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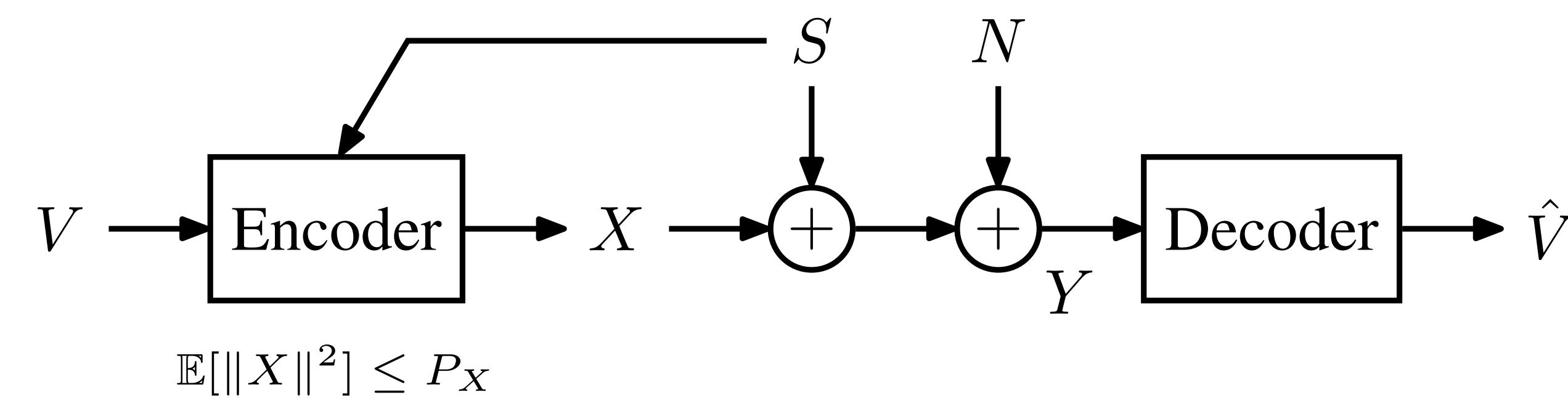
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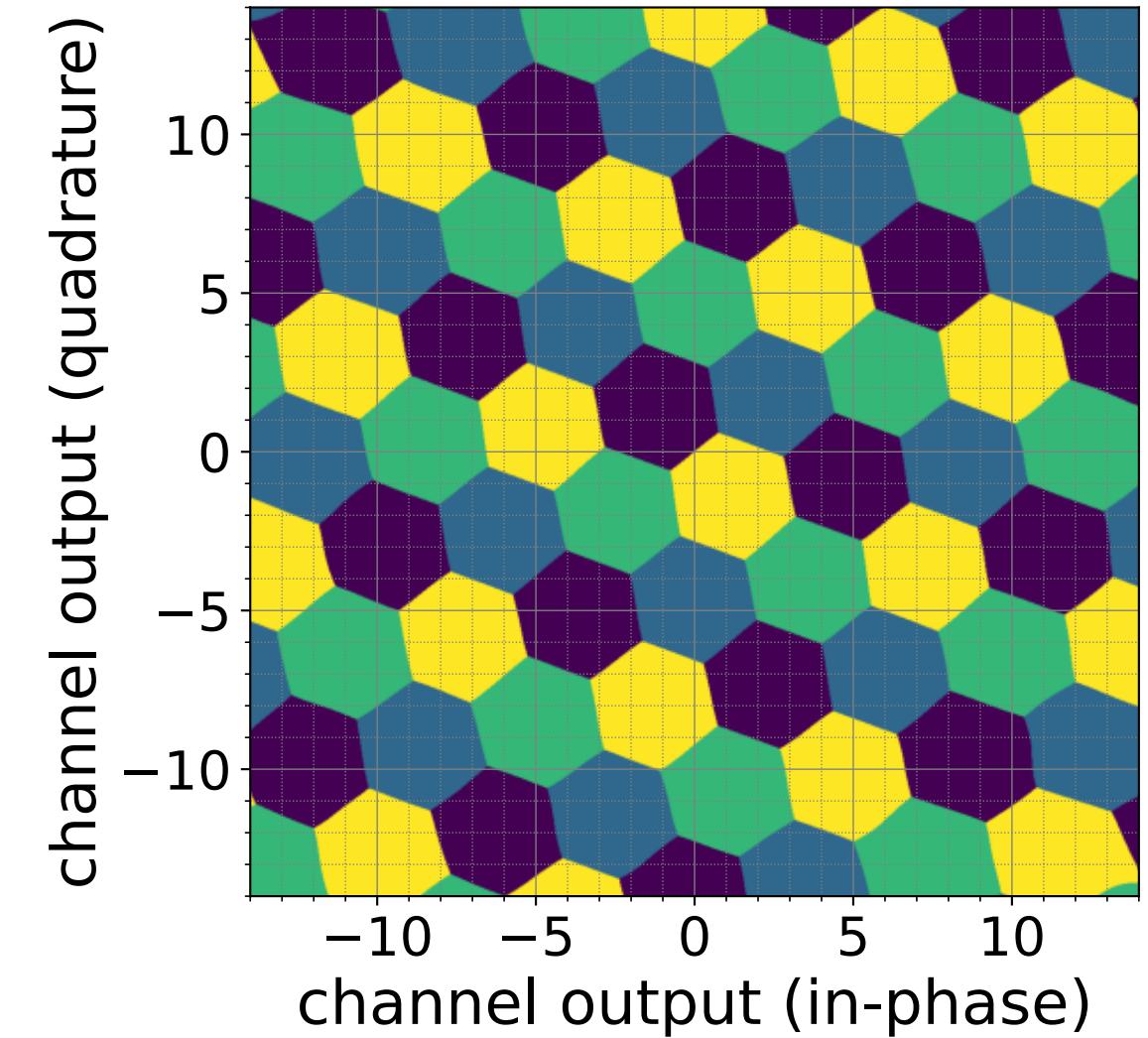
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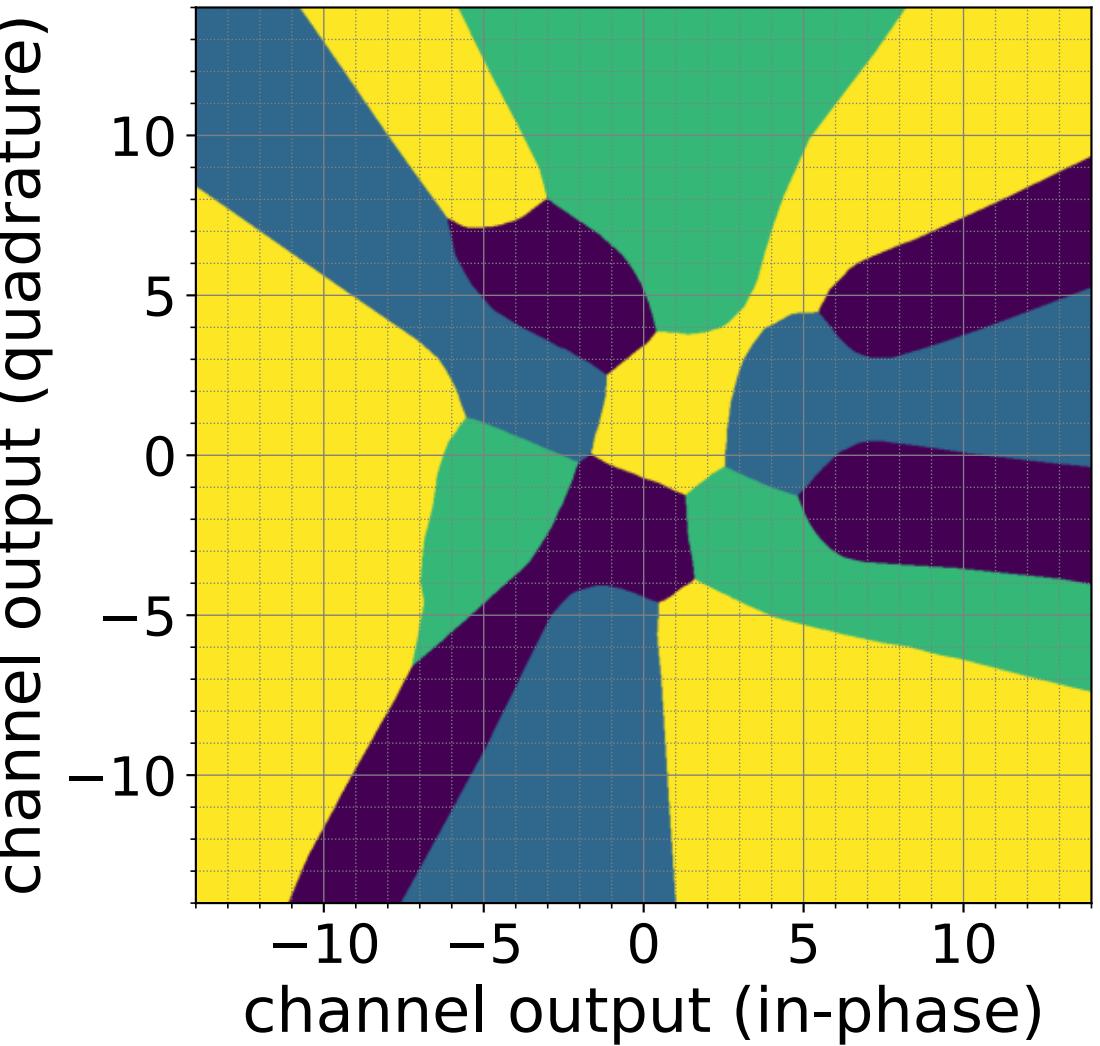
## *Dirty Paper Coding*



The encoder maps  $V$  and known interference  $S$  to an input  $X$ , subject to an average power constraint.



(a) w/sinusoidal activations, scoring  
SNR : 7.03 dB, SER : -1.10 dB.



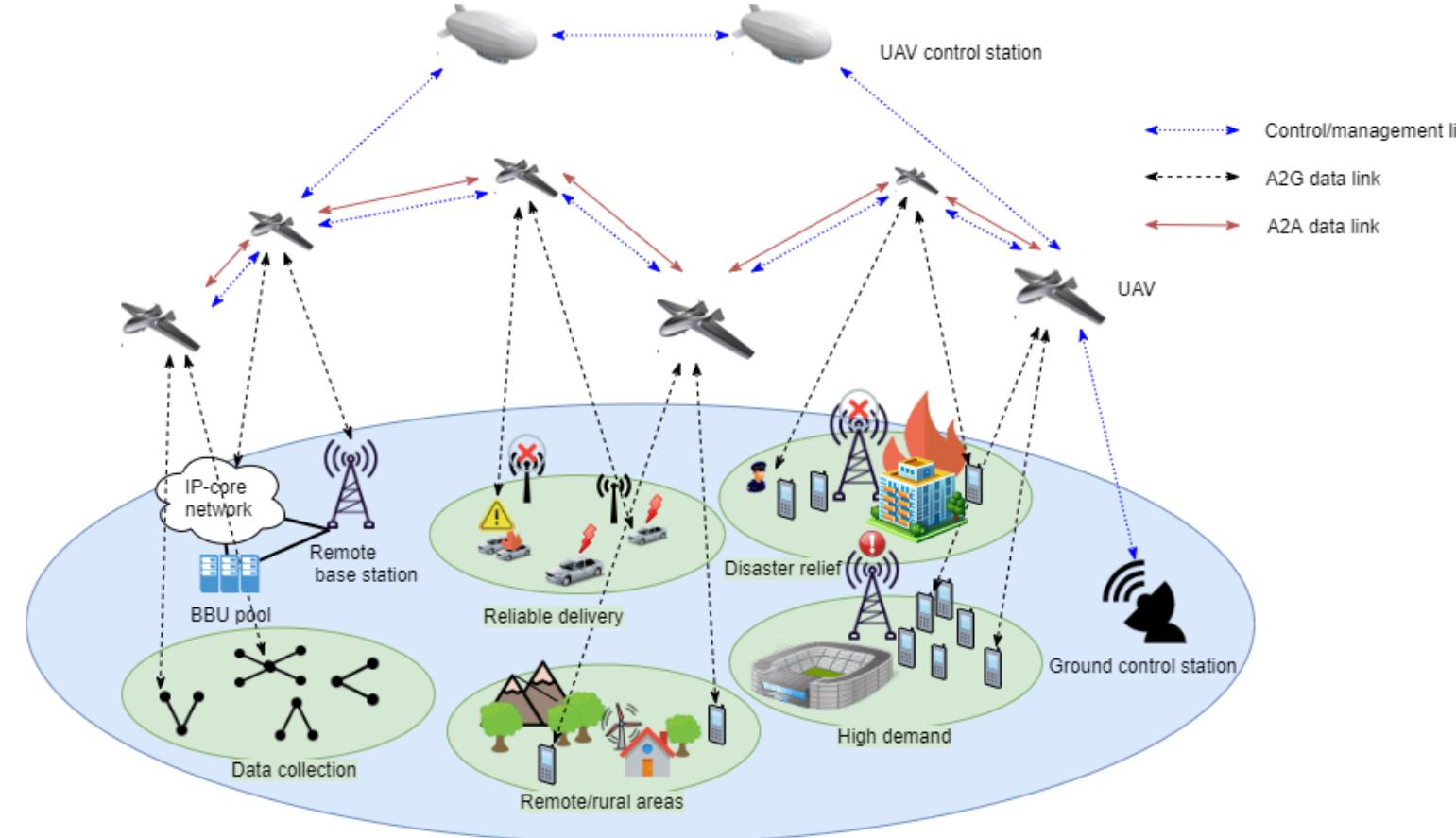
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## Part II.B

# Neural Compress-and-Forward for the Relay Channel

# Introduction

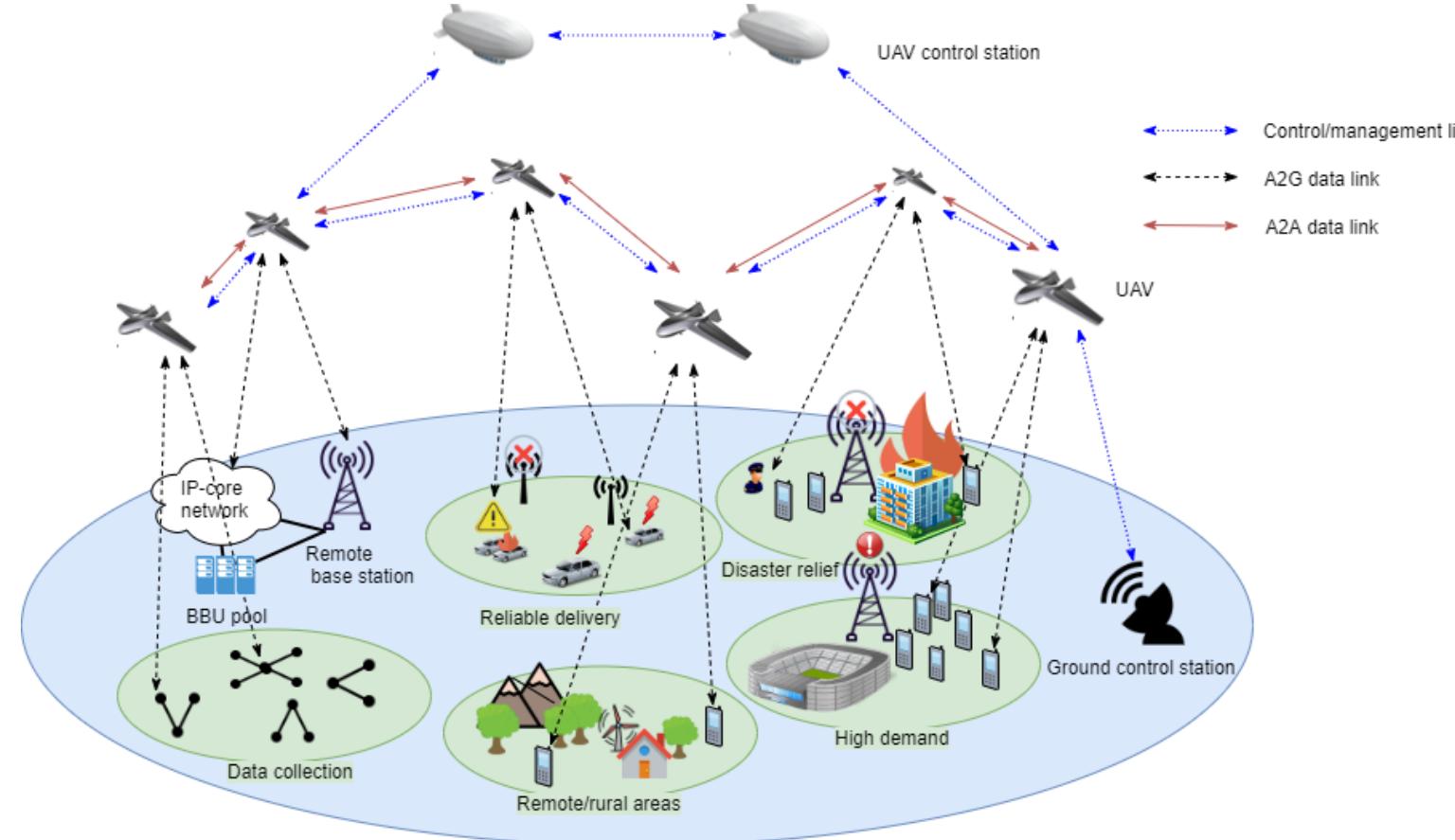
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  - Applications: relay to improve throughput/coverage, e.g., RIS, drones.



Gholami et. al. “Joint Mobility-Aware UAV Placement and Routing in Multi-Hop UAV Relaying Systems”

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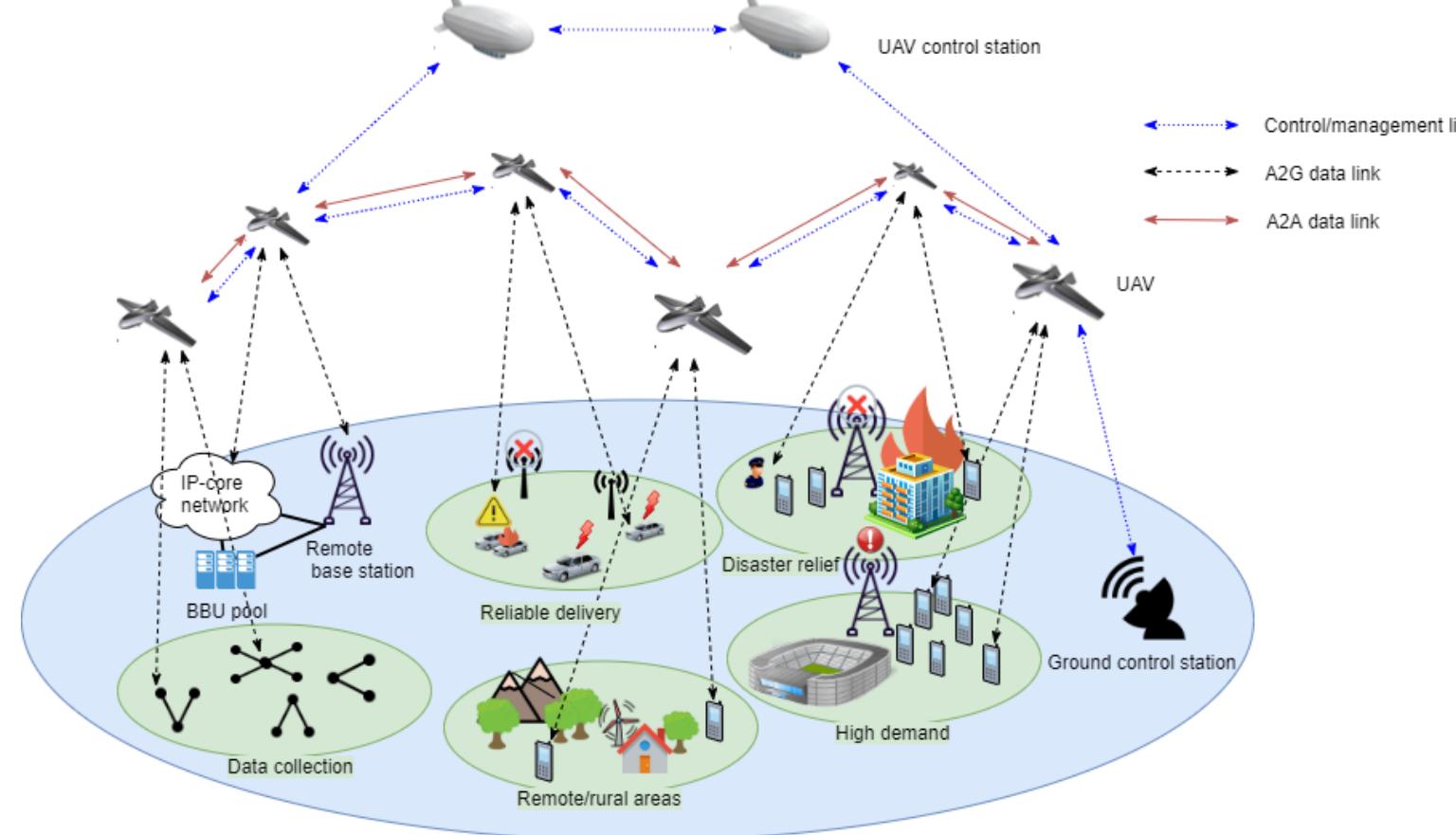
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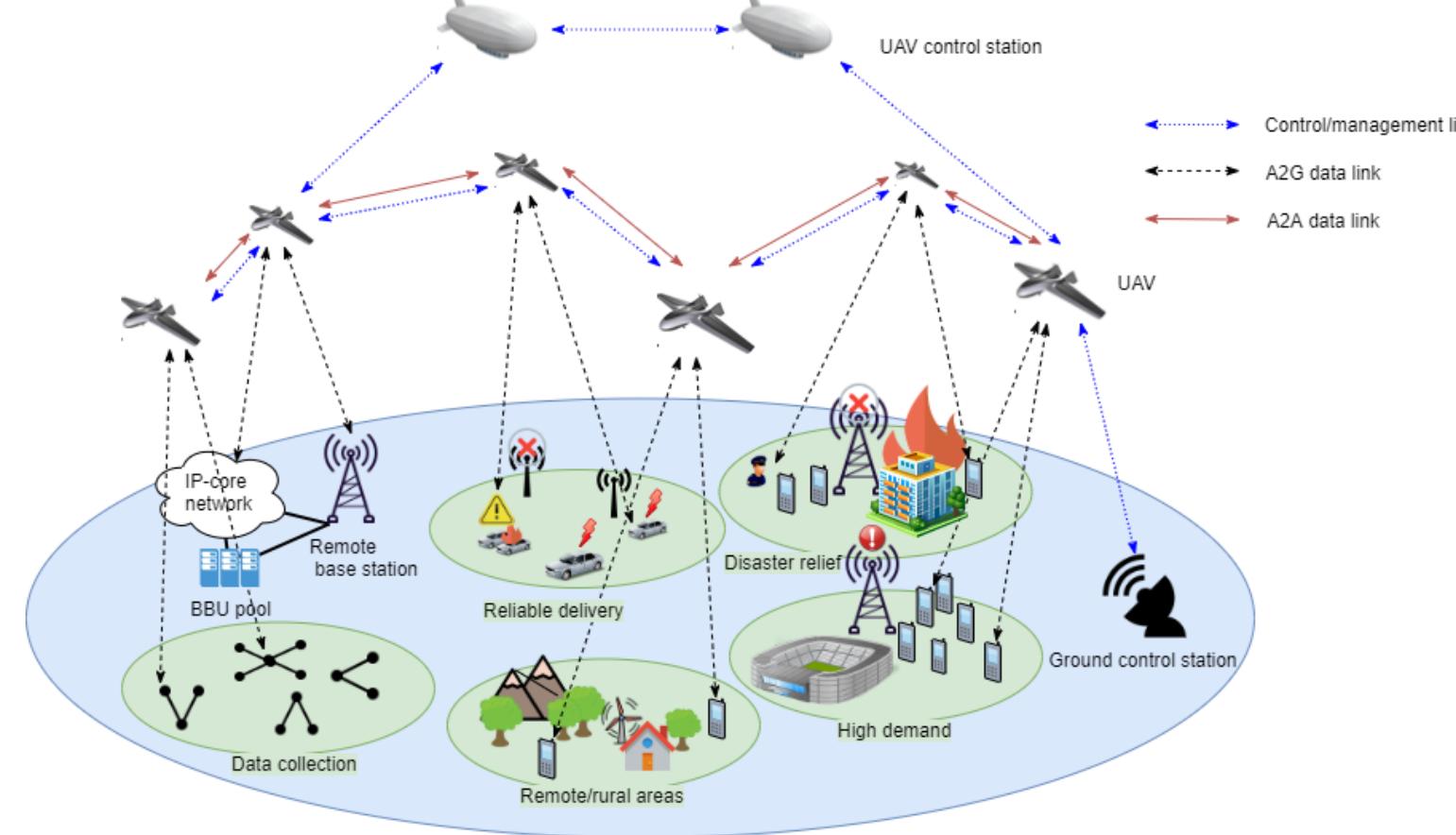


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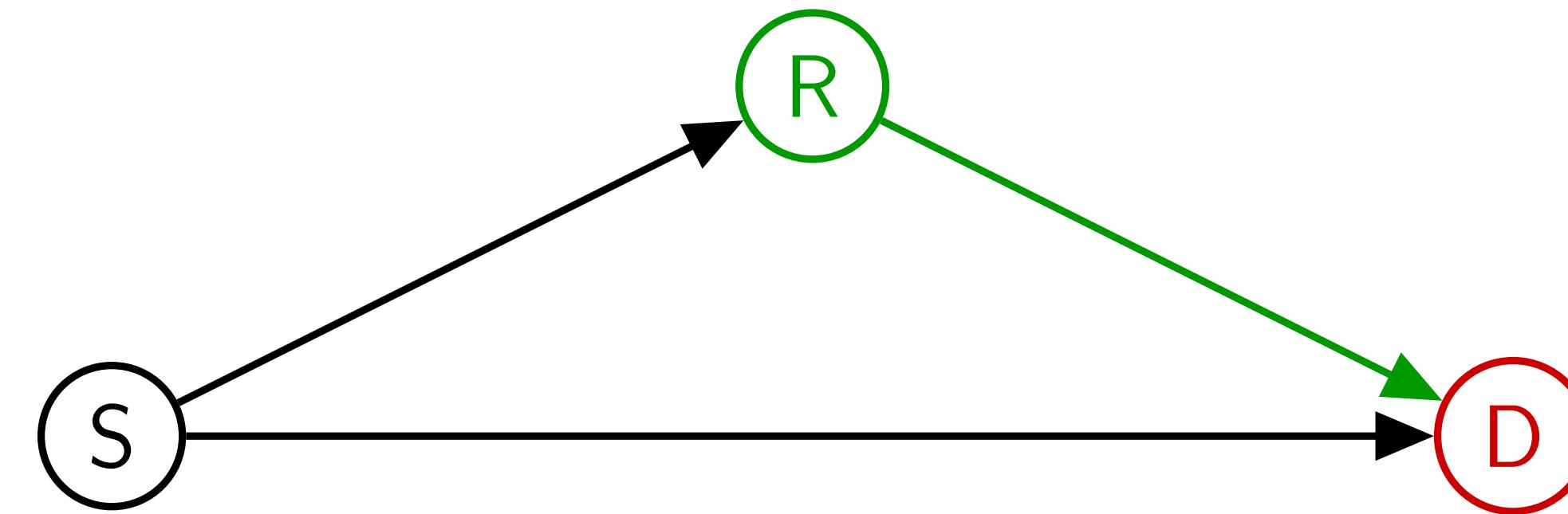
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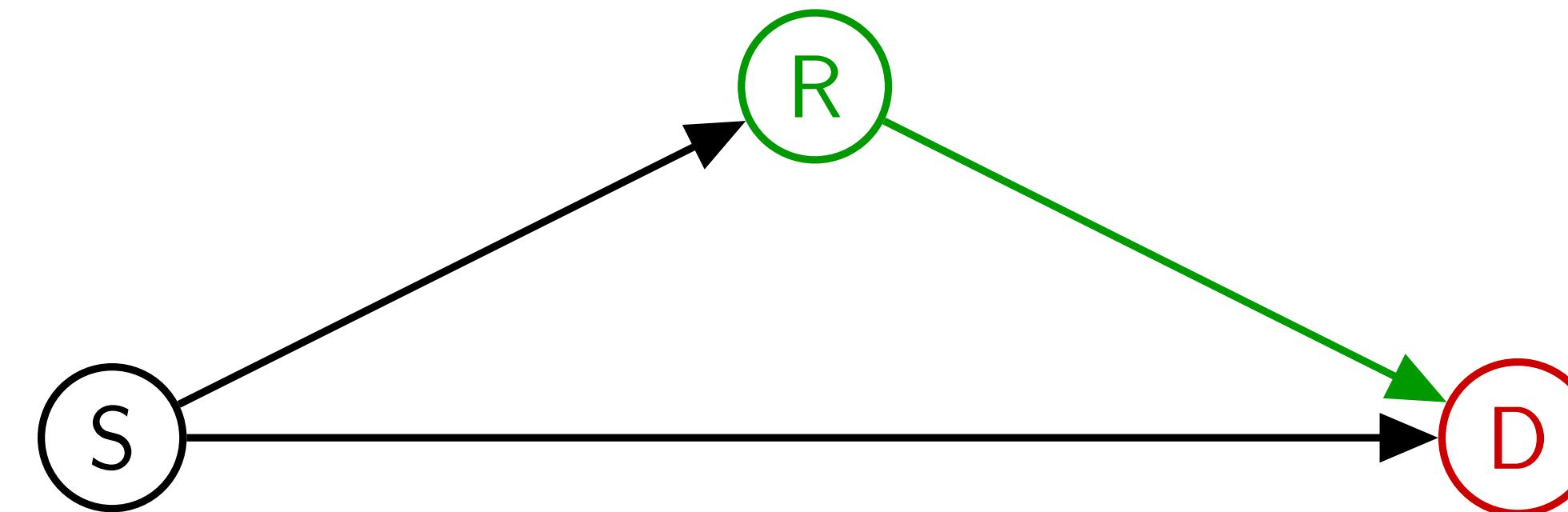
- Capacity for the general relay channel is unknown, but several relaying strategies have been proposed.
  - Amplify-and-forward, decode-and-forward....
  - **Compress-and-forward (CF)**: the relay sends a quantized version of its signal.

# Motivation for Distributed Compression



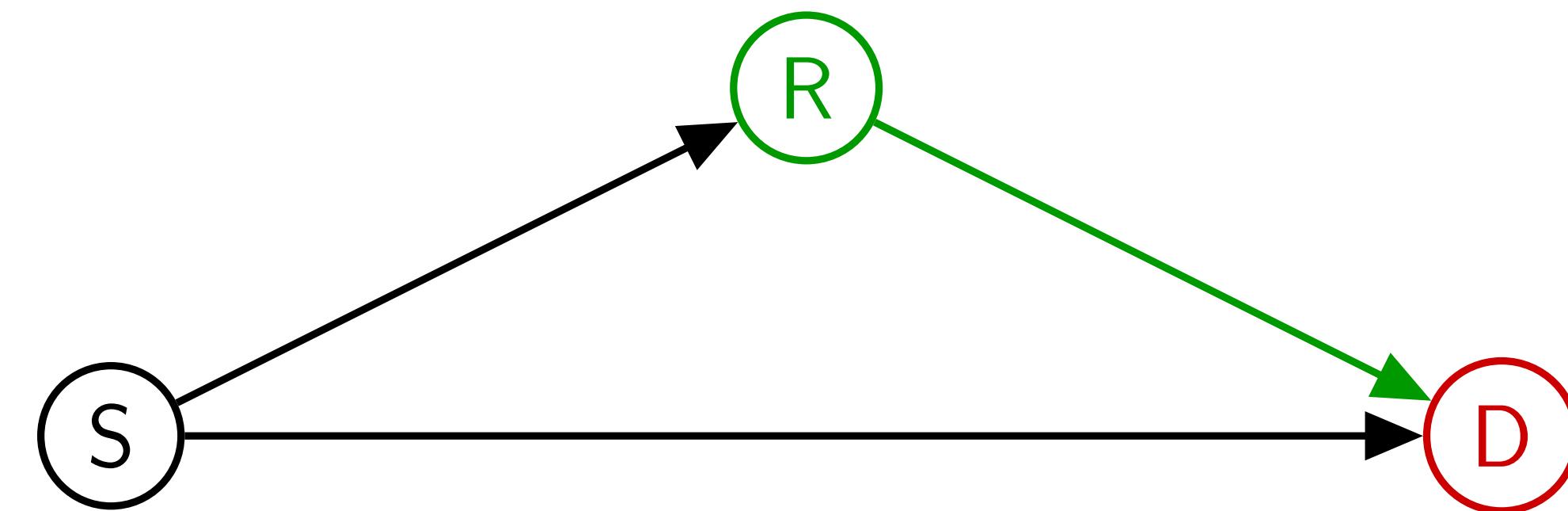
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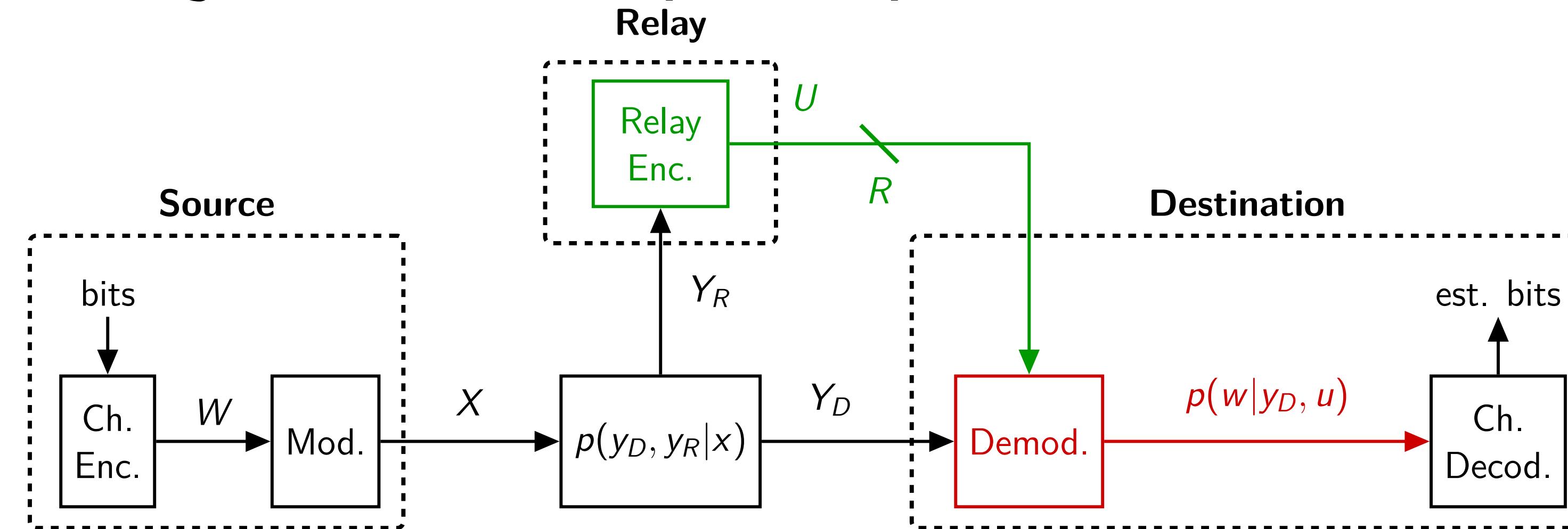


- Relay and destination signals are correlated:  
**Distributed compression** techniques, like Wyner-Ziv, can be useful!
- ...but practical relaying schemes have not been fully developed.
- We model **relays as learned distributed compressors**  
→ learned compress-and-forward strategy.

Ozyilkan\*, Carpi\*, Garg & Erkip (IEEE SPAWC, 2024)

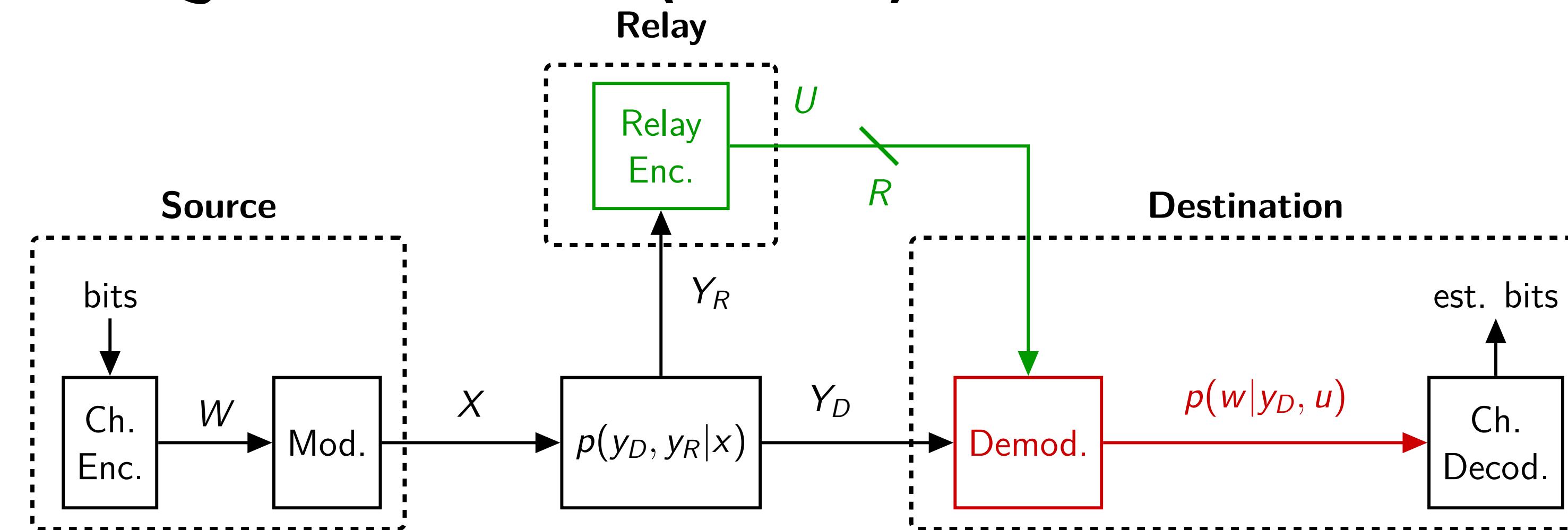
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# Primitive Relay Channel (PRC) — *out-of-band relay*



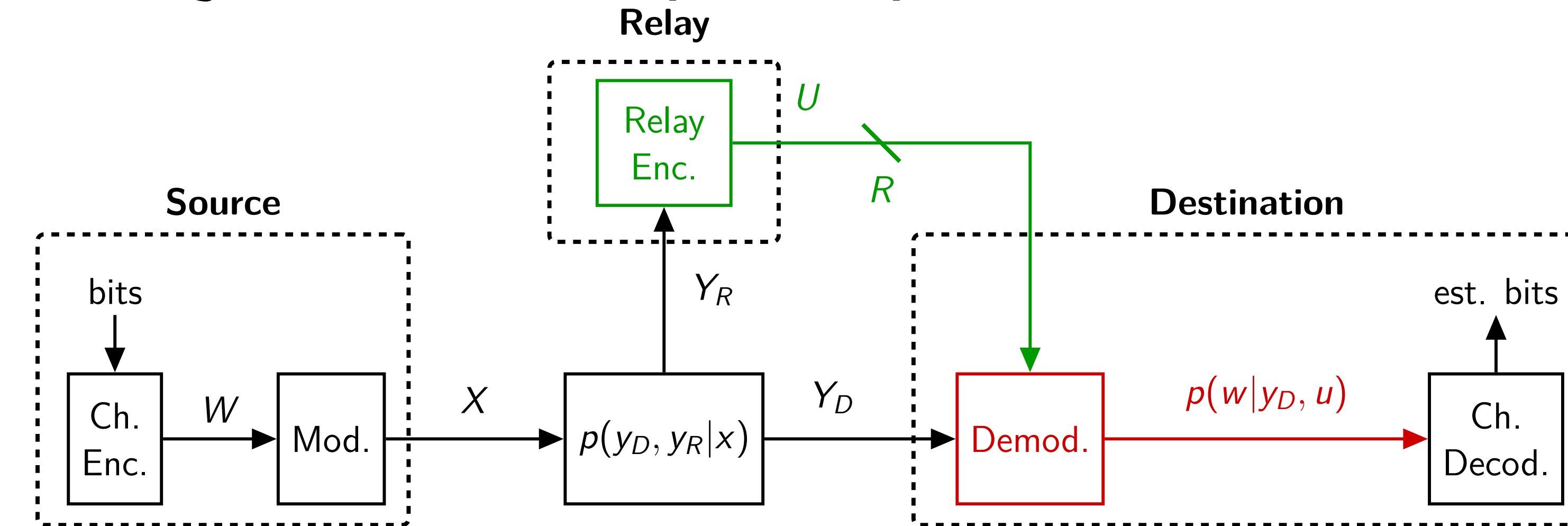
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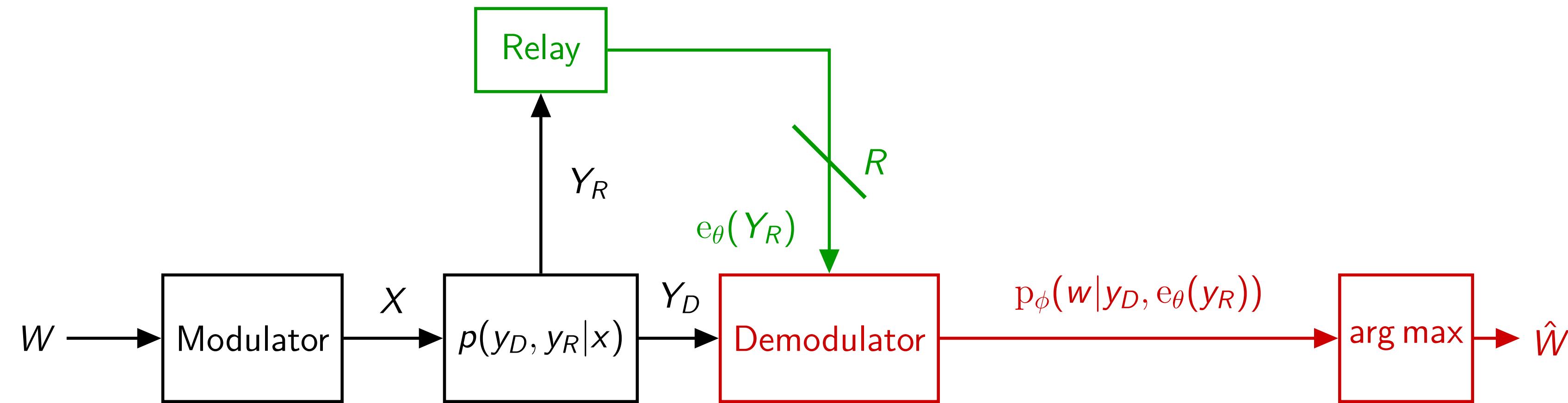
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- Goal: maximize **communication rate**  $I(X; Y_D, U)$  subject to **rate constraint**  $R$ 
  - **Task-aware/semantic compression**

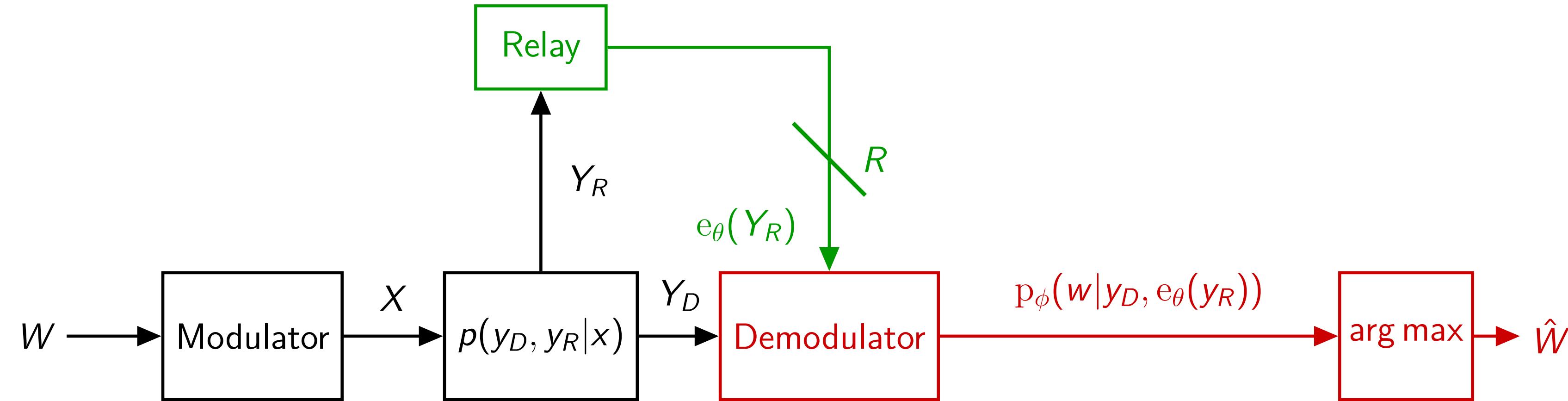
# Simulation Scenario



- Source: equally likely symbols, power constraint  $P = \mathbb{E}[|X|^2]$

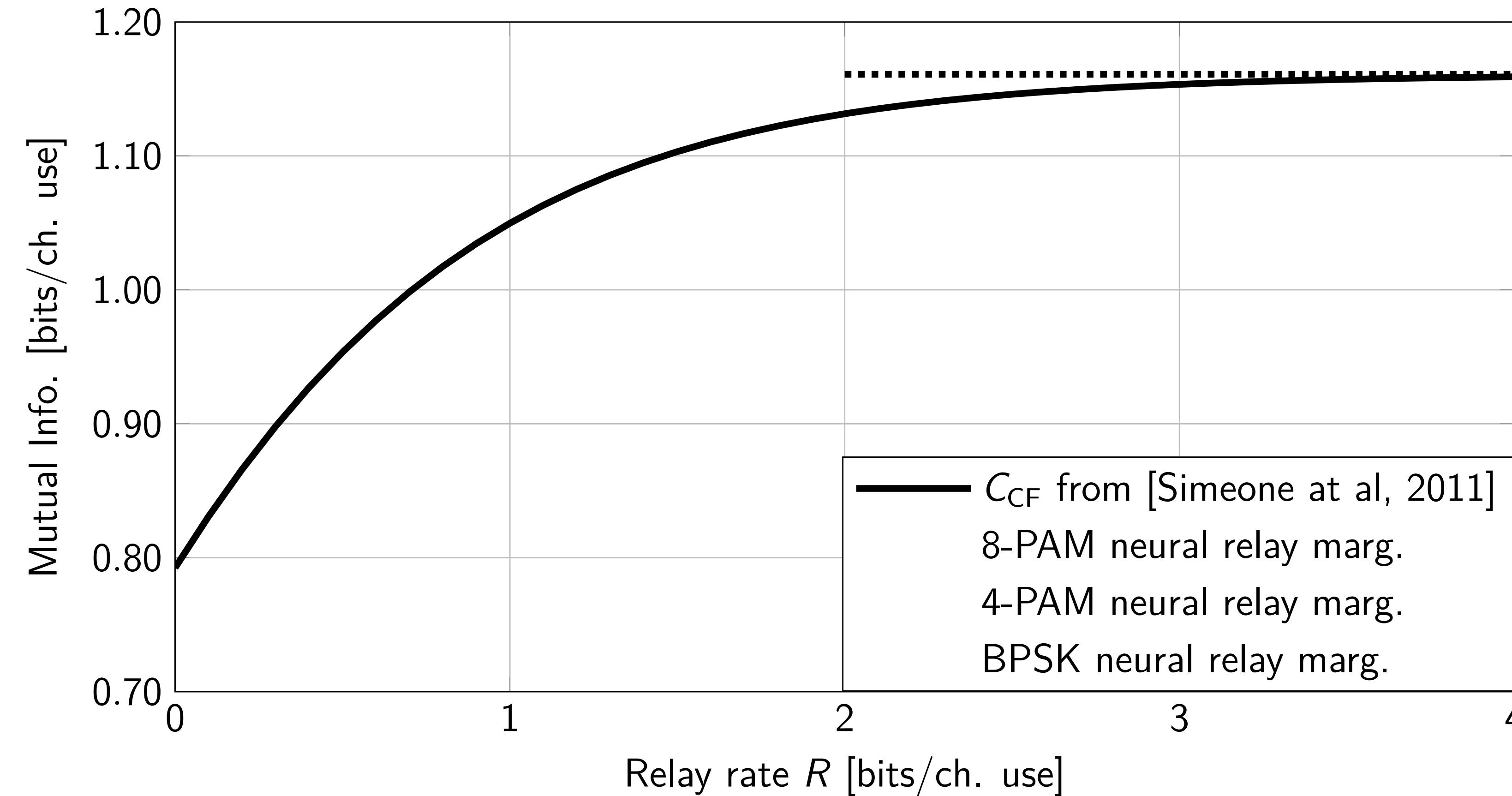
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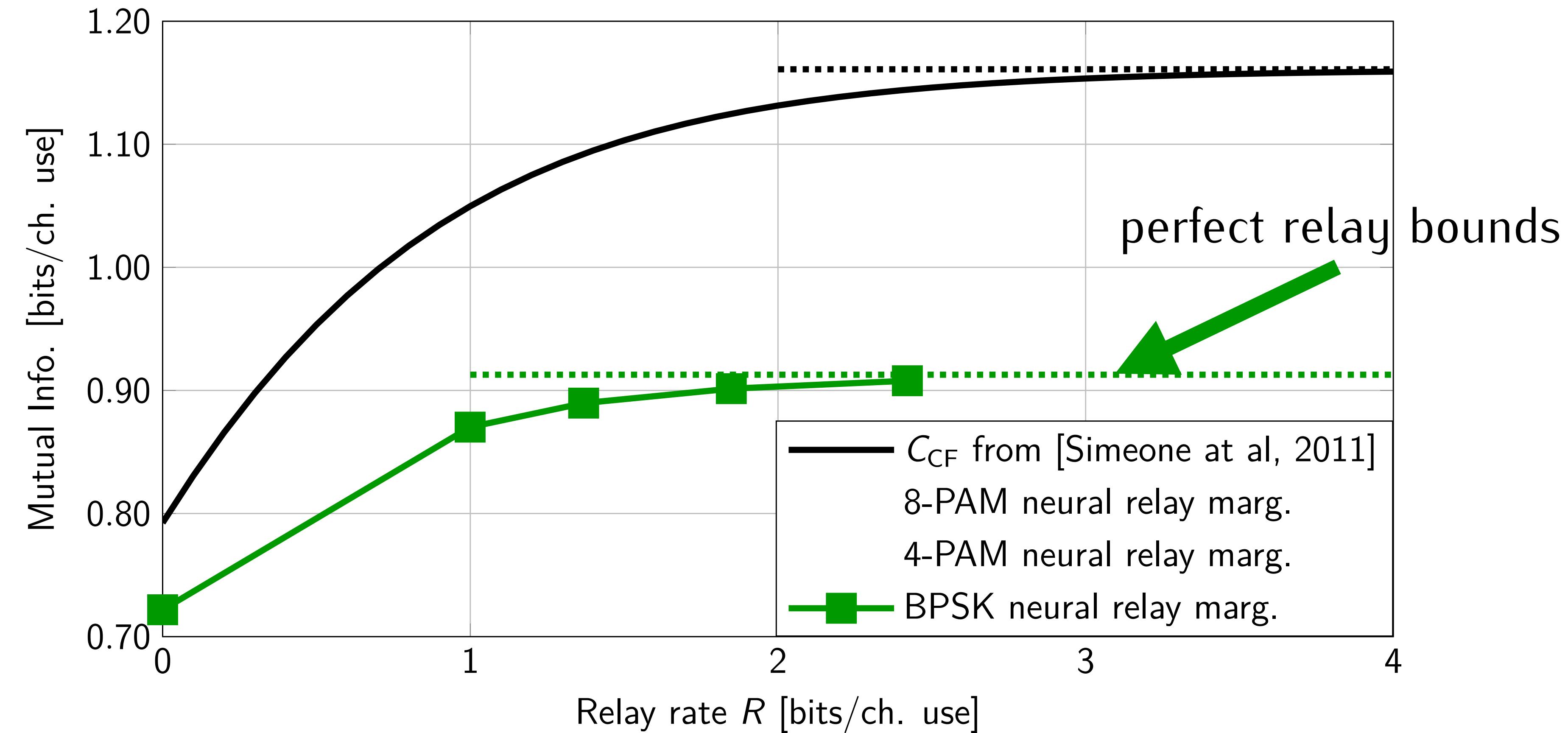
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- Channel:  $Y_D = X + N_D$  and  $Y_R = X + N_R$ , with  $N_D \perp N_R$ 
  - $(N_D, N_R)$  (complex) Gaussian noise with variance  $(\sigma_D^2, \sigma_R^2)$ .
- SNR:  $\gamma_D = P/\sigma_D^2$ ,  $\gamma_R = P/\sigma_R^2$ .

# Mutual Information for Learned CF at $\gamma_D = \gamma_R = 3$ dB



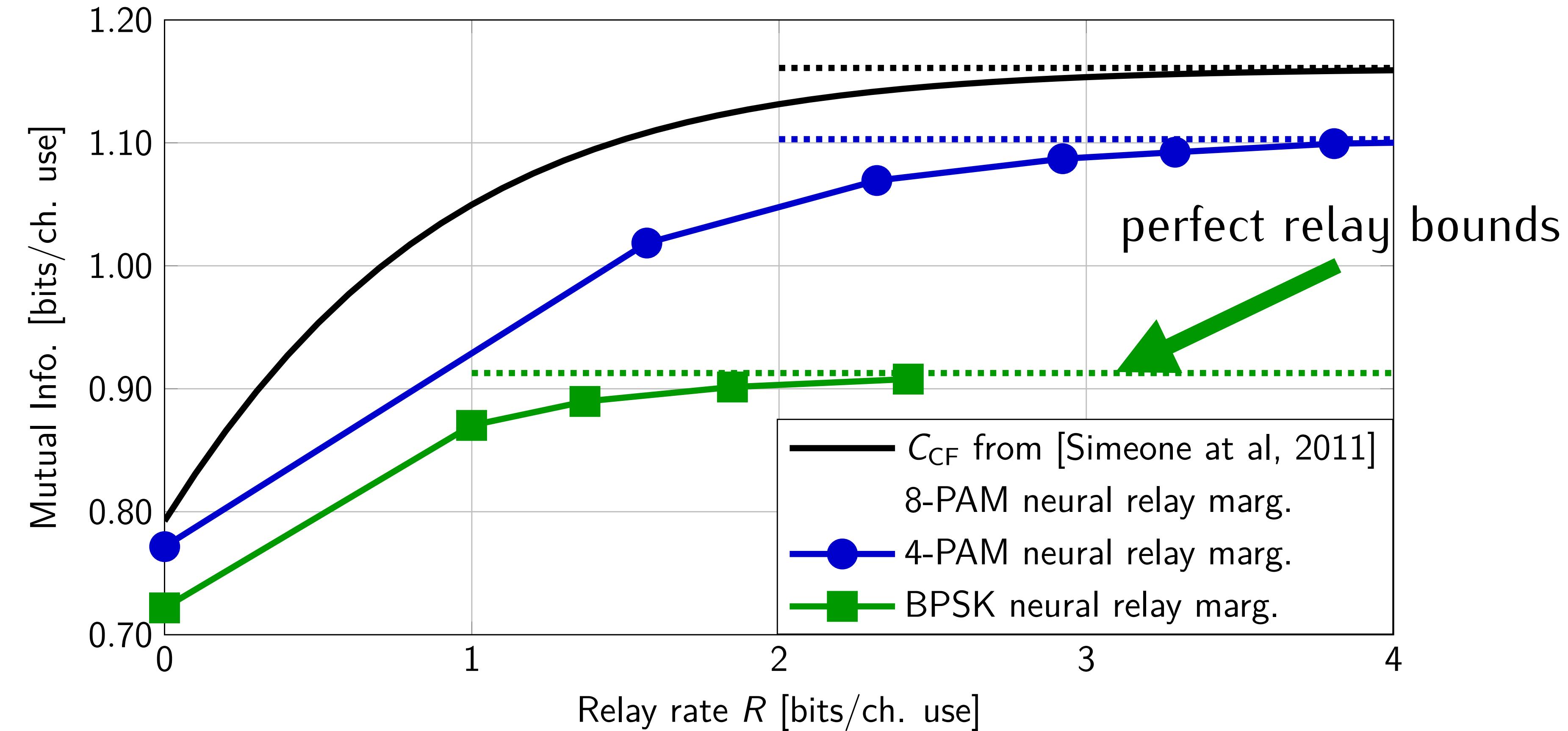
CF achievable rate [Simeone et al, 2011]: 
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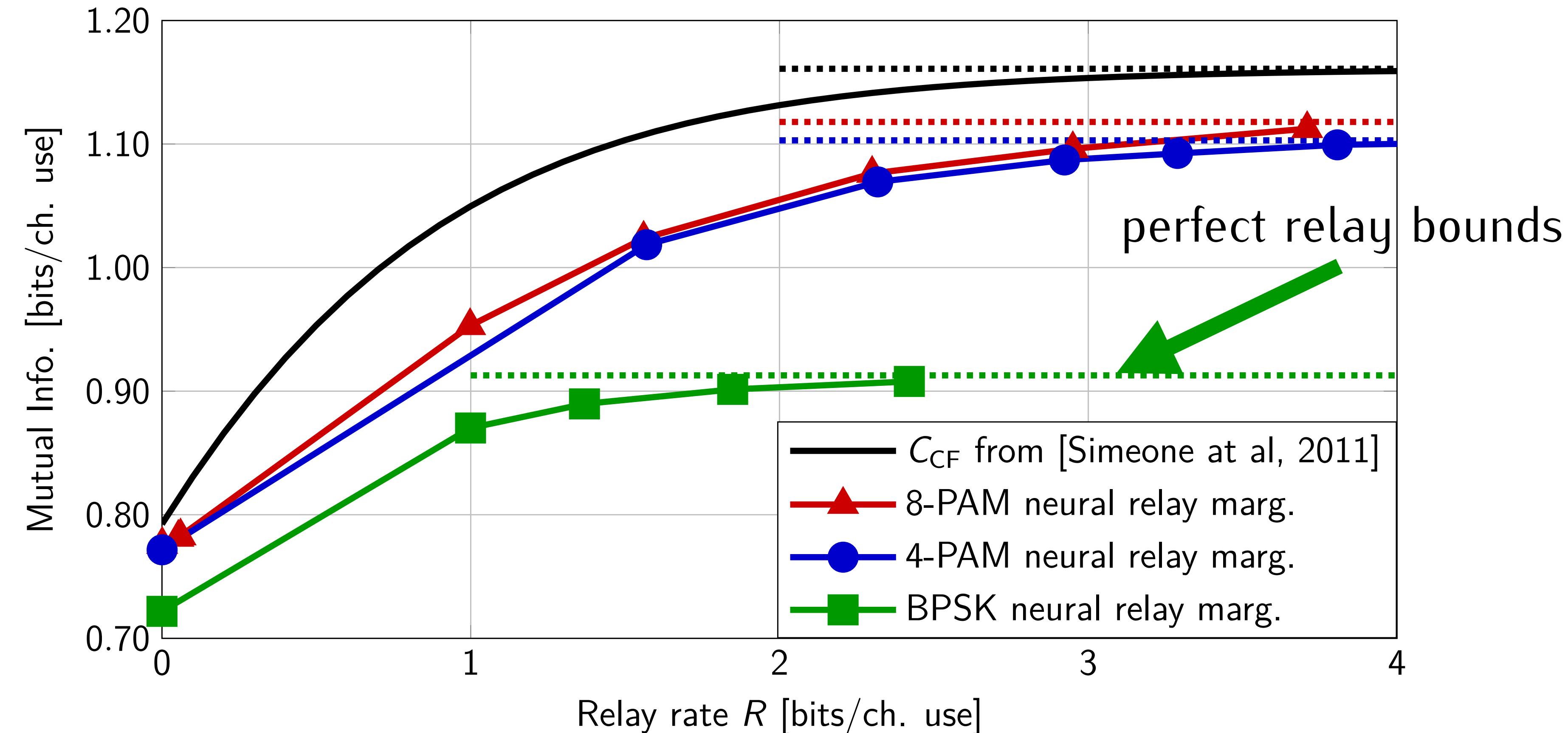
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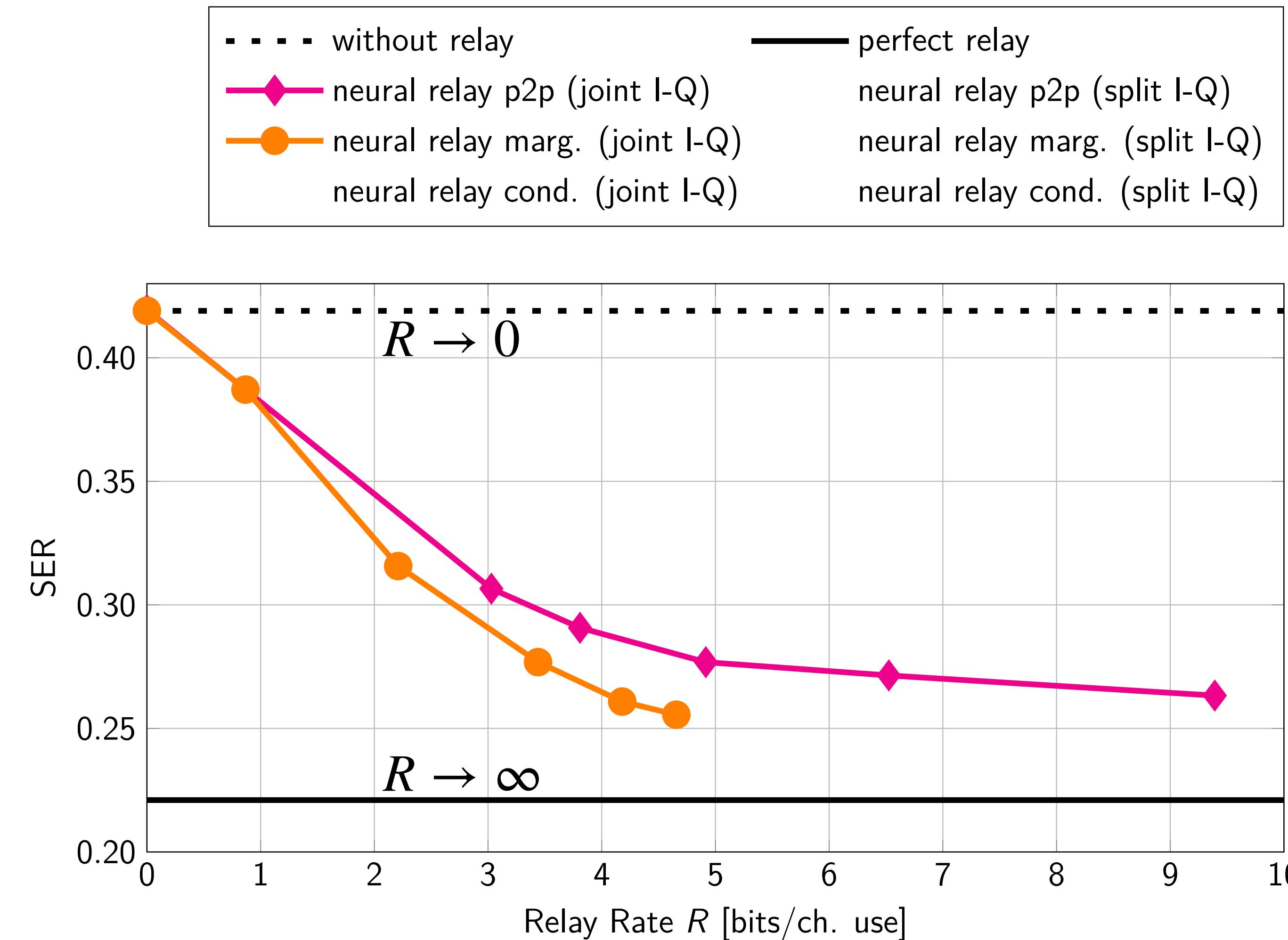
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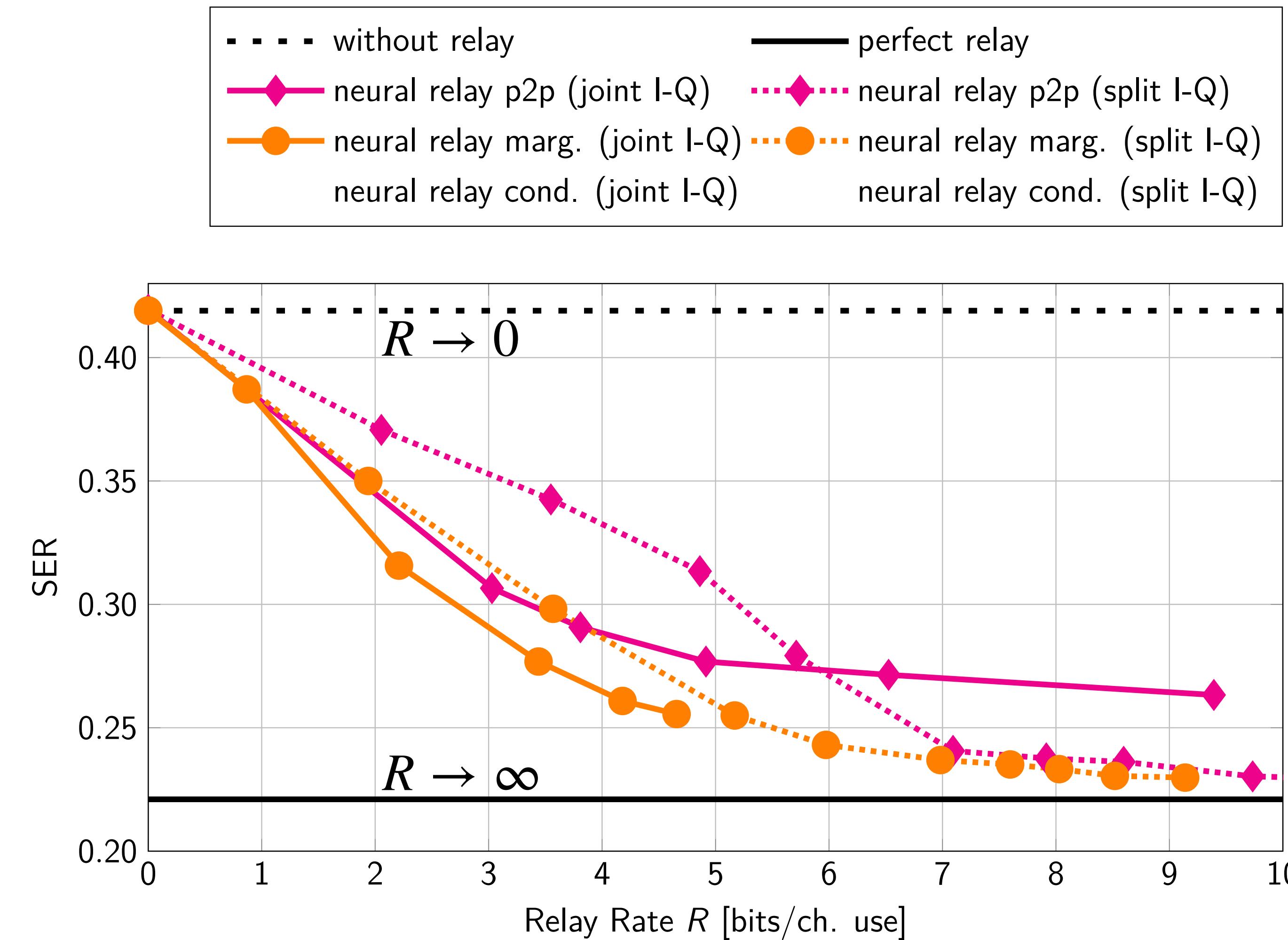


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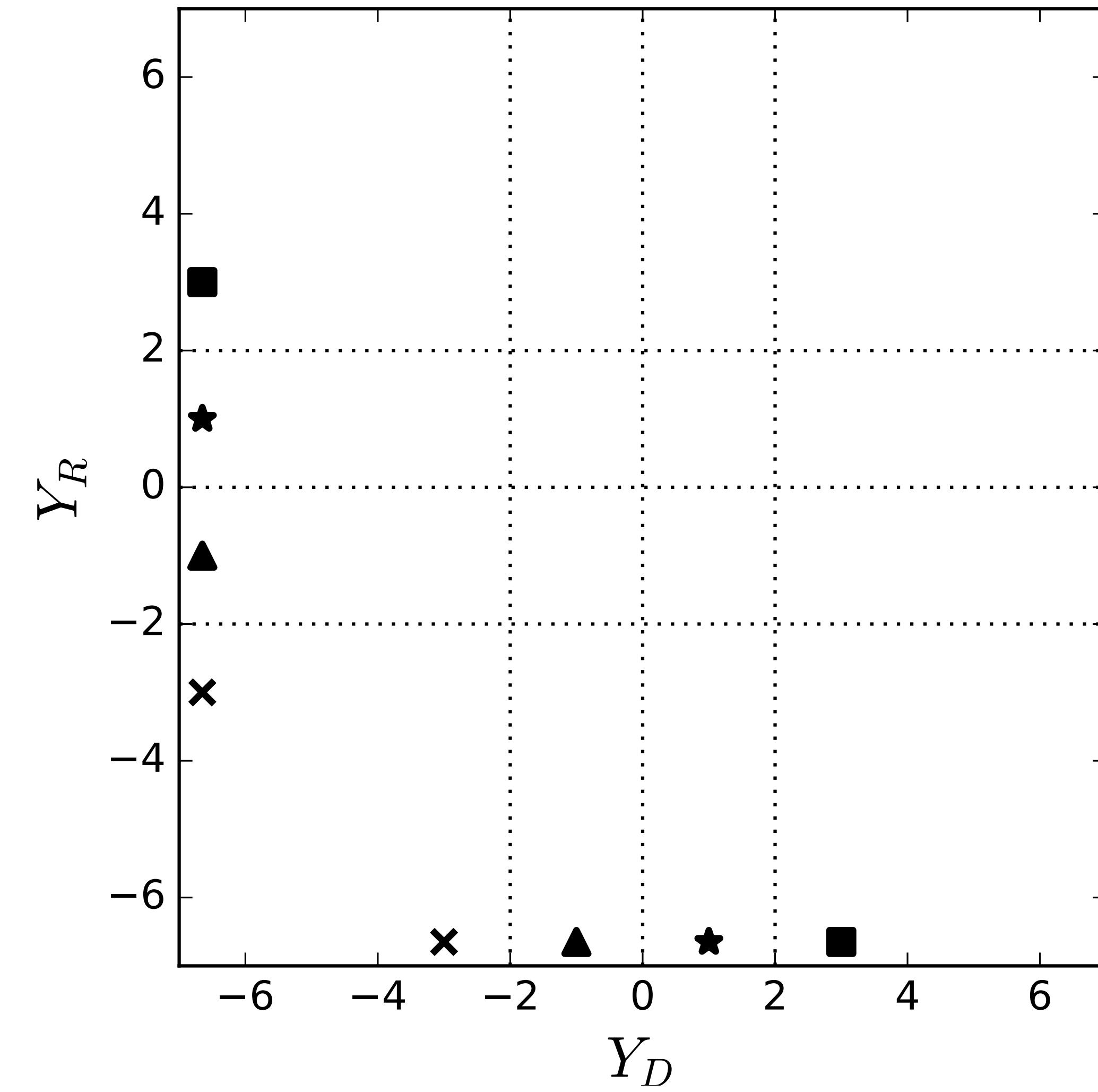
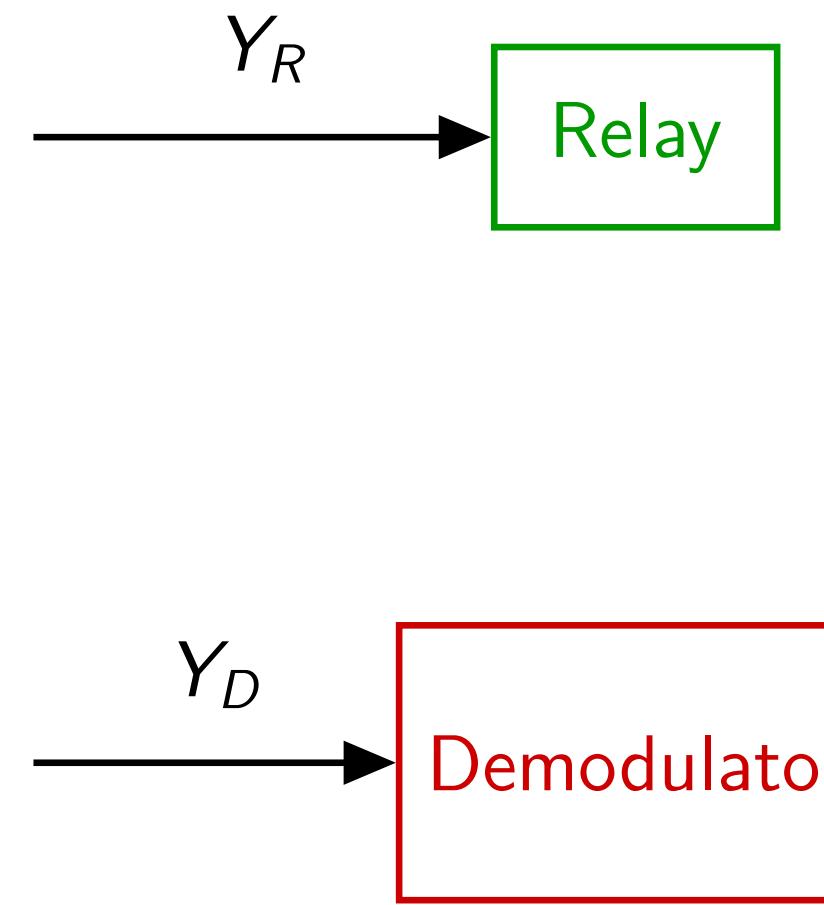
# Symbol Error Rate for 16-QAM at $\gamma_D = \gamma_R = 7$ dB



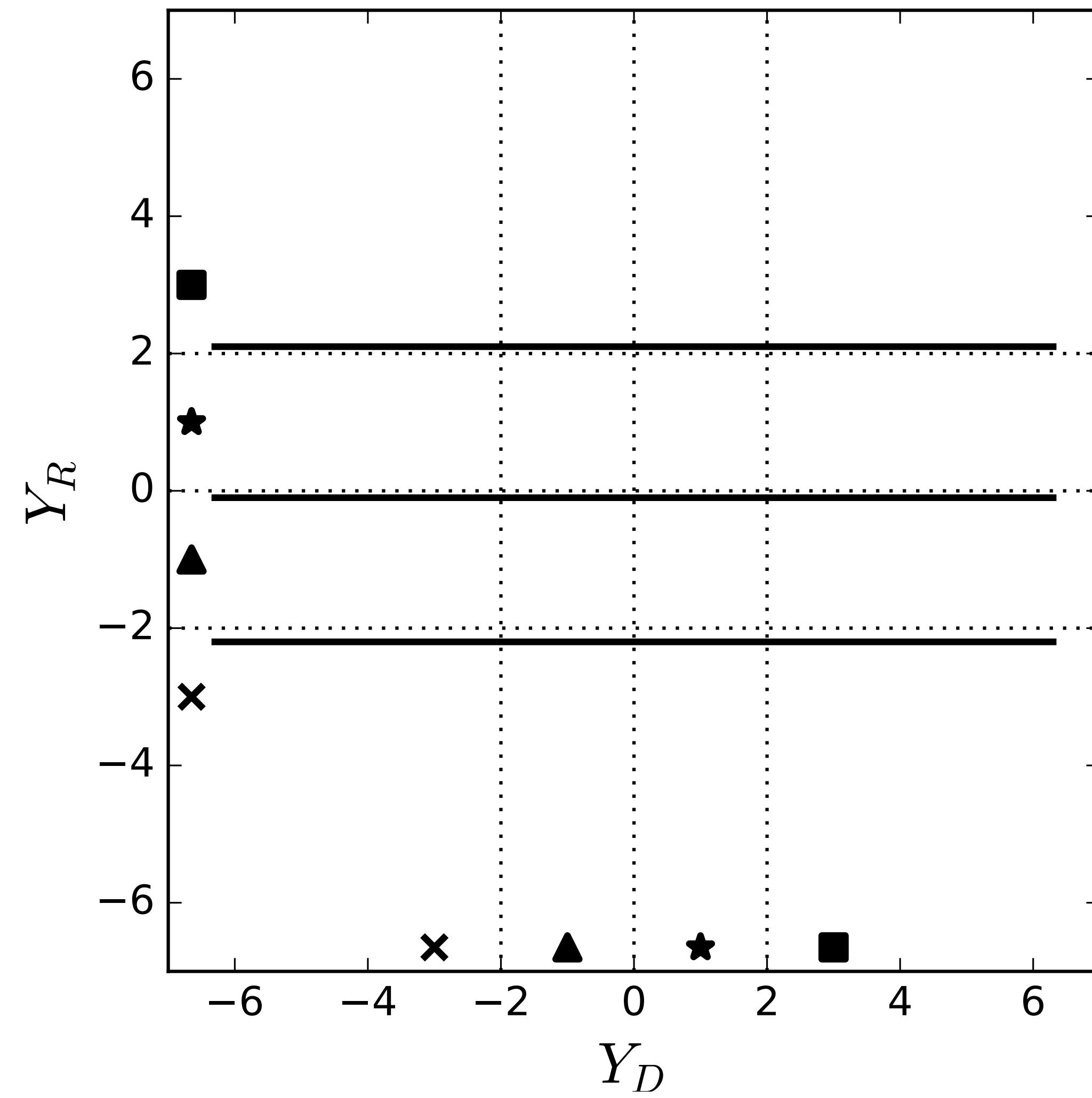
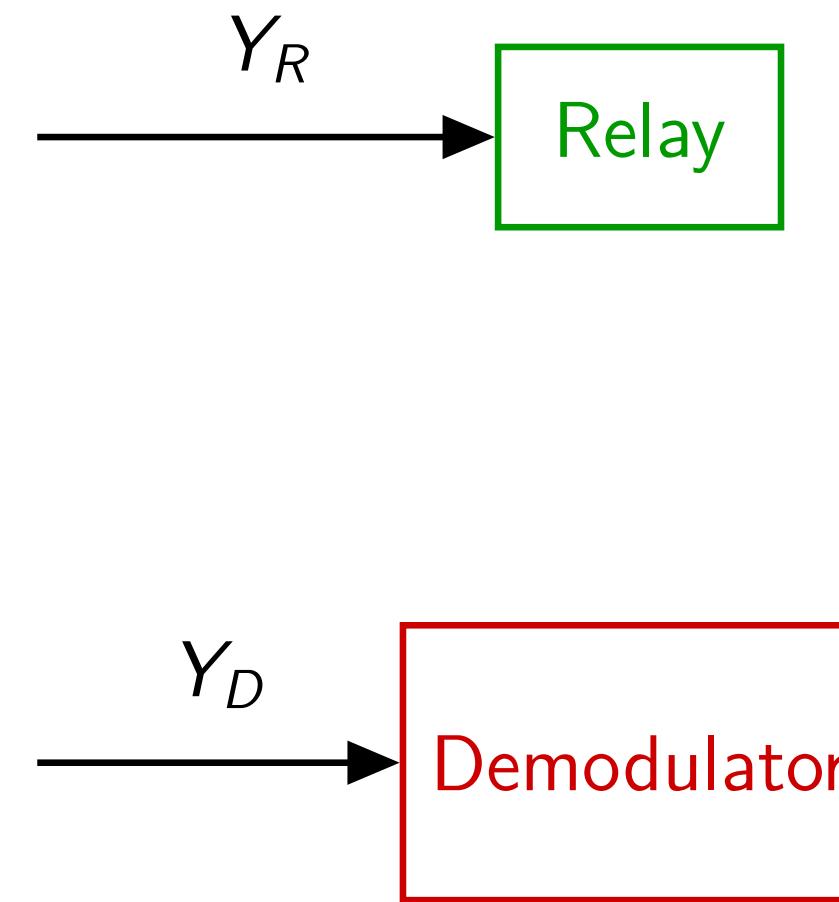
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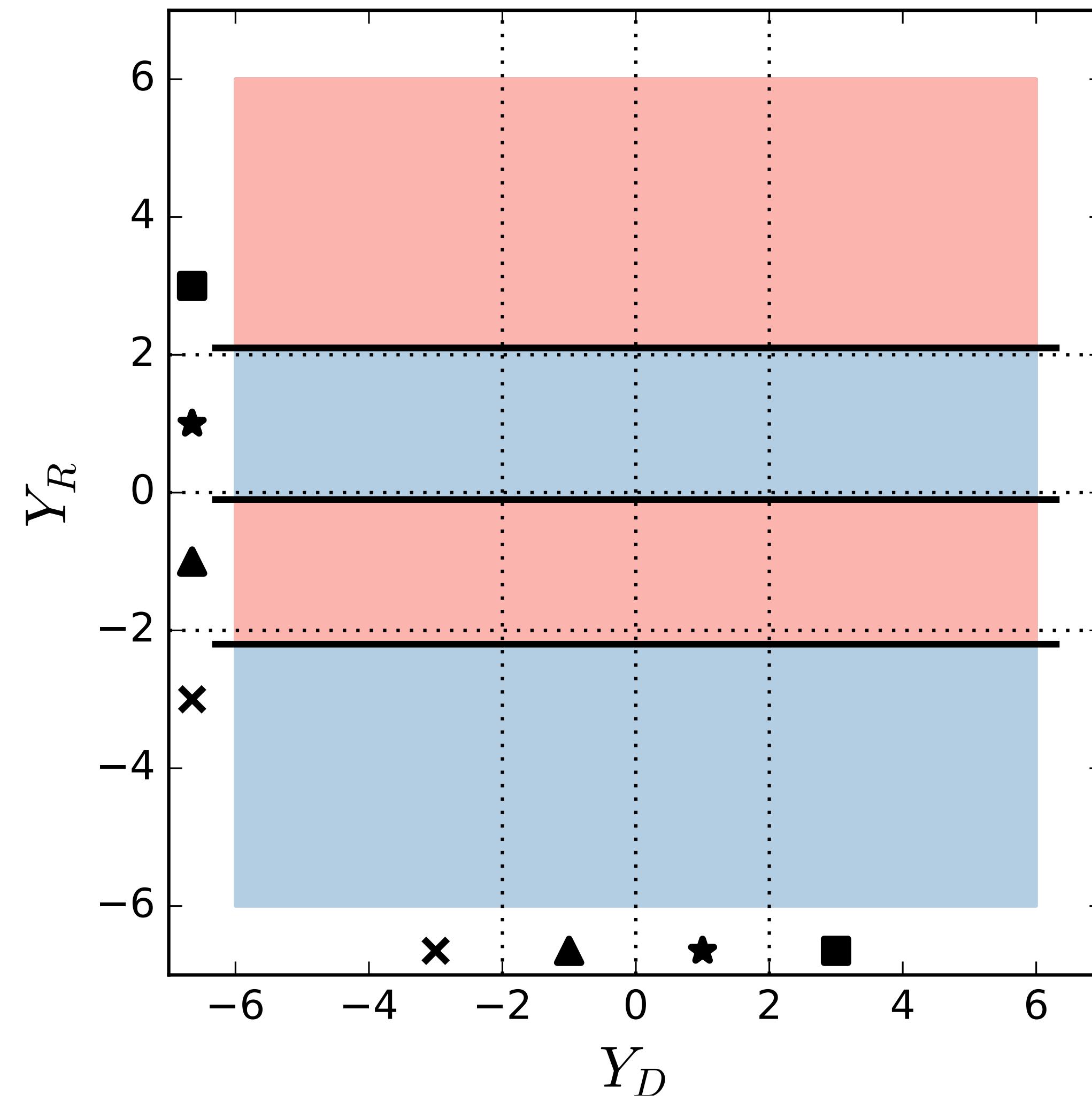
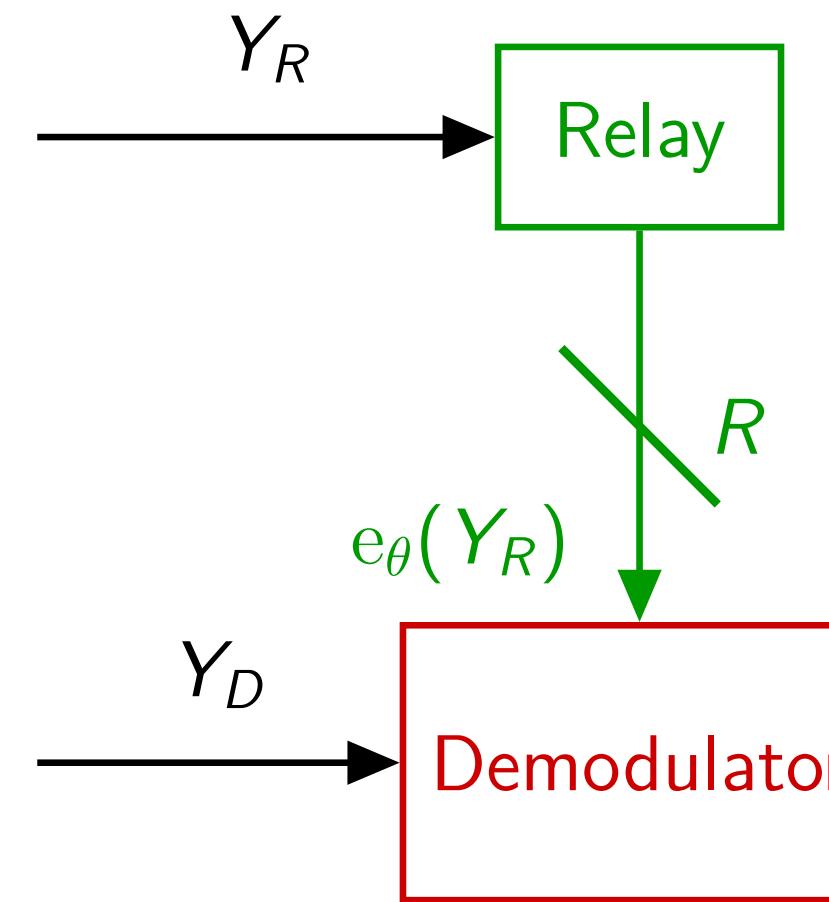
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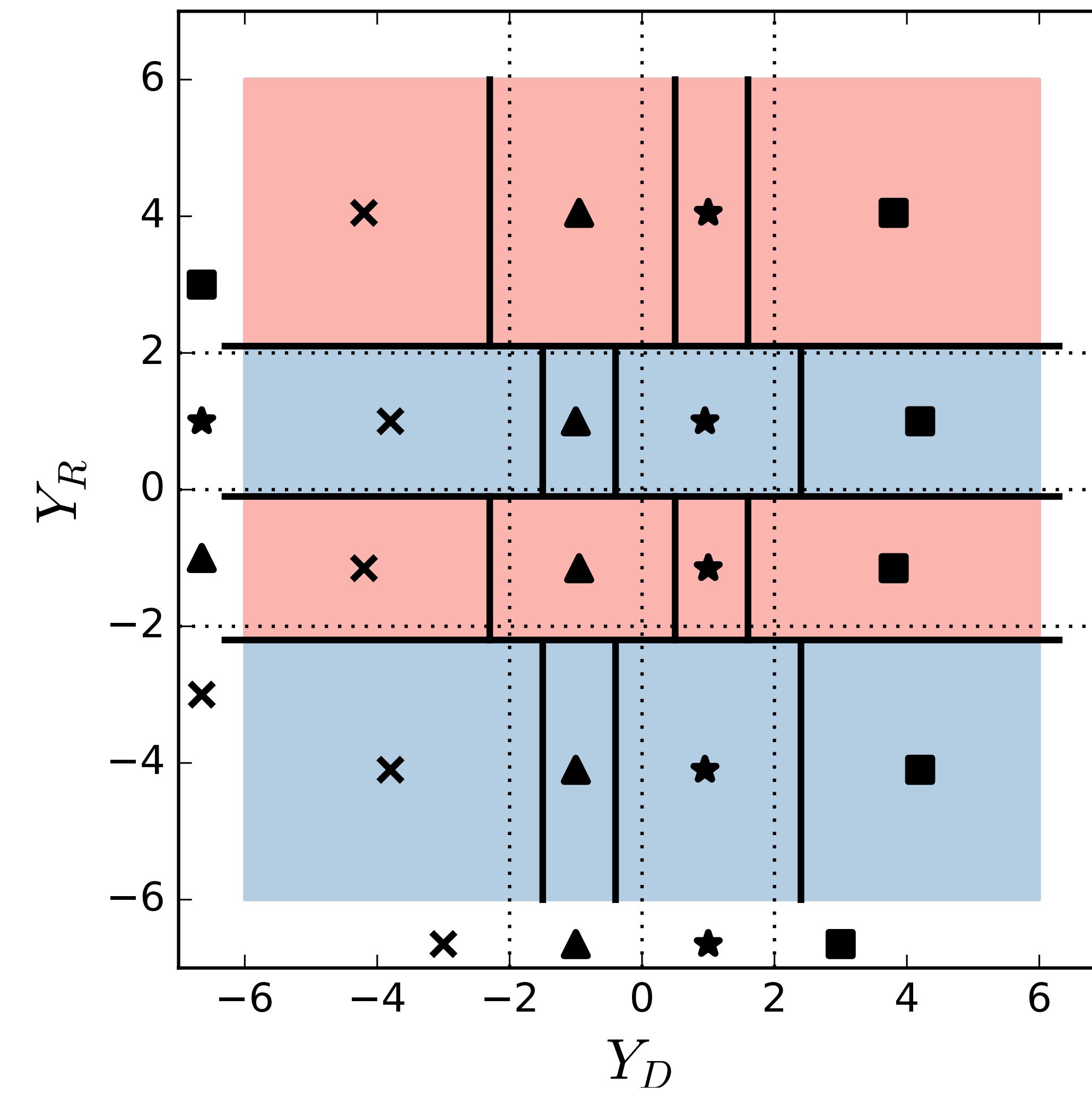
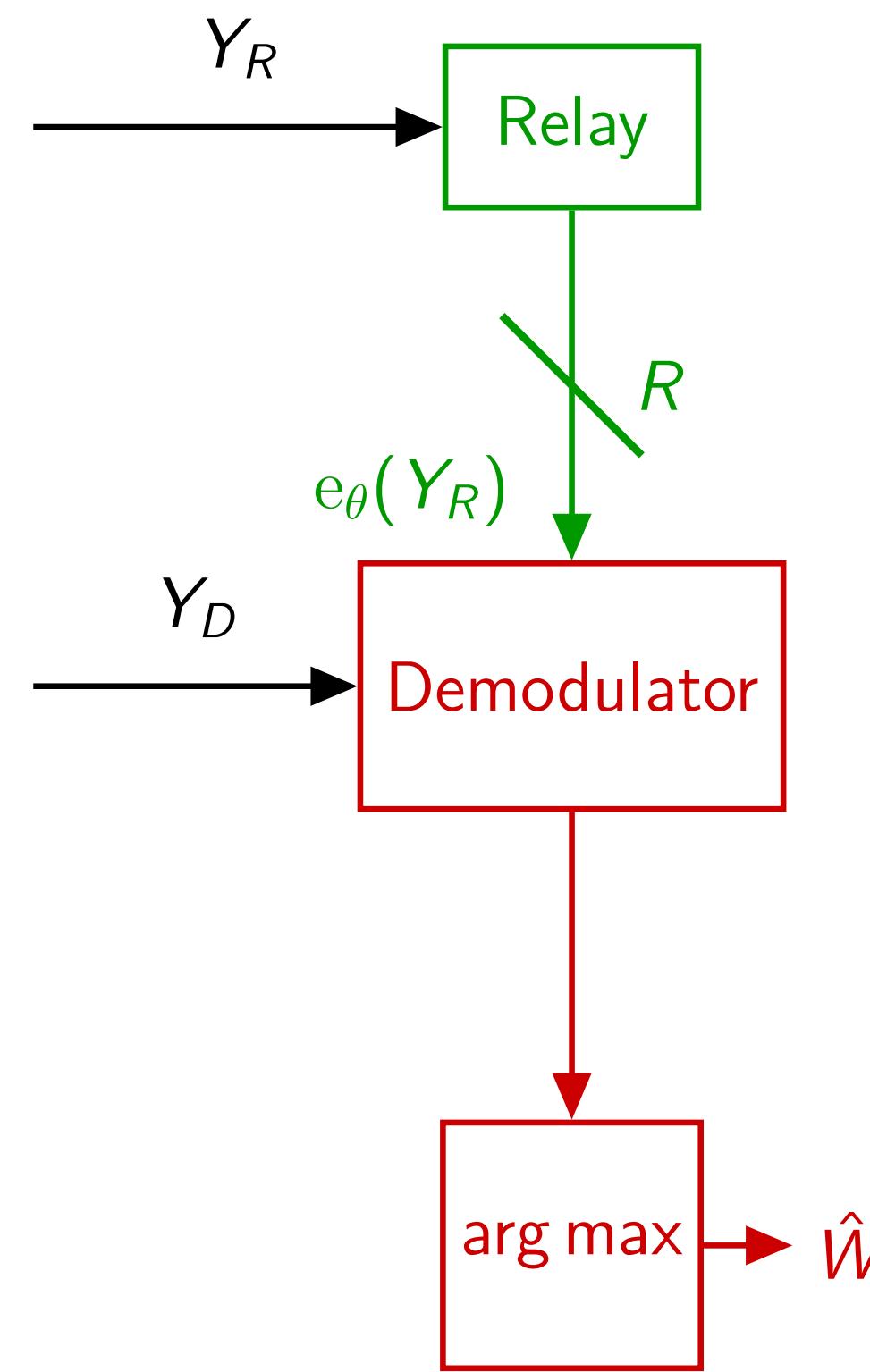
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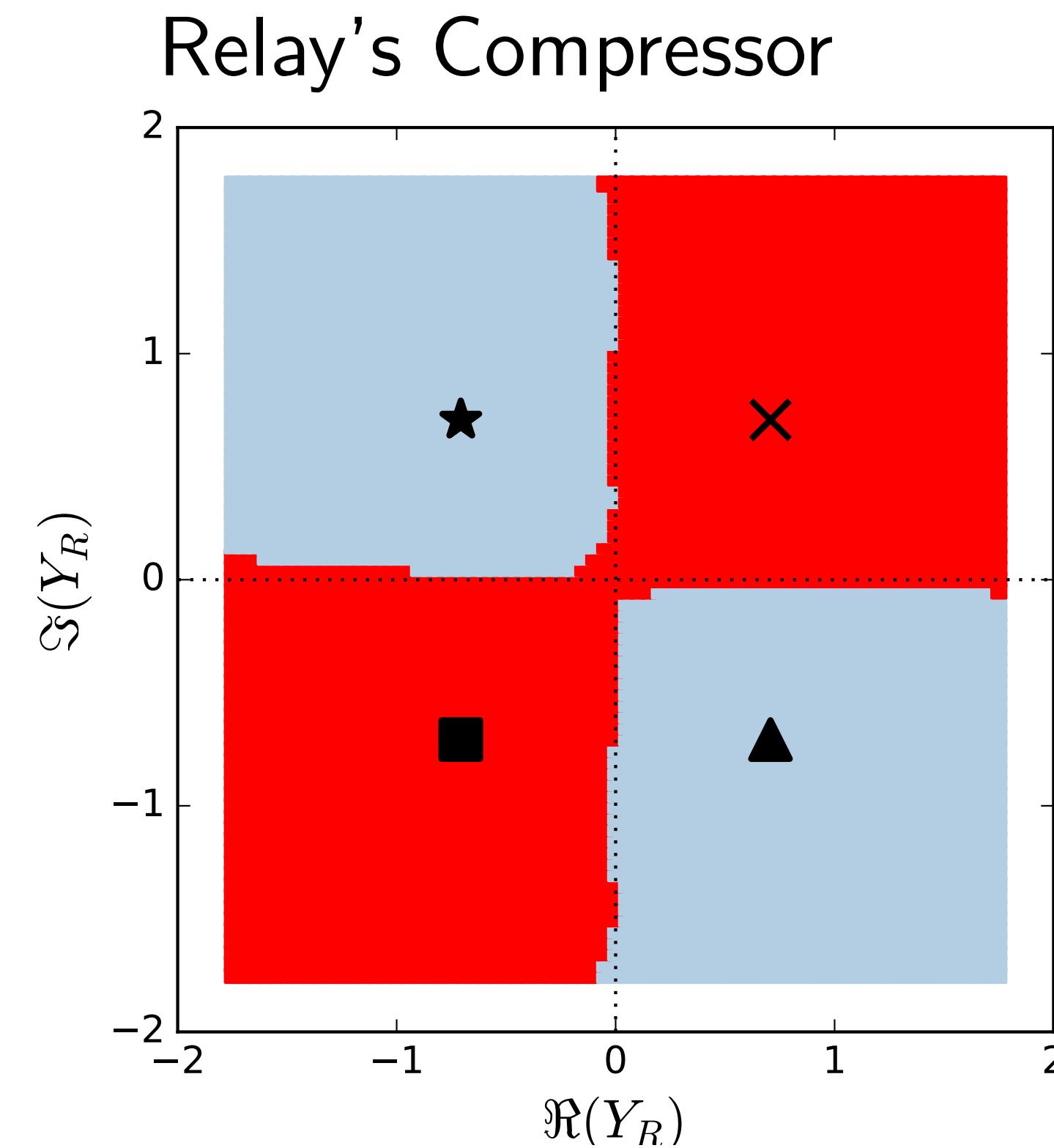
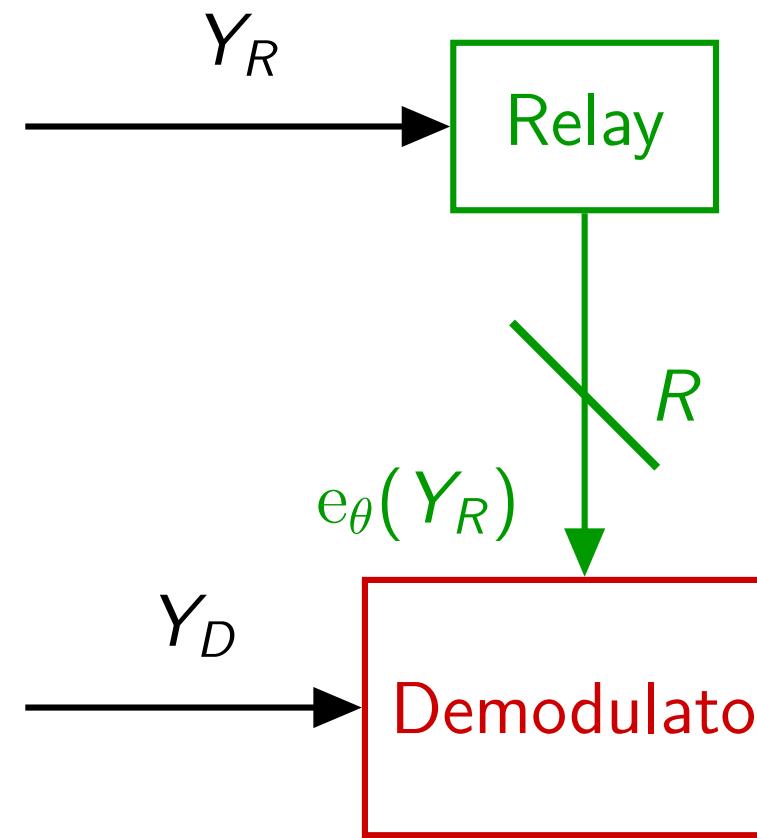


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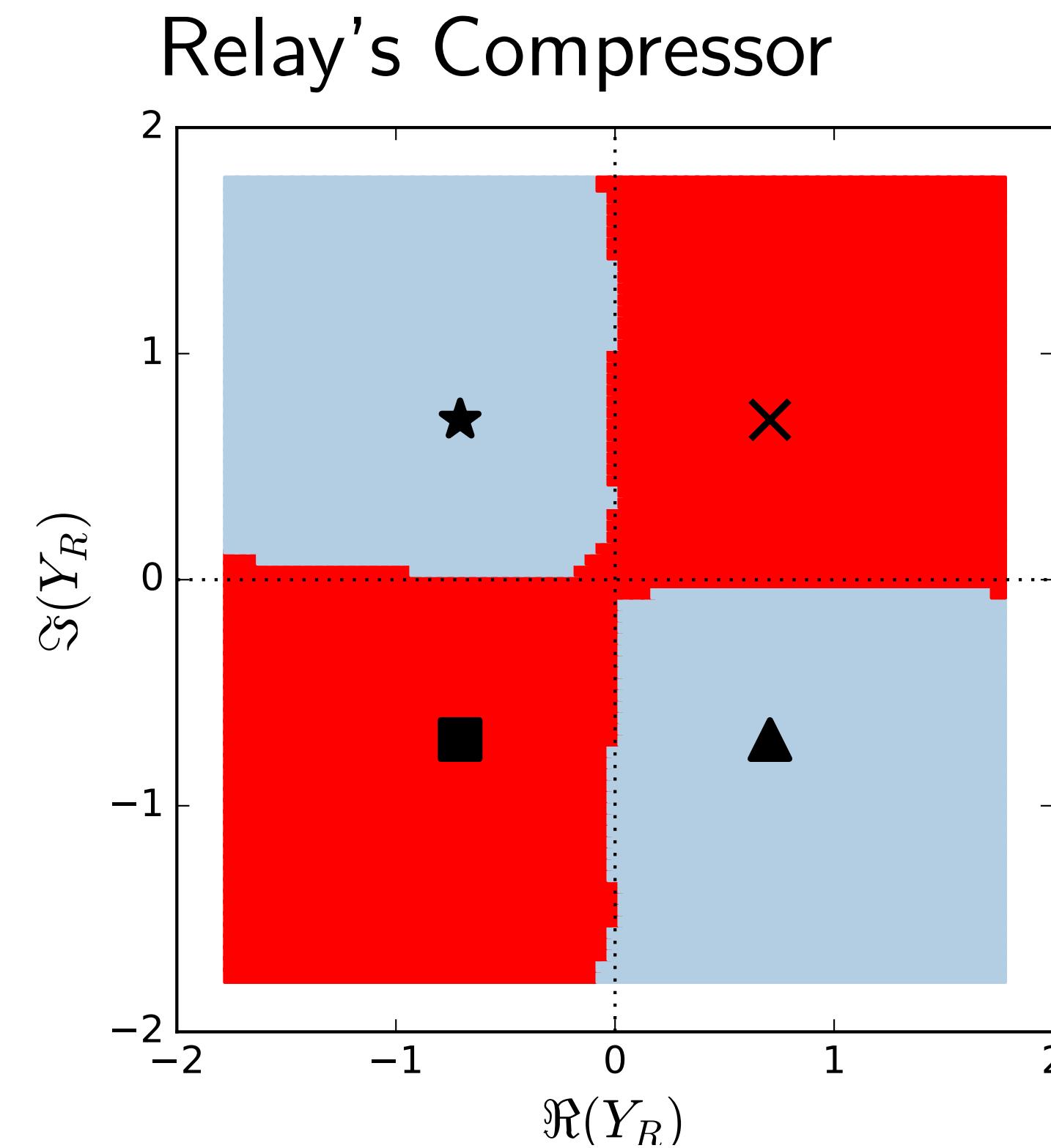
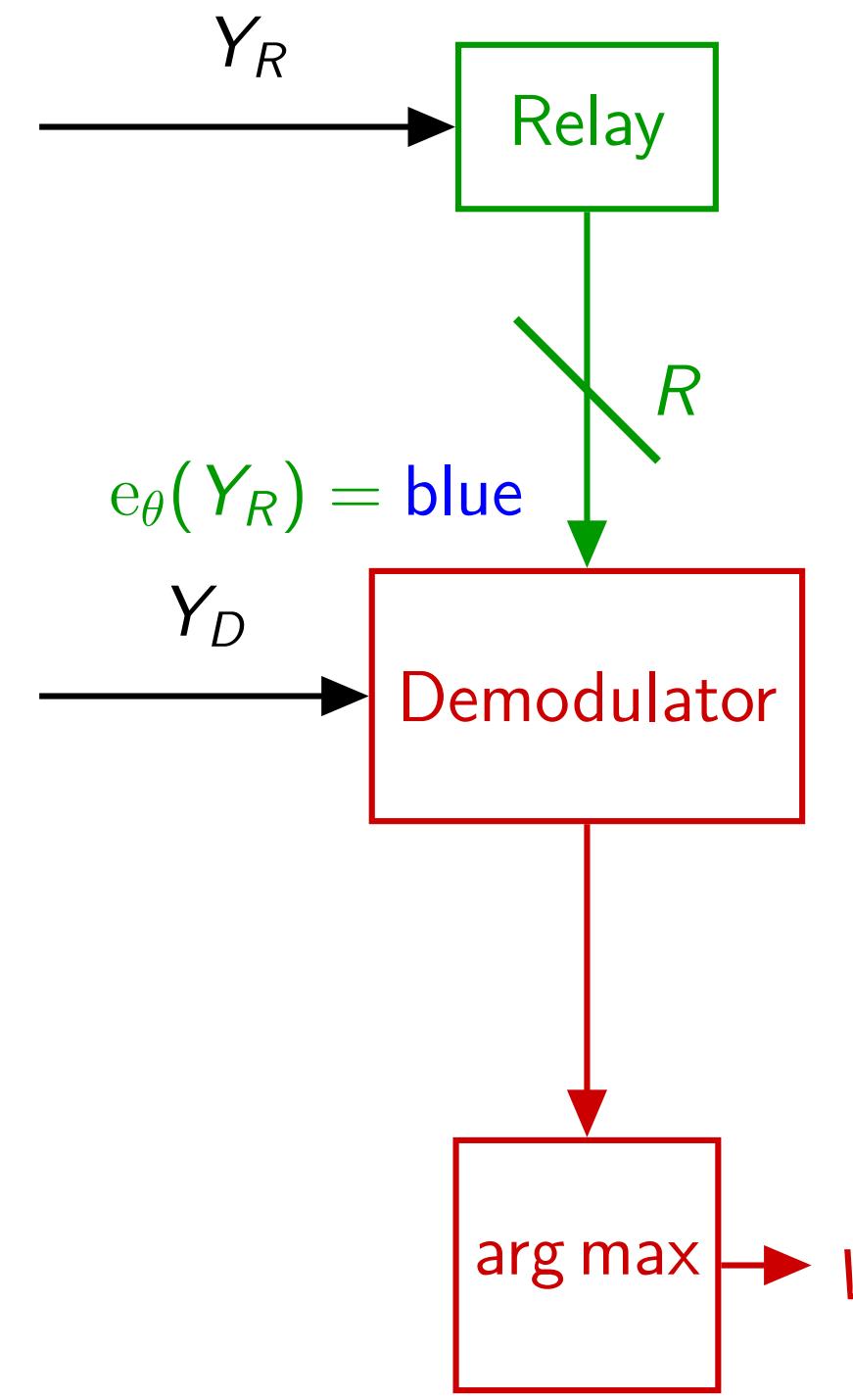


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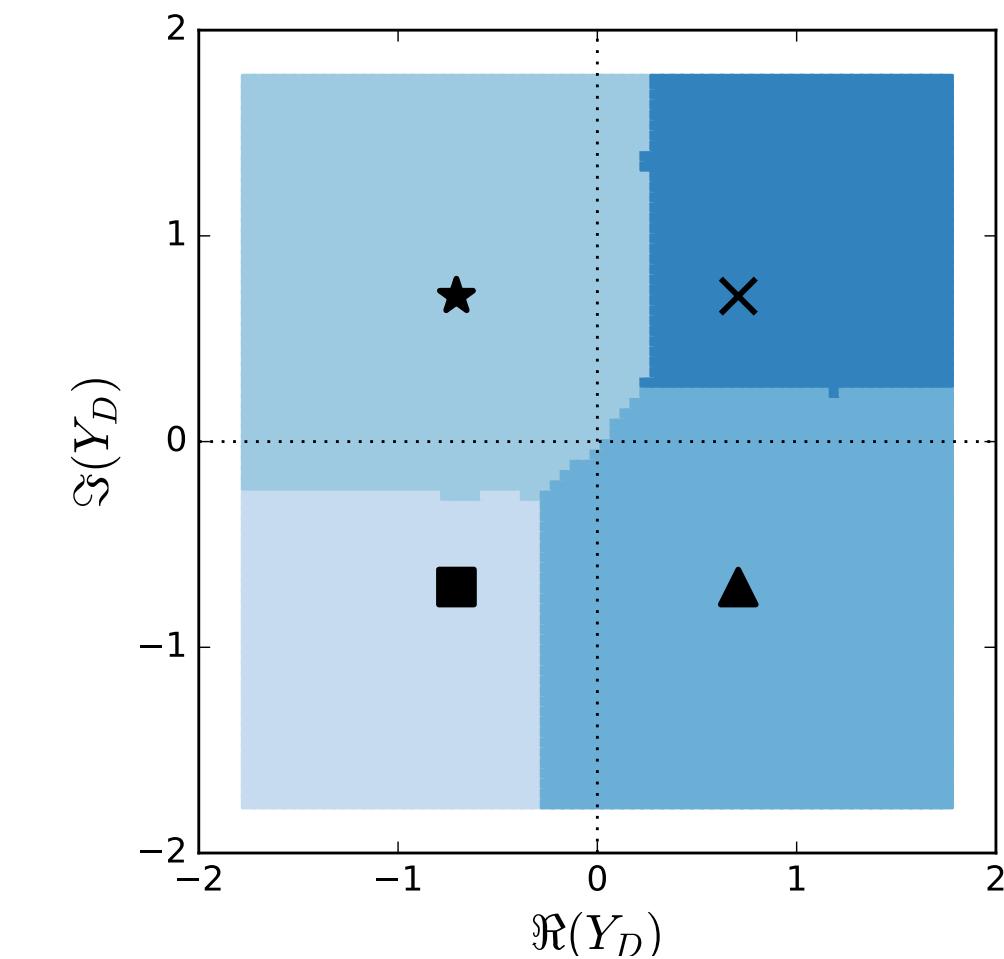
Destination's Demodulator



# Quantization & Decisions for QAM, $\gamma_D = \gamma_R = 7$ dB, $R \approx 1$

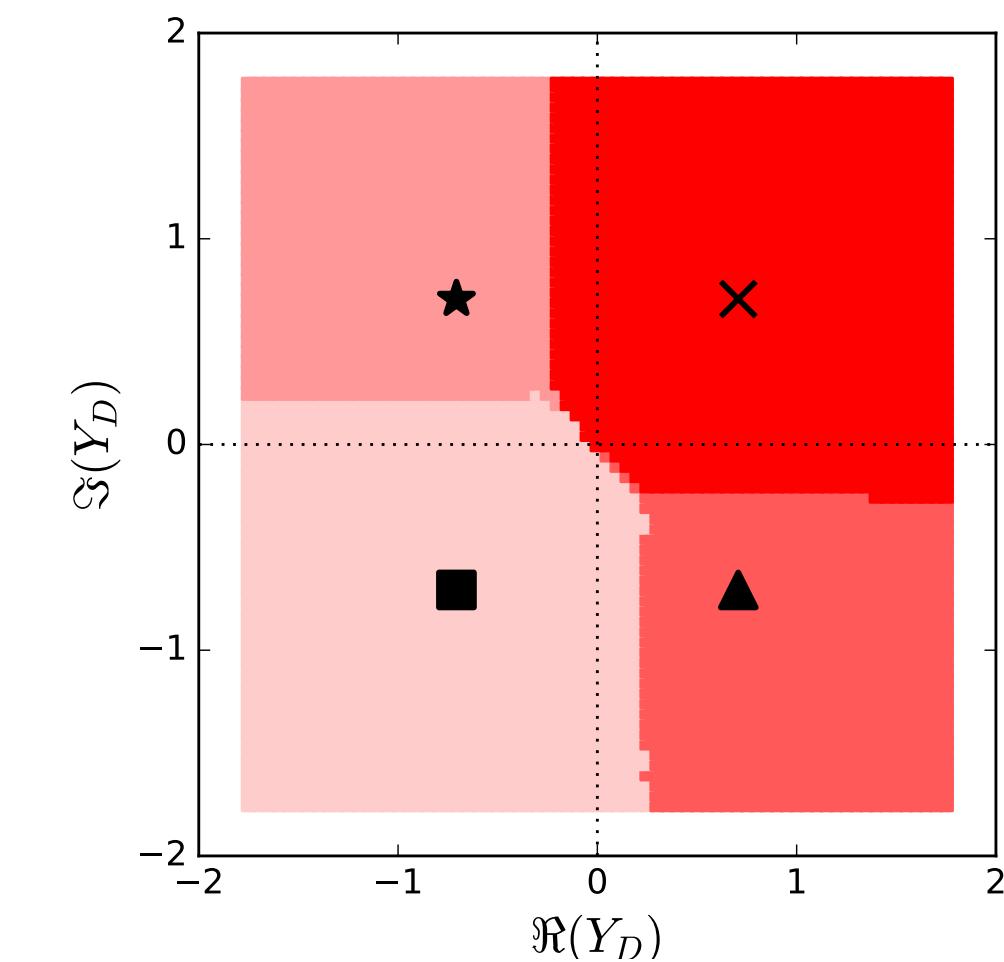
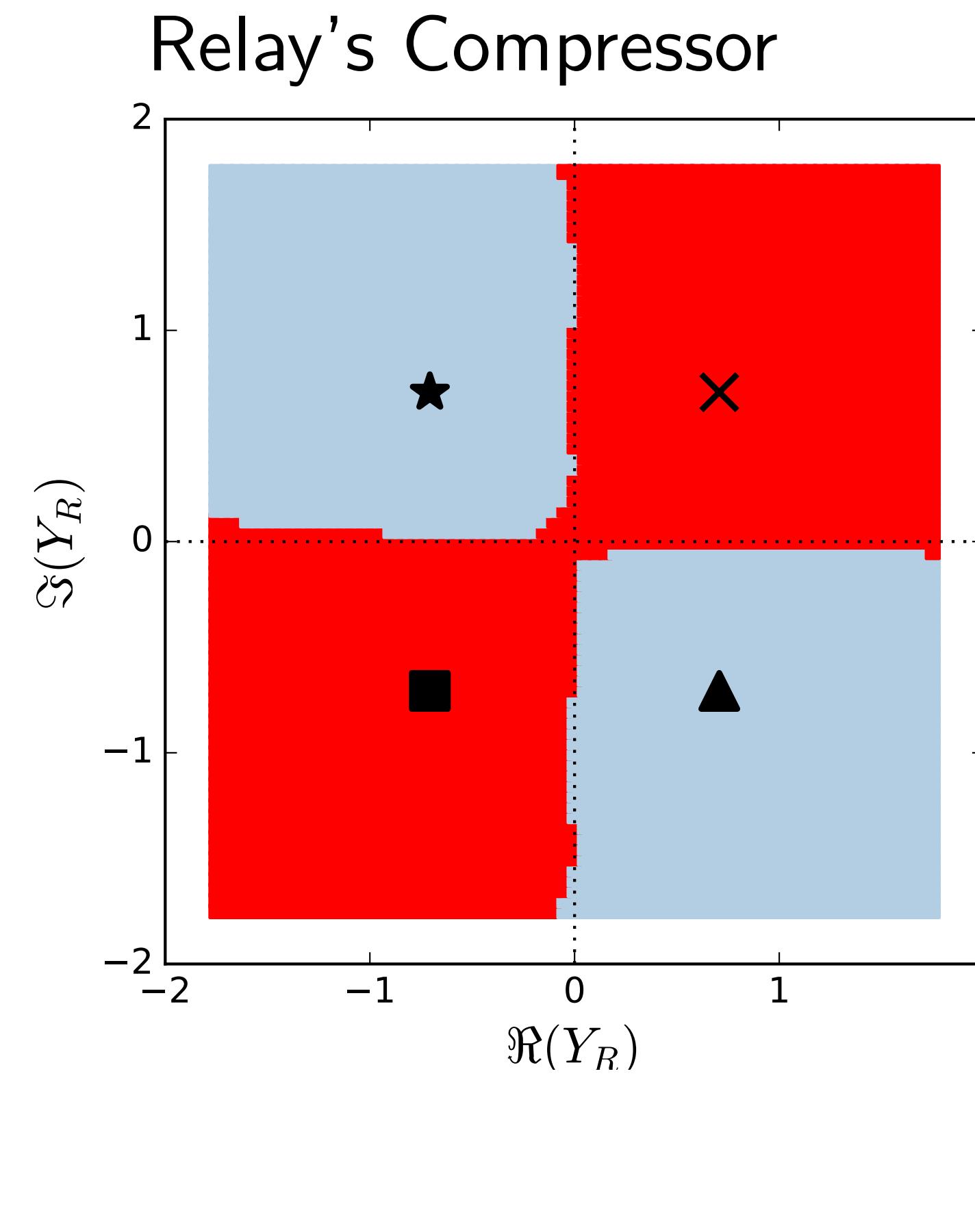
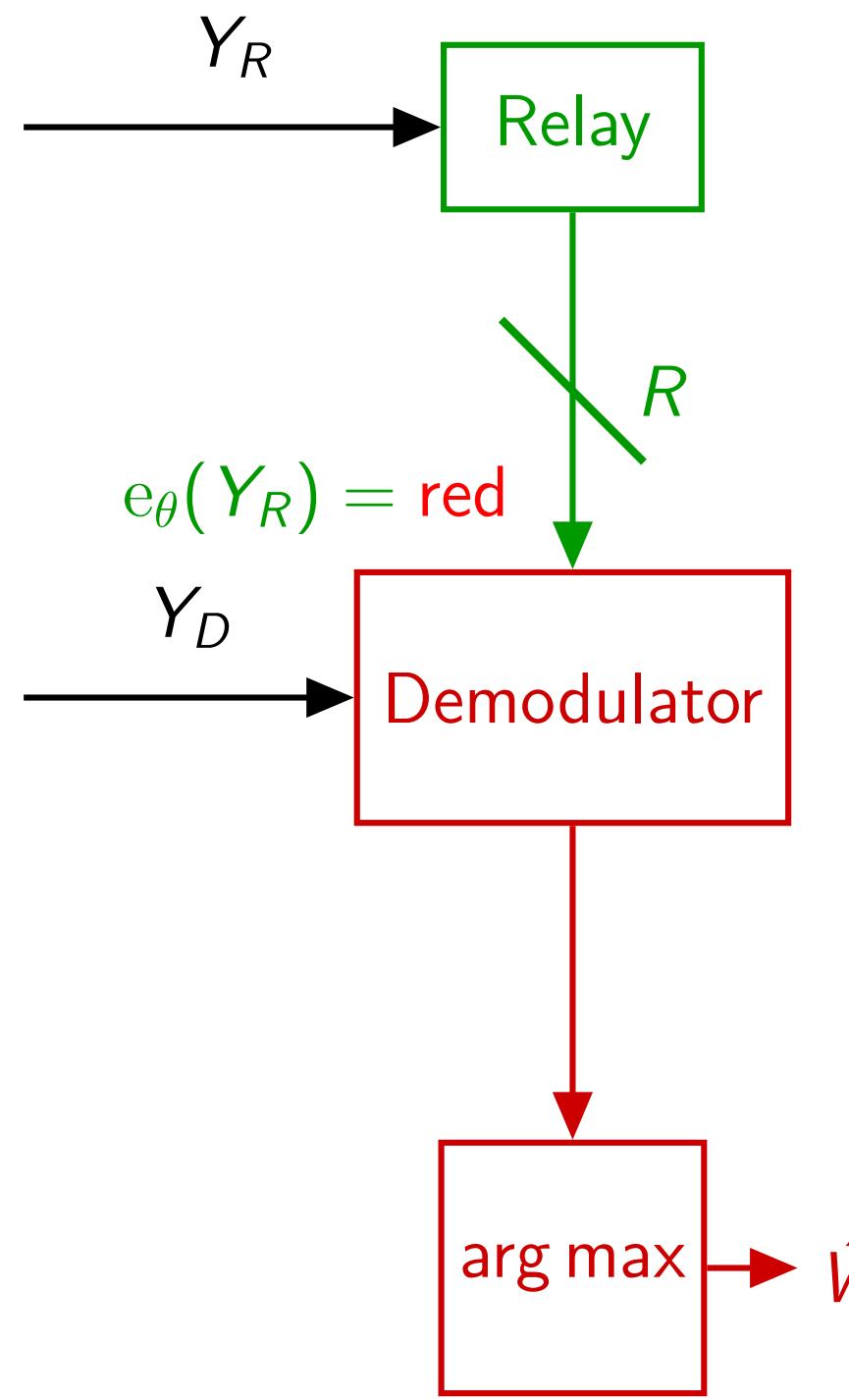


Destination's Demodulator

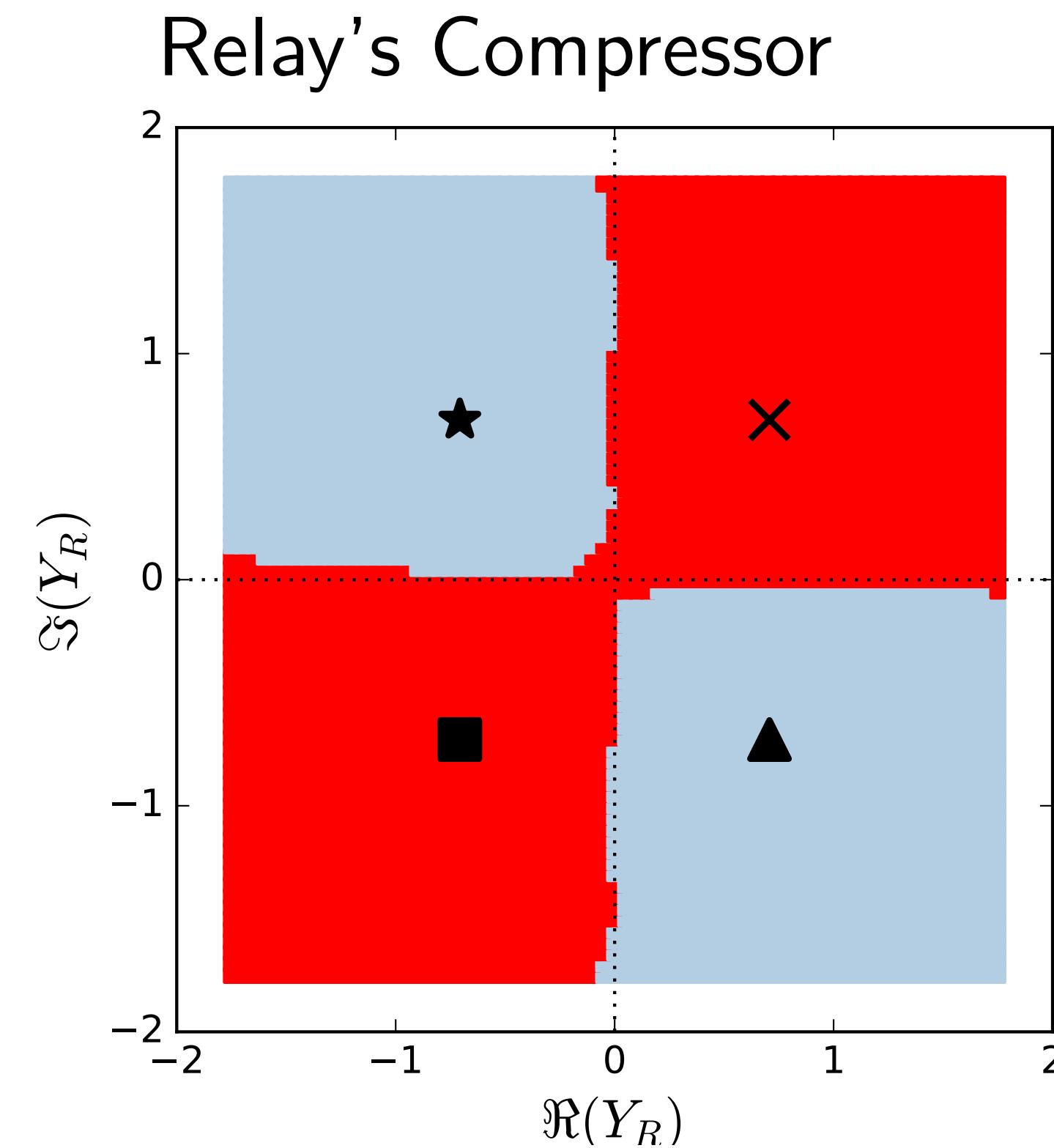
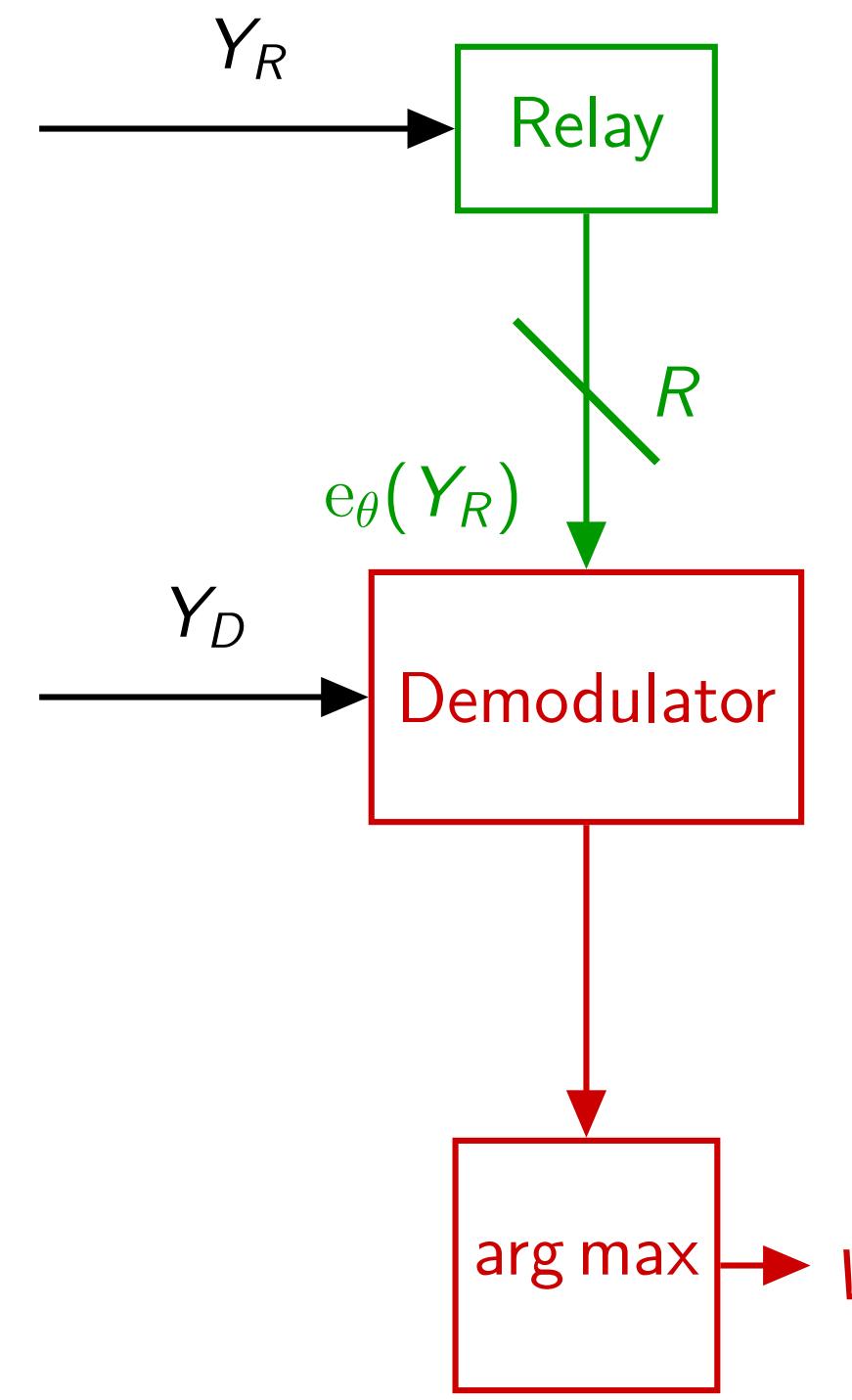


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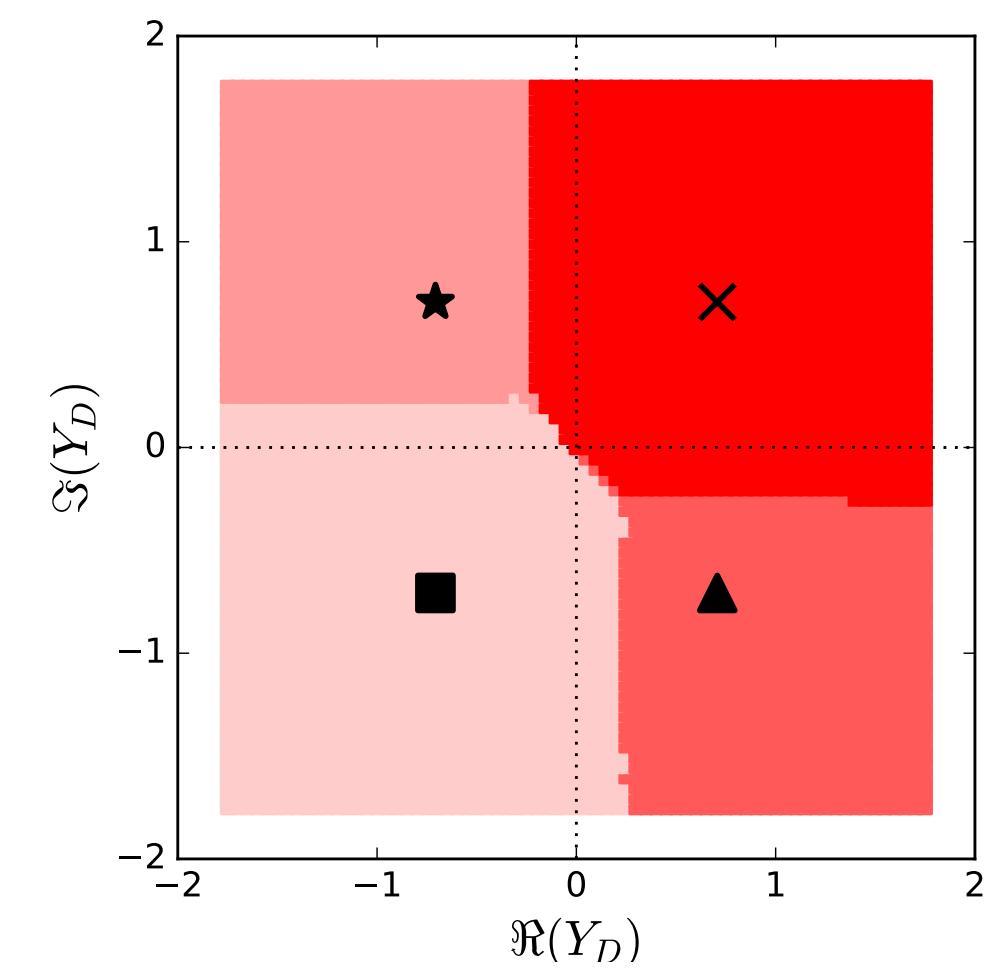
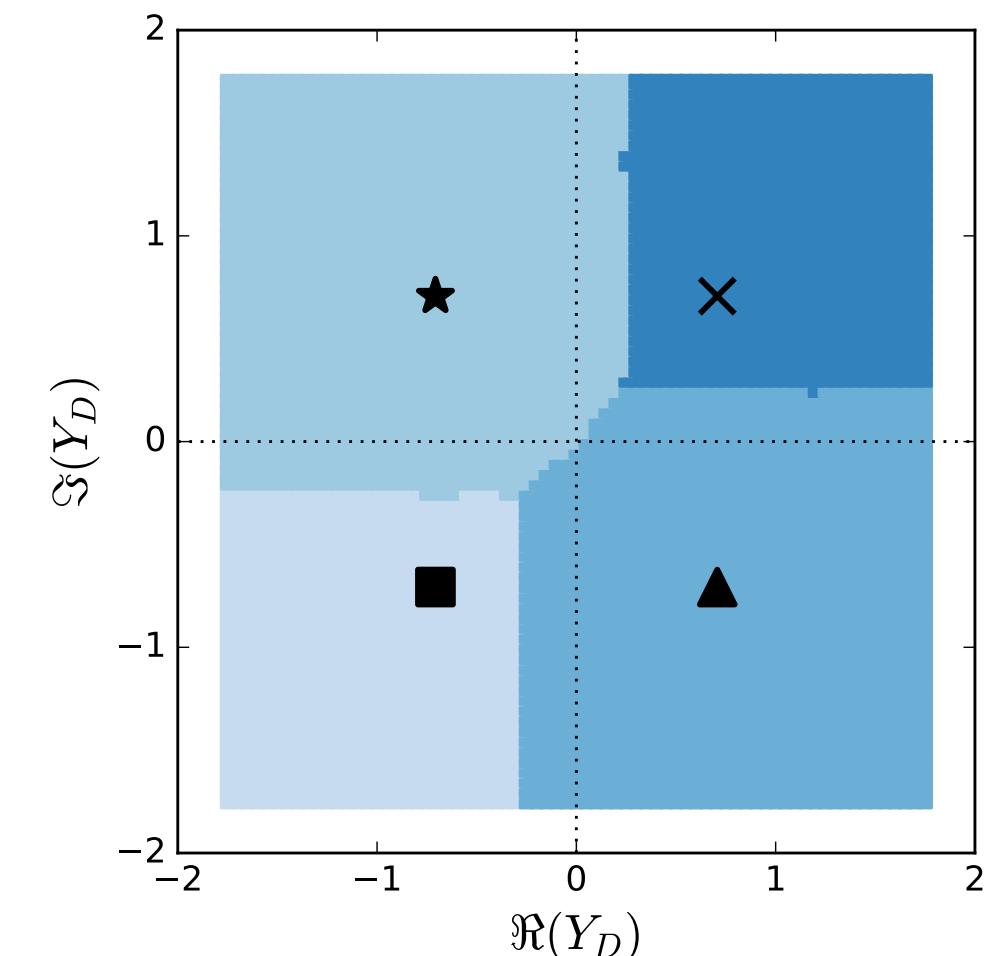
Destination's Demodulator



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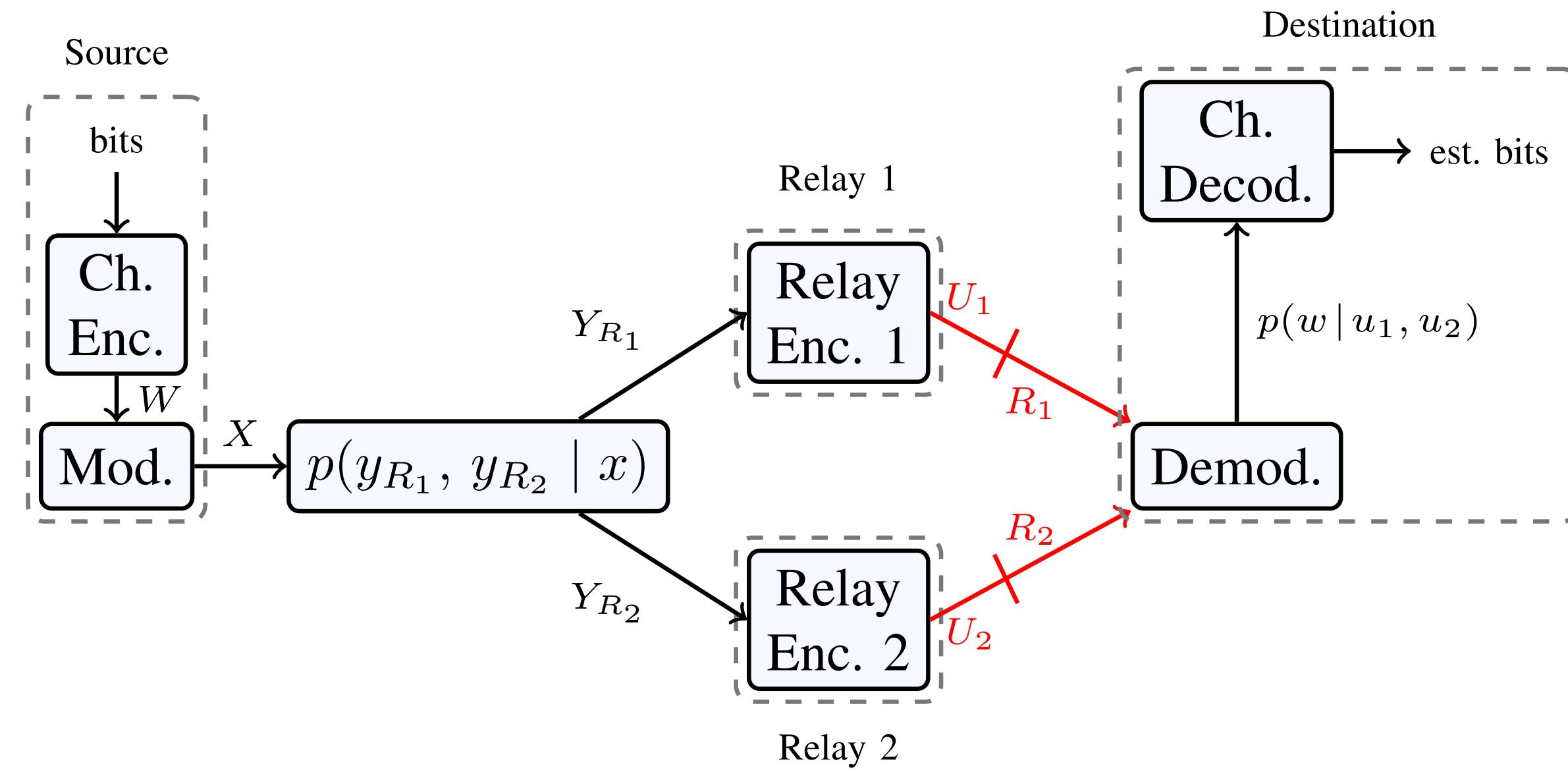
# Summary on Neural Compress-and-Forward (CF)

- First proof-of-concept towards practical neural CF relaying scheme.
- Distributed compression helps in exploiting correlation at the destination.

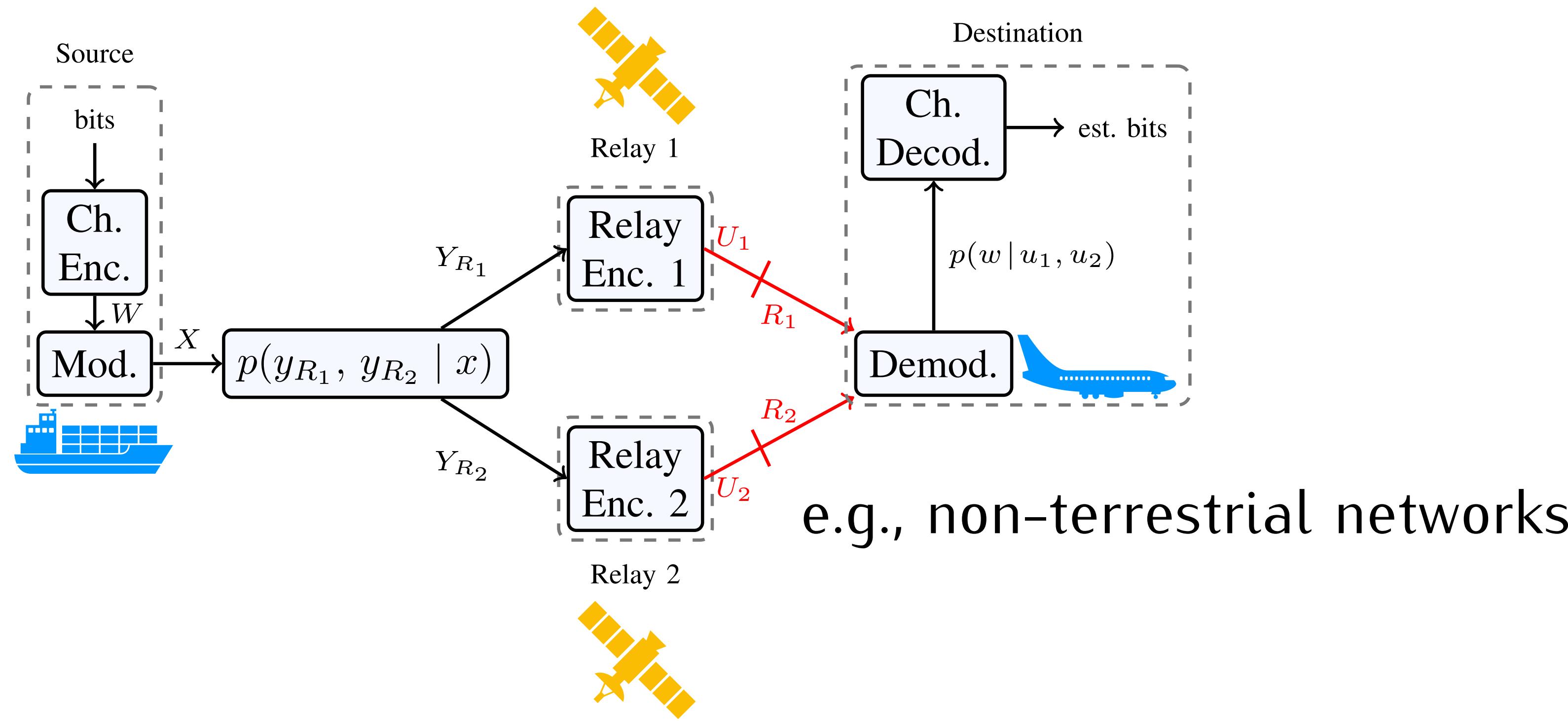
# Summary on Neural Compress-and-Forward (CF)

- First proof-of-concept towards practical neural CF relaying scheme.
- Distributed compression helps in exploiting correlation at the destination.
- **Ongoing project:**
  - Extending neural CF to *diamond relay channel*  
(i.e., w/ two relays connected to the destination via two separate links)

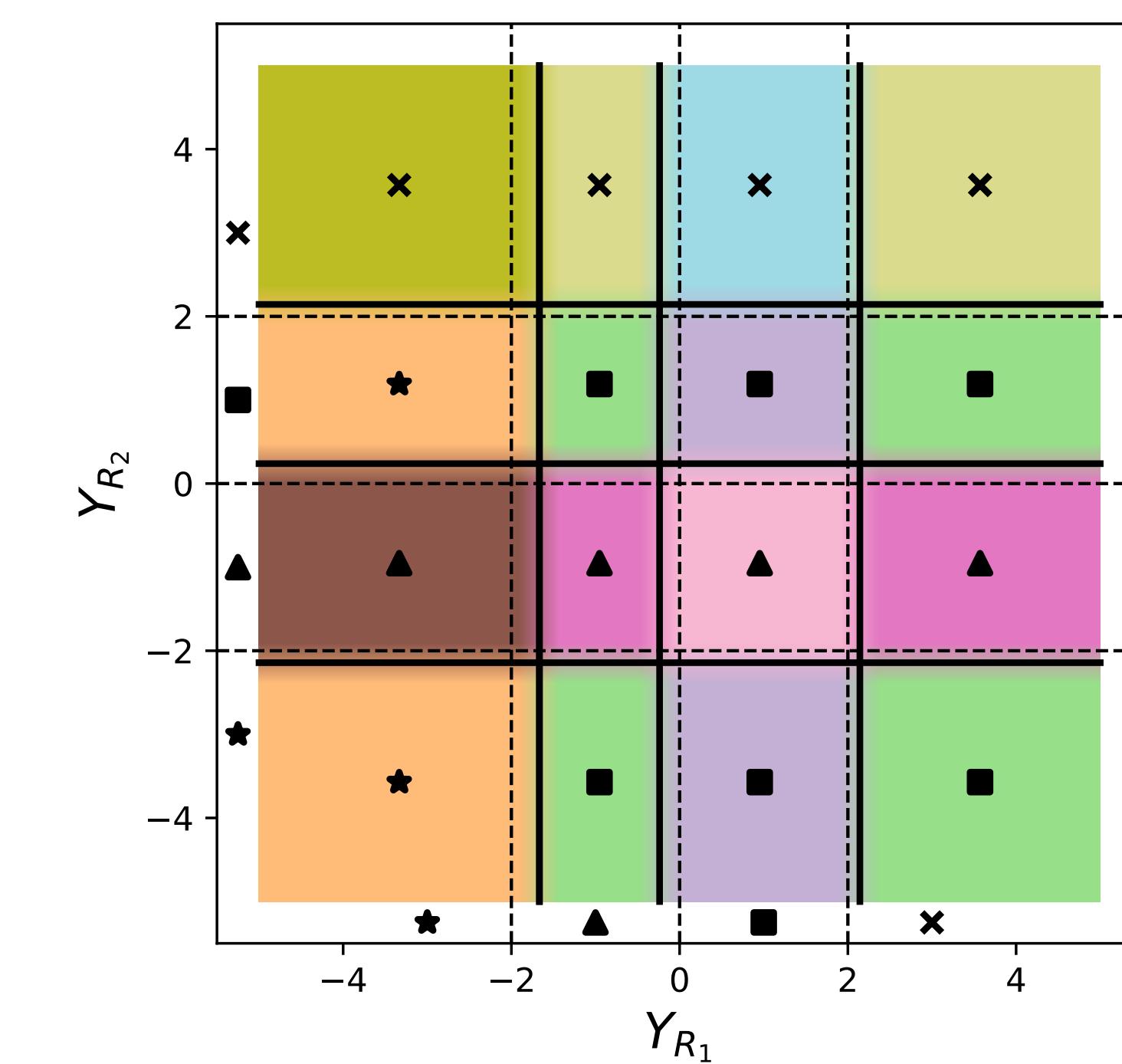
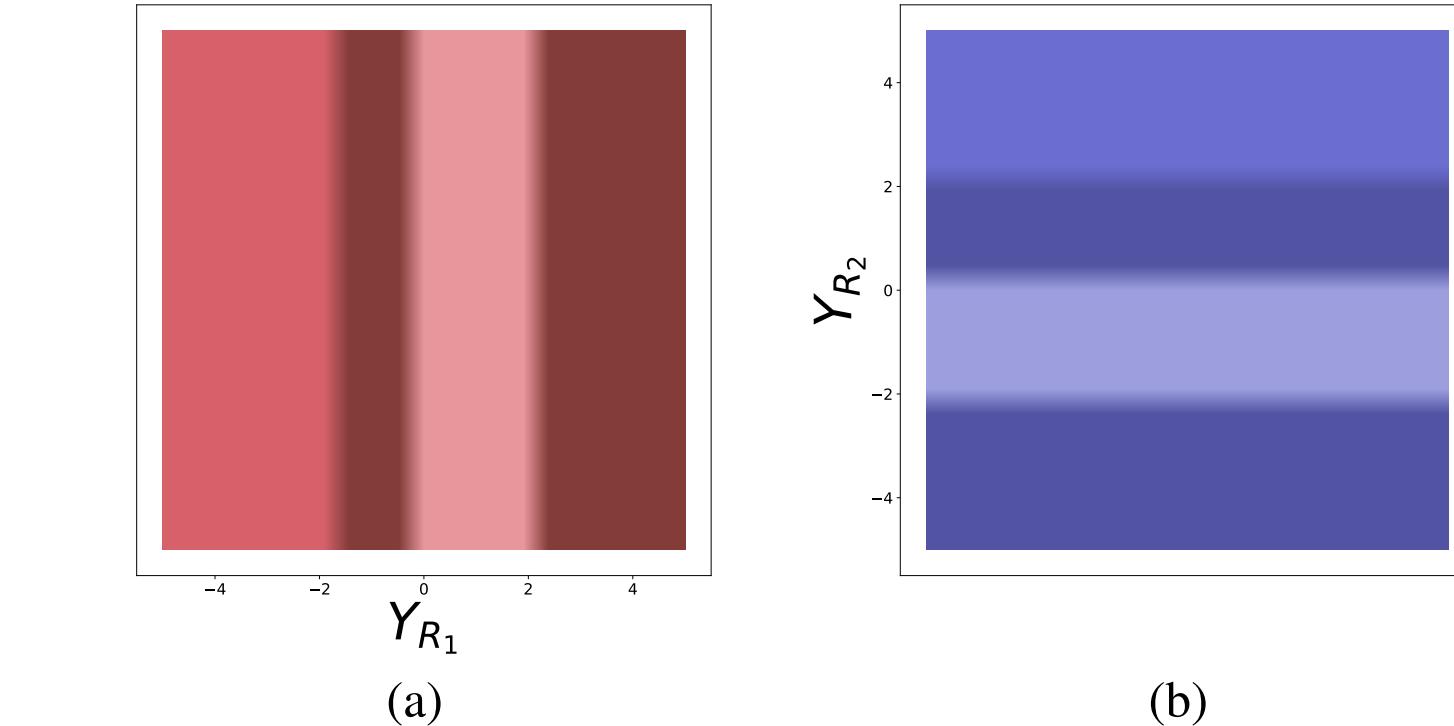
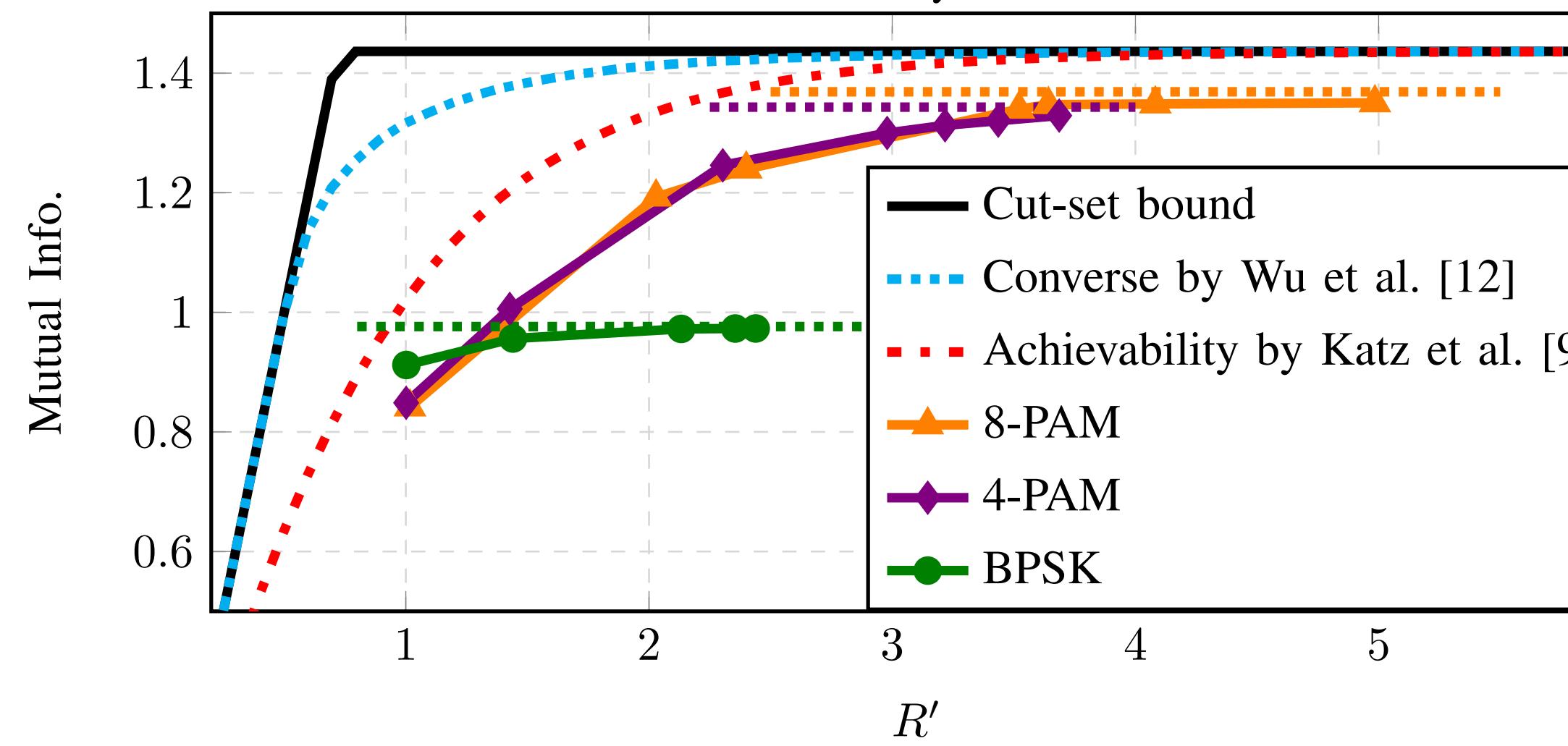
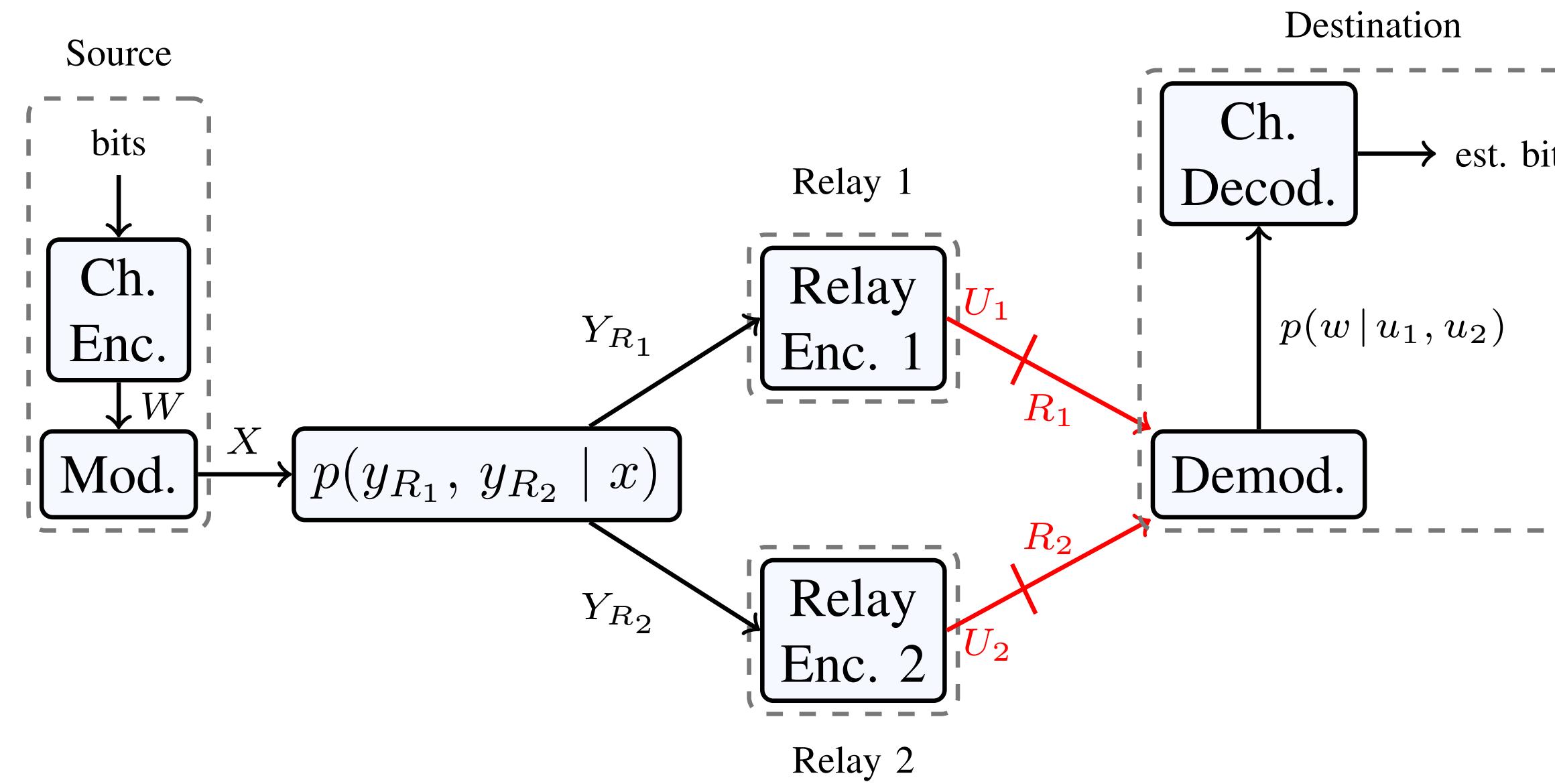
# Neural CF for the Diamond Relay Channel



# Neural CF for the Diamond Relay Channel



# Neural CF for the Diamond Relay Channel



# Summary on Neural Compress-and-Forward

- Learning-based distributed compressors are useful for task-aware/semantic communication problems while being interpretable!

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  - Ozyilkan\*, Carpi\*, Garg & Erkip (IEEE J. Sel. Areas in Communications, 2025)
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  - Revised objective: Distortion  $\leftrightarrow$  Classification.
  - MPEG activity, “Video Coding for Machines”
    - Ozyilkan\*, Ulhaq\*, Choi & Racapé (IEEE DCC, 2023)

If you found this talk interesting ...

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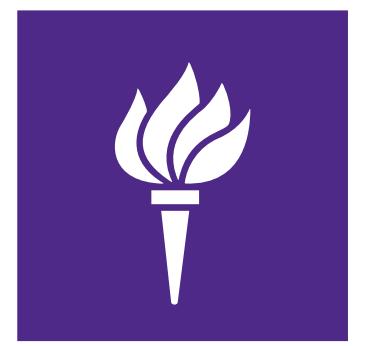
Reach out to me at [ezgi.ozyilkan@nyu.edu](mailto:ezgi.ozyilkan@nyu.edu)!

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Reach out to me at [ezgi.ozyilkan@nyu.edu!](mailto:ezgi.ozyilkan@nyu.edu)

Moving forward, will be working on:  
**perceptual optimization**  
+ **compression** + **3D vision**



**NYU**



**Apple, ML + Video Research**

Thank you! Q&A?

# Neural Distributed Data Compression and Communication

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